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Valuing Consumer Preferences with the CUB Model: A Case Study of Fairtrade Coffee

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1. Introduction

In recent years, in the field of consumer behaviour, a large number of new models and instruments for preference analysis have been proposed. This strand of the literature has developed along two different lines. The first has produced approaches that have a more solid economic basis, but which at the same time require increasingly complex econometric analysis. Moreover, in this research field, based on stochastic utility theory and choice experiments, less weight is given to the socio-economic and psychometric characteristics of the individual in determining preferences. By contrast, the second strand has given rise to many methods to analyse consumer behaviour based on quality approaches such as laddering or focus groups where behavioural characteristics and lifestyles have regained primary importance in explaining the choices and “tastes” of individuals.

At the same time, product differentiation, especially in the agri-food sector, has developed in novel ways. Indeed, while differentiation traditionally concerned mainly intrinsic product attributes, in time attention has shifted to the extrinsic characteristics of the good: in the current competitive scenario, a strategic role is now played by those attributes defined in recent papers as intangibles (Fabris, 2004). Such characteristics are similar, following economic theory, to confidence attributes, including various forms of certification of production processes (organic farming, fair trade, respect for biodiversity, specific production area). How such characteristics may affect consumer preferences thus appears increasingly correlated not only to the “tastes” of individuals but also to their sensitivity, lifestyles and culture.

Consumer perception and choices concerning products such as wine, fair trade goods and typical products where much of the product’s identity consists in intangible attributes are poorly suited to analysis with approaches that oversimplify the complexity of the individual. With a view to testing new approaches to provide an alternative or to supplement the above methods of analysis, this paper has a twofold objective. The first is to test a new model which, a priori, seems to supply both the rigour of econometric applications and the flexibility of quality techniques. The CUB model which we present herein allows the ranking expressed by an individual on a certain good/service (hence his/her preferences) to be linked to complex information relative to various psychometric characteristics. In particular, as illustrated in section 2, the covariates of the CUB model may be the evaluations given by the individual to various groups of items using classic Likert scales. The second is the attempt to use the proposed new model as a support for interpreting the results of latent class choice models, a recent trend in multinomial logit.

In the present study, to investigate the potential of the integrated approach described (the CUB model with latent models) to explain consumer choices and then segment the reference market, a survey of fair trade coffee consumption was carried out in an area of Lombardy (Brianza). The
choice fell on this product for three reasons. The first consists in the fact that fair trade certification is a valid example of product differentiation based on intangible characteristics. The second reason concerns the fact that fair trade coffee is a well-known product, also sold by the large distribution. In particular, in the context of fair trade, coffee plays a key role because it was one of the first third-world products to be traded according to nonprofit-based rules and because it was the first product to be certified as such. Currently, coffee is chiefly imported from Central America (Nicaragua, Mexico etc.) and to a lesser extent from Africa (especially Tanzania). However, bean roasting and other forms of intermediate processing (decaffeinated coffee) occur in consumer countries according to the preferences of the latter. In 1973 the Dutch Fair Trade Organisatie imported the first “fair trade” coffee from cooperatives of small-holders in Guatemala. Today, over 30 years on, this product has become an economic reality, representing 25-50% of sales of Fair Trade organisations.

The last reason for choosing coffee for the work in hand is the fact that, despite the importance of fair trade, there have been few studies concerning demand for such products and coffee in particular. The somewhat scant literature (Bird and Hughes, 1997; Browne et al 2000; Arnot et al., 2006; Besnard et al., 2006; Maietta, 2004; Maietta 2005) has focused on the existence of a segmented demand for fair trade products, with particular attention to demand elasticity to price. The most recent of these studies (Arnot et al. 2006) showed, using a real-choice model, that for Canadian fair trade consumers, price elasticity of demand for fair trade coffee is considerably lower than that for a conventional product. Reference will be made below to these results so as to compare the quantity and quality of information obtained thanks to the alternative approach proposed herein.

The paper is structured as follows: after a brief introduction to the statistical model in question and its interpretation for our purposes, Section 3 describes the experiment conducted, Section 4 discusses the main results both in terms of comparisons among customers and in relation to the construction of latent covariates and Section 5 presents an integrated model among the CUB and Latent Class Choice Model. We conclude with some final reflections.

2. The mixture distribution

Judgments or evaluations that groups of respondents express about given items (for instance, goods or services) can be modelled by means of a discrete random variable (r.v.), $R$, whose probability distribution is defined by the following mixture:

$$
\Pr(R = r) = \pi \left( \binom{m-1}{r-1} (1-\xi)^{r-1} \xi^{m-r} + (1-\pi) \frac{1}{m} \right); \quad r = 1,2,...,m,
$$

where $\xi \in [0, 1]$, $\pi \in (0, 1]$, and $m > 3$ is the highest score that can be attributed to the item under evaluation and corresponds to the best positive judgement.

This probabilistic model was proposed by D’Elia and Piccolo (2005) who justified the use of a mixture distribution by a simplified representation of the psychological mechanism which governs the judgment process and the subject’s selection of a certain score for the good/service being assessed. The latter process is related to two latent components which are combined with some weights which can be estimated from observed data. The first component, weighted by $p$, is specified by a shifted binomial r.v. with parameter $x$. This denotes the intimate belief of respondents concerning the object in question or, in other words, the degree of liking/disliking expressed by raters with respect to the item (Piccolo, 2006). The second component represents the uncertainty that a judge conveys when his/her opinion has to be summarized by means of a disc-
rete grading scale. The uncertainty is described by a discrete uniform r.v. which is weighted by 

\( (1 - \pi) \).

In the literature other models for ordinal data have been proposed and are very widely applied. They are based on latent variables and rely on estimating cutpoints which transform a continuous unobservable variable into a discrete variable. Although the definition of CUB models relies on latent variables which are conceptually necessary to specify the nature of the mixture distribution, the inferential procedures do not depend upon the knowledge (or estimation) of cutpoints. As a consequence, given the model, this simplification turns into a more parsimonious parametric structure.

The proposed probabilistic model is very flexible and is capable of describing distributions with very different shapes. Piccolo (2003) derived the coefficients of asymmetry and kurtosis of the random variable \( R \) as function of the \( p \) and \( x \) parameters. Specifically, it can be shown that

\[
\text{Asim}(\pi, \xi) = 0, \quad \text{for } \xi = 0.5 \quad \text{and, moreover, } \text{Asim}(\pi, \xi) = -\text{Asim}(\pi, 1 - \xi) \quad \text{for any given } \pi \in (0,1]
\]

When \( x < 0.5 \), the distribution of \( R \) is skewed negatively and the probability that raters express positive opinions about the given item increases as \( x \) moves towards 0. The opposite consideration applies when \( x > 0.5 \): the distribution of \( R \) is skewed positively and the probability that raters express negative opinions increases as \( x \) moves towards 1. Also, for a given \( \pi \in (0,1] \), the kurtosis increases as \( x \) approaches the borders of the parameter space and, again,

\[
\text{Kurt}(\pi, \xi) = \text{Kurt}(\pi, 1 - \xi).
\]

Piccolo (2006) and Piccolo and D’Elia (2008) extended the model (1) in order to relate the parameters \((\pi, \xi)\) to explanatory variables (covariates) describing raters’ features which justify the different behaviours of respondents\(^1\). In particular, denoting with \( r \) the rate given by the \( i \)-th subject, the CUB\((p,q)\) model is defined as:

\[
\Pr(R = r \mid y_i, w_i) = \pi_i \left( \frac{m - 1}{r - 1} \right) (1 - \xi)^{r - 1} \xi^{m - r} + (1 - \pi_i) \frac{1}{m};
\]

where the parameters are linked to the \( i \)-th subject’s covariates by means of a logistic function (which ensures that the r.v. is well defined for any real value of covariates):

\[
\pi_i = \frac{1}{1 + \exp(-y_i \beta)}, \quad \xi_i = \frac{1}{1 + \exp(-w_i \gamma)};
\]

where \( y_i = (1, y_{i1}, y_{i2}, ..., y_{ip})' \) and \( w_i = (1, w_{i1}, w_{i2}, ..., w_{iq})' \) are the observed covariates for the \( i \)-th subject and \( \beta = (\beta_0, \beta_1, ..., \beta_p)' \) and \( \gamma = (\gamma_0, \gamma_1, ..., \gamma_q)' \) are parameter vectors.

The formulation (2) is general and includes all special cases where the dependency on covariates may be absent, restricted to one of the two parameters or related to both parameters. In order to distinguish these situations the following acronyms are used respectively: CUB\((p,0)\), CUB\((0,q)\), CUB\((p,q)\); the model (1) is simply denoted as a CUB\((0,0)\) model.

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\(^1\) This extended formulation is denoted by means of the acronym C(ovariates)U(niform)B(inomial).
Given the observed sample consisting of ratings and covariates \( (r_i, y_i, w_i)' \), \( i = 1, 2, ..., n \), estimation of \( \theta = (\beta', \gamma')' \) for a \( CUB(p, q) \) model is performed by maximum likelihood using EM algorithms. The log-likelihood function is:

\[
I(\theta) = \sum_{i=1}^{n} \ln \left[ \frac{1}{1 + \exp(-y_i \beta)} \left( \frac{m-1}{m} \right) \exp(-w_i \gamma (1-r_i)) \left( \frac{r_i - 1}{1 + \exp(-w_i \gamma)} \right)^{m-1} + \frac{1}{m} \right].
\]

(3)

The estimator’s asymptotic properties and all inferential procedures for estimation were derived from Piccolo (2006).

In order to facilitate the interpretation of the results in the following section, we illustrate the \( CUB(0, 1) \) model in the presence of discrete or continuous explanatory variables.

a) Let \( W \) be a discrete \( k \)-valued explanatory variable. Replacing the parameter estimates, \( (\hat{\beta}, \hat{\gamma}) \), in (2) we obtain \( k \) probability distributions, one for each value that \( W \) can assume. For instance, if \( W \) is a dichotomous variable, representing the subject’s gender, two probability distributions will be derived, one for females and the other for males.

b) Let \( W \) be a continuous variable. In this case, it is possible to determine the expected value of the rating \( R \) conditional upon the explanatory variable \( W \), that is \( E(R | W = w) \).

In the next section, this will be plotted as a function of the values that \( W \) may assume.

The \( CUB \) model refers to a single marginal random variable, in other words in complex surveys where several items are investigated the mixture distribution will be applied to model each item separately. Several applications in various fields have proved that the CUB model can successfully be used to fit empirical rating distributions (see Iannario, 2007; Iannario and Piccolo, 2008; 2009).

The classical approach based on Generalized Linear Models (McCullagh, 1980; McCullagh and Nelder, 1989; Agresti, 2002) directly relates the probability that a certain grade of a discrete scale is chosen by the subject (point of a Likert scale, rating, score, etc.) and the subject’s covariates. Moreover, this class of model relies on r.v. belonging to the exponential family. The proposed CUB model, instead, allows a straight relationship between the parameters characterizing the mixture distribution and the subject’s covariates. The reference to mean values is not needed. In addition, the model yields an immediate interpretation of the latent traits (selectivity and uncertainty) which drive the final judgments of raters.

3. The questionnaire and sample

The questionnaire used for the survey was structured into five sections. The first served as an introduction, and to define interviewee recruitability for the purposes of the survey. Those who stated they were not in charge of making purchases in their own family and those who did not consume coffee were excluded from the survey.

The second section investigated the structure of individual demand for coffee, the frequency of purchase, preferred products, consumption frequency, consumption mode, and – what was particularly important for the survey – how many packets of coffee, of the last 10 purchased, were of fair trade origin. The section concluded with an assessment, using a 1-7 Likert scale (where
1 indicated completely without importance and 7 extremely important), of 16 coffee attributes: a) taste; b) aroma; c) creaminess; d) blend; e) producer country; f) variety used; g) percentage of caffeine; h) certification (organic, fair trade, geographical origin); i) price; j) brand; k) packaging (paper, aluminium, plastic, etc.); l) biodegradable/recyclable packaging; m) use of organic production techniques; n) use of female labour in the production chain; o) use of properly paid labour; p) transport mode that minimizes CO₂ emissions.

Section 3 aimed to survey the interviewee’s lifestyle by assigning a score from 1 to 7 (where 1 stands for wholly disagree and 7 wholly agree) to 11 statements that all begin with “I think I’m a person ………” followed by: a) who is health-conscious; b) with an active lifestyle; c) family-oriented; d) who believes in traditions; e) environmentally responsible; f) very attentive to the quality of the food I buy; g) very attentive to the country of origin of the food I buy; h) sensitive to social inequalities; i) personally committed to action that can improve the quality of the environment; l) who adopts action that can lead to a more equitable world.

In section 4 consumers were given four hypothetical choice sets which each included three types of coffee: 1. conventional coffee; 2. fair trade coffee; 3. fair trade and organic coffee. These types differed in their price ranking. The pre-selected levels ranged from €2.25/250gr to €3.75/250gr. In constructing the choice sets, two conditions were set a priori so as to improve the authenticity of the choice context and the competitive ranking of the various coffee categories. The conventional type, characterised in the questionnaire as the “Lavazza” type 1 always had the same price as the lowest level (€2.25/250gr). The fair trade product and the fair trade organic product were assigned the following prices: €2.5, 2.75, 3.00, 3.25, 3.5 and 3.75/250gr. To approximate reality, in constructing the experimental design the restriction was set that fair trade coffee assumed a greater price value than the conventional product, and lower than, or equal to, that of the organic fair trade product.

The design was thus “labelled” and not generic (Louviere et al. 2000), since each alternative was associated either with a specific coffee production mode or with non-purchase. A design which allowed assessment of a hypothetical scenario in which this condition were not respected would not be consistent either with the real competitive situation of products or with the scenario of the proposed purchase, and would thus have led to bias in the absence of realism. Note that this restriction does not compromise the identifiability of the major parameters of the utility function in the estimation phase. Indeed, the relative information matrix of the multinomial logit model is positive definite and invertible, so as to ensure identification of a global maximum and the calculation of the standard errors of all parameters. Also note that in the context of experimental designs, aiming to estimate parameters of highly non-linear models like logit discrete-choice models, the property of orthogonality does not induce efficiency (minimum variance) when the parameters (as almost always happens) are other than zero. This is discussed extensively in recent contributions to the subject (Ferrini and Scarpa, 2007; Bliemer et al., 2007).

Section 5 is devoted to collecting a set of useful socio-demographic data concerning the interviewee’s family.

The questionnaire was administered during the spring of 2008 to a sampled of 250 consumers, distributed at four fair trade shops (Botteghe del Mondo) in Brianza, a geographical area which comprises comuni in the provinces of Milan and Como. Of the 250 questionnaires collected, 28

1.  Lavazza is one of the most widely consumed coffees in Italy and the price used reflects its average market value in the study area.
were discarded since they were incomplete. The statistical survey is based on data collected on a sample of 222 consumers.

From an initial analysis of the socio-demographic data, it emerges that the sample consists mostly of women (65%), with a generally high education level, well above the regional average: only 11% had been through merely compulsory schooling, 53% had attained a high-school diploma, 26% had a university qualification and as many as 10% had a post-university qualification.

The sample mode falls within the 31 - 45 age class. About half have a family with one or more children. The main occupations are those of office workers and the self-employed or owners of businesses, followed at a certain distance by factory workers and teachers. Distribution of family net monthly income has a modal peak between 1,000 and 2,000 Euro: just under half of the sample declared this income, decidedly low in light of the average qualification of the same sample and the regional average. All the interviewees purchase fair trade coffee, even if 56% stated they bought it rarely.

4. The results

The frequency distribution of the number of fair-trade coffee packages over 10 purchases shows that the respondents are clustered into two groups: the first group consists of frequent buyers (more than 4 packages), the second group of infrequent buyers.

![Figure 1. Frequency distribution of “Number of fair-trade coffee packages over 10 purchases”](image)

The next analysis focuses on the study of the “importance that respondents attach to price” in determining the purchase of fair-trade coffee. A CUB(0,0) model was fitted to the observed judgments (in parenthesis the standard errors are reported, and $I_{\text{max}}$ gives the value of maximized log-likelihood):

$$\hat{\pi} = 0.630 (0.083); \quad \hat{\xi} = 0.359(0.026); \quad I_{\text{max}} = I(\hat{\theta}) = -408.613.$$  

This model can be substantially improved by introducing a dichotomous variable representing the two purchase behaviours in order to explain the $x$ parameter. For this purpose, a CUB(0,1) model was specified:

$$\Pr(R=r \mid w_i) = \pi \left( \frac{m-1}{r-1} \right) (1-\xi_i)^{r-1} \xi_i^{m-r} + (1-\pi) \frac{1}{m},$$  

where $\xi_i = \left[ 1 + \exp(-\gamma_0 - w_i \gamma_1) \right]^{-1}$,  

and the observed covariate for the $i$-th subject is defined by:
Estimation yields the following results:

\[ \hat{\beta}_0 = 0.908 (0.046); \quad \hat{\gamma}_0 = 0.302 (0.096); \quad \hat{\gamma}_1 = -1.385 (0.143); \quad l_{\text{so}} = l(\hat{\theta}) = -360.569. \]

The goodness of fit is confirmed by the likelihood ratio test statistic which, in the case under investigation, is asymptotically distributed as a \( \chi^2 \) r.v.; specifically, \( 2(l_{\text{so}} - l_{\text{wo}}) = 94.088 \) is highly significant.

From (4), the estimate of parameter \( \xi_i \) conditional upon the value of the covariate \( W \) can be derived:

\[ \hat{\xi} \mid w_i = 1 = 0.252 \quad \text{and} \quad \hat{\xi} \mid w_i = 0 = 0.575. \]

Note that, as stated above, parameter \( x \) is related to the asymmetry of the mixture distribution; when \( x \) is close to zero, the distribution is negatively skewed, and then high ratings are characterized by larger probabilities. As regards the expected value of the importance that consumers attribute to price changes according to the groups they belong to, we have:

\[ E(R \mid w=1) = 5.35; \quad E(R \mid w=0) = 3.59. \]

The corresponding sample means are 5.36 and 3.64, respectively. They are therefore well fitted by the average of the estimated CUB distributions.

Figure 2. Importance that respondents attribute to price in their fair trade coffee purchase

Figure 2 illustrates the estimated CUB probability distributions\(^1\). The probability distribution of judgments given by “frequent buyers” is located on the right part of the panel with respect to the distribution of “infrequent buyers”. In other words, in general the latter tend to attach greater importance to “price” as a factor determining purchase does the other group.

Further analysis was carried out to improve the model by taking account of the respondents’ lifestyle. These variables were gathered in the final part of the questionnaire together with some socio-demographic aspects (age, number of family members, income, education). A metric

\[ w_i = \begin{cases} 1, & \text{if } C_i \leq 4; \\ 0, & \text{otherwise}. \end{cases} \]

\( C_i \) being the number of fair-trade coffee packages over 10 purchases of the \( i \)-th subject.

\[ \pi_{\theta}(\hat{l}) = 1 \quad \text{if } \hat{l} \leq \gamma_0; \quad 0 \quad \text{otherwise}. \]

\(^1\) Note that although CUB distributions characterize discrete random variables, solid lines are used in the plot in order to enhance the distribution shape.
scaling technique was applied to the matrix of Euclidean distance between the subjects’ standardized profile for dimension reduction (see Mardia et al., 1979). In Figure 3, the two-dimensional map from metric scaling is presented. The respondents are identified with different symbols depending on their purchase behaviour.

![Figure 3. MDS subject map ( ■ infrequent buyers □ frequent buyers)](image)

The first dimension accounts for about 40% of the data variability and gives a first measurement of the ‘size’ of each respondent with respect to the considered variables. The subjects are ranked along the axis depending on the importance that they give to the statements concerning the lifestyle, individual’s attitudes, values or worldview and their education and income. Respondents’ age and number of family members are not relevant variables for this representation. The coordinates of subjects on the first MDS axis define a covariate which summarizes the main features of respondents. This covariate is used as an explanatory variable to model parameter $x$ in the $CUB(0,1)$ model. The following graph shows the expected value of the importance of price in purchase behaviour conditional on the first MDS coordinate of the subjects.

![Figure 4. Conditional expected value of the importance of price in purchase behaviour](image)

As long as the subjects attach greater importance to lifestyle, worldview and have a higher education and income, they perceive price as a less relevant factor for their purchases of fair trade coffee. The difference between the expected value of the importance that the subject with
the ‘lower’ profile gives to price and that associated to the subject with the ‘higher’ profile is 2.65.

5. A latent class logit model constrained by the CUB model results

Using the responses obtained from the fourth section of the questionnaire concerning a hypothetical purchase scenario, we estimated sample consumer willingness to pay (WTP) for the fair trade characteristic of coffee. This estimate was obtained by a latent class logit model in which the classes were limited to two, as emerged from the CUB, and the variables used to define the classes were the value of the first MDS axis and the covariate \( w_i \) described in (5).

In other words, on the basis of the results obtained by the CUB model, one would expect a subdivision of the sample into two latent classes that express a different WTP for the fair trade characteristic. On the one hand there should emerge a class with a high MDS score and high coffee consumption with a greater WTP for the fair trade characteristic; on the other, a segment with a low consumption of fair trade coffee, a low MDS score and less WTP for the fair trade characteristic.

The latent class logit model estimates simultaneously the probability of a consumer choosing an alternative in the context of a choice set and the same consumer belonging to a specific segment with taste homogeneity. If each individual consumer interviewed was subject to a sequence of choice sets equal to \( T_n \), where in our case \( n = 4 \), then the joint probability of the individual \( n \) making the sequence of choices \( T_n \) is:

\[
P_n = \sum_{s=1}^{S} p_{s,n} \prod_{t=1}^{T_n} \left( \frac{e^{\beta_s X_{nt}}}{\sum_{s'} e^{\beta_s X_{nt}}} \right)
\]

where \( Z_n \) is a vector that contains information on the psychometric and socio-economic variables for individual \( n \), with coefficients equal to \( \gamma_s \), \( \alpha \) is the parameter scale error which is assumed Gumbel-distributed, \( S \) is the number of segments \( s \) comprising the sample, \( X_{nt} \) is the vector of individual characteristics and attributes of the products and \( \mu_s \) is the scale parameter. Although the scale parameter \( \mu_s \) may vary between segments, it is usually considered equal to 1 in order to identify the other parameters.

If \( \gamma_s = 0 \), \( \beta_s = \beta \) and \( \mu_s = \mu \), then eqn. (6) is none other than the classic multinomial logit à la McFadden (1974) in which taste homogeneity is assumed in the population. Hence the latter consists of a single segment (Scarpa and Thiene, 2005).

As regards the latent class model estimates (table 1), if the number of classes is set at two all the variables are significant and have the expected sign. There are distinct segments of consumers which have characteristics that are wholly consistent with what emerged from the CUB model. One high-consuming segment (class 2), with respect to fair trade coffee, has greater sensitivity towards ethical issues, a higher income level and is better educated. This segment, consisting of 100 consumers, attaches very little importance to price in coffee purchase choices (9.5%) and has a high WTP for the fair trade characteristic (6.70 Euro). The second segment, consisting of 122 consumers, is low-consuming, less sensitive to ethical issues, has a lower income and is less well-educated, attaches great importance to price (78%) and shows very little WTP for the fair trade characteristic of coffee (Euro 0.33). Thus our results are wholly consistent with those emerging from the CUB model.
In surveys that use latent class models, a particular role is played by the choice of the number of segments. A frequently used procedure is to be steered by information criteria, as reported in table 2. Following such criteria, the number of optimal segments would be 4 or 3.

The data for the model with three latent classes (Table 3) clearly show that in this new model the high consumers are divided into two new segments, both with a low importance attached to price in making coffee purchases. One segment, in particular, consisting of 40 individuals, would appear completely insensitive to price in making coffee purchases, showing a very high and somewhat improbable WTP (Euro 24.39) for the fair trade characteristic. The four-class model produces a similar segmentation on the low-consuming group.

In other words, when using the latent class model and choosing the number of classes according to the information criteria the results are harder to interpret than when using results obtained by the CUB model.

Table 1. Latent class model estimate (2-class cluster model)

<table>
<thead>
<tr>
<th>Variables</th>
<th>Class 1</th>
<th>p-value</th>
<th>Class 2</th>
<th>p-value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Price</td>
<td>-4.6986</td>
<td>0.00000</td>
<td>-0.6072</td>
<td>0.00000</td>
</tr>
<tr>
<td>Fair trade</td>
<td>1.5689</td>
<td>0.00000</td>
<td>4.094</td>
<td>0.00000</td>
</tr>
<tr>
<td>Fair trade + Organic</td>
<td>0.4152</td>
<td>0.00000</td>
<td>4.6204</td>
<td>0.00000</td>
</tr>
<tr>
<td>Constant</td>
<td>-0.8398</td>
<td>0.00000</td>
<td>0.8398</td>
<td>0.00000</td>
</tr>
<tr>
<td>Bought packages</td>
<td>2.1621</td>
<td>0.00000</td>
<td>-2.1621</td>
<td>0.00000</td>
</tr>
<tr>
<td>MDS dimension coordinates</td>
<td>-0.3181</td>
<td>0.00000</td>
<td>0.3181</td>
<td>0.00000</td>
</tr>
<tr>
<td>Price importance</td>
<td>78%</td>
<td></td>
<td>9.5%</td>
<td></td>
</tr>
<tr>
<td>WTP Fair trade €/250 gr</td>
<td>0.33</td>
<td></td>
<td>6.7</td>
<td></td>
</tr>
</tbody>
</table>

| Class n.                  | 122 (0.55)    | 100 (0.45) |

| LogLik                     | -1839.53      |

Table 2. Information criteria: this table clear? Doesn’t it need some explanation?

<table>
<thead>
<tr>
<th></th>
<th>LL</th>
<th>BIC</th>
<th>AIC</th>
<th>AIC3</th>
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</thead>
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<td>3553.27</td>
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<td>-1738.65</td>
<td>3623.17</td>
<td>3531.30</td>
<td>3558.17</td>
</tr>
</tbody>
</table>
5. Conclusion

Using the CUB class of model, our study of fair trade coffee consumers in the northern Italian district of Brianza provided considerable scope for reflection both in terms of the statistical model employed and the preferences surveyed. As regards statistical analysis, our approach proved particularly effective in analysing consumer preferences recorded on a Likert scale. The proposed model arises from the conceptual description of the psychological mechanism by which an individual chooses a score to attribute to an item. Two components are examined: the first concerns the strength and depth of the conviction that the individual expresses and which induces him/her to give the item a positive or negative judgment. This component is described by the translated binomial CV (capable of taking on various forms on the appropriate support). The second describes the uncertainty that individuals bring to the choice where they must translate their own convictions using a discrete scale of values (in the mixture, this role is covered by weighting with respect to the extreme choice consisting in a uniform CV).

This innovative approach differs from the classic approach, based on the logic of Generalised Linear Models which, in econometrics, are often formulated using random utility theory (Ameyia, 1981; Train, 2003), insofar as the CUB directly models the relation between the probability of an ordinal choice (rating, evaluation, score) and the individual’s covariates. Lastly, the possibility of linking characteristic parameters of the model to the individual’s covariates (without having to refer only to mean values) allows more immediate interpretation of the latent variables (selectivity and uncertainty) which steer the choice of a score and hence judgment. As regards the potential of the CUB model, it not only permitted segmentation based on Likert scores of complex groups of items, but also showed a considerable integration capacity with stochastic utility models, namely latent class models.

Indeed, by using the segmentation factors emerging from the CUB as covariates of segmentation in the latent class model and setting the number of classes equal to those emerging from the CUB, it was possible to estimate a model which not only validated the findings of the CUB but
also allowed estimation of the WTP for the fair trade characteristic in the different groups. Moreover, the attempt to use the proposed new model as a support for interpreting the results obtained from the latent class choice models appears particularly promising to define the number of optimal classes in the stochastic utility model, a major problem in this type of model. The classes identified by the integrated approach are a satisfactory trade-off between strictly statistical concerns and the needs of operational marketing. In light of the recent introduction of the CUB model into the strand of studies on preference analysis, this result should be further validated.

As regards the preference analysis discussed herein, despite the limited representativeness of the sample, the results showed the existence of a marked segmentation in demand, especially in relation to price. In our survey poor price elasticity, already highlighted by other research (Bird and Hughes, 1997; Browne et al 2000; Arnot et al., 2006; Besnard et al., 2006, Maietta, 2004; Maietta 2005), characterised only the segment consumers with high education level and income but especially a strongly ethical and altruistic outlook in life as a whole, from the social sphere to the inner affective sphere. By contrast, consumers without such characteristics proved sensitive to price and hence showed a decidedly low incidence of fair trade purchases in their overall expenditure on coffee.

If confirmed by future research on a national scale, these results show the need to devise differentiated marketing policies based on better knowledge of the demand for fair trade products. These are essential conditions for such products to emerge from their niche and be traded by large distribution channels.

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6. **References**


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