



*The World's Largest Open Access Agricultural & Applied Economics Digital Library*

**This document is discoverable and free to researchers across the globe due to the work of AgEcon Search.**

**Help ensure our sustainability.**

Give to AgEcon Search

AgEcon Search

<http://ageconsearch.umn.edu>

[aesearch@umn.edu](mailto:aesearch@umn.edu)

*Papers downloaded from **AgEcon Search** may be used for non-commercial purposes and personal study only. No other use, including posting to another Internet site, is permitted without permission from the copyright owner (not AgEcon Search), or as allowed under the provisions of Fair Use, U.S. Copyright Act, Title 17 U.S.C.*

*No endorsement of AgEcon Search or its fundraising activities by the author(s) of the following work or their employer(s) is intended or implied.*

**Rural Water Service Demand and  
Instrumental Price Estimates**

by

David L. Chicoine  
Steven C. Deller  
Ganapathi Ramamurthy

June 1985

No. 85E-317

UNIVERSITY OF CALIFORNIA  
DAVIS

OCT 7 1985

Agricultural Economics Library

*Water supply, Agricultural*

*AAEA paper, 1985*

# **Rural Water Service Demand and Instrumental Price Estimates**

by

**David L. Chicoine, Steven C. Deller and Ganapathi Ramamurthy\***

**Department of Agricultural Economics**

**University of Illinois at Urbana-Champaign**

**A Selected Paper Presented at The American Agricultural Economics  
Association Annual Meeting, Ames, Iowa, August 1985.**

- \* The authors are Associate Professor and Graduate Research Assistants, respectively. Deller is a graduate student in Economics and Ramamurthy is a graduate student in Agricultural Economics.

Rural Water Service Demand and  
Instrumental Price Estimates

ABSTRACT

Demand for rural water service is estimated using micro-level data from a sample of Illinois rural water district customers. An instrumental-variables approach is applied to correct for simultaneity bias resulting from block pricing practices using marginal price and Nordin's difference variable to account for lump-sum income effects implicit in discrete pricing structures. Price and income elasticities were  $-.36$  and  $.19$ , respectively for the instrument model.

## Rural Water Service Demand and Instrumental Price Estimates

In response to the need to avoid costly policy errors, econometric studies of water service demand have become more common in recent years. Some articles have been concerned, in part, with the correct method of specifying price in demand functions for water sold under block pricing schedules since Nordin demonstrated that utility maximizing consumers with perfect information are expected to respond to marginal price along with a lump-sum income effect associated with intramarginal prices and price schedule breakpoints (e.g. Foster and Beattie 1981b; Griffin, Martin and Wade; Billings; Opaluch; and Charney and Woodard). The issue focuses on whether or not consumers are aware of the block pricing structure and hence respond to marginal price and lump-sum income change or are aware only of total spending and total consumption and hence respond to average water price (also see Polzin).

The proper model of consumer behavior is an empirical question that must be addressed in each individual case. Studies of water service demand for urban areas, while limited, are much more common than analyses of the demand for water services expressed by farmers and other rural residents served by rural water districts (e.g. Andrews and Gibbs; Hanke and de Mare; Howe, and Jones and Morris). Two exceptions are the study of Oklahoma rural water demand by Doeksen, Goodwin and Oehrtman and Illinois rural water demand by Chicoine and Ramamurthy. Early studies of the demand for residential water service were handicapped by the lack of micro-level data (e.g. Foster and Beattie 1979; Billings and Agthe). There is some evidence that theoretically inconsistent empirical demand estimates may be associated with the use of aggregate data (Schefter and David). The ideal data for demand estimation is micro-data on a cross section of consumers who face different block pricing schedules (Opaluch).

An issue in the empirical study of water service demand that is not unanimously recognized, nor is there widespread agreement of its importance, is the potential for simultaneity bias with ordinary least squares (OLS)

parameter estimates. This potential has been recognized by some authors but few empirical studies evaluate the implications of the simultaneity issue and no studies of rural water demand recognize this as a potential problem (e.g. Howe and Linaweaver; Terza and Welch; Opaluch). This paper presents a comparison of demand parameters from OLS estimates after instrumental variables correction for price endogeneity bias. The data used in the estimates are observations on rural water district customers.

The following section reviews 1) the specification and estimation of rural water service demand under declining block rate pricing schemes, and 2) the basis for the simultaneity issue. Next the data and model specifications are briefly discussed. The empirical results are then presented, followed by a concluding summary section.

#### Demand Specification Under Block Rates

Incorporating Nordin's lump-sum income effect, the linear demand function for potable water is of the form:

$$Q = B_0 + B_1 P_x + B_2 MP + B_3 D + B_4 Y. \quad (1)$$

Here  $Q$  is the units of water purchased,  $P_x$  represents a price index for other relevant goods,  $MP$  the marginal price of water in the block of consumption,  $D$  the lump-sum income effect (demonstrated by Nordin to be the difference between total expenditure on water less what the water bill would have been if  $MP$  prevailed in all pricing blocks, i.e.  $D = (P_1 - P_2) Q_1$  for a two block rate structure) and  $Y$  total consumer income. For decreasing block rates, the income effect is the amount of consumer surplus captured by the seller because of the block pricing scheme and will be positive in value. Under a multiple block pricing structure, the monthly bill ( $B$ ) of a consumer can be expressed as:

$$B = \begin{cases} SC + MP_1 Q & = B & \text{if } 0 < Q < BP_1 \\ SC + (MP_1 - MP_2)BP_1 + MP_2 Q & = B_2 & \text{if } BP_1 < Q < BP_2 \\ \vdots & \vdots & \vdots \\ SC + \sum_{i=1}^{n-1} (MP_i - MP_{i+1})BP_i + MP_n Q & = B_n & \text{if } BP_{n-1} < Q \end{cases}$$

where SC is a fixed monthly service charge,  $(MP_1, \dots, MP_n)$  are marginal prices,  $(BP_1, \dots, BP_{n-1})$  are the breakpoints of the block rate schedule, and  $B_i$  is monthly spending by a consumer on water consumption in block  $i$ . With declining blocks  $MP_i < MP_{i-1}$  for all  $i$ . Commonly, customers are given the right to consume a specific amount of water for the SC without incurring any additional charges. First block BP's frequently range from 1,000 to 4,000 gallons per month.

Under declining block rates, the difference between  $B$  and what would occur under uniform marginal pricing is the tariff borne by the consumer or the loss in consumer surplus for the privilege of purchasing water in the  $i$ th block at  $MP_i$ . For increasing block rates, the difference between  $B$  and expenditures if all water consumed were bought at MP represents a savings to the consumer. Implicit is a subsidy for water consumed in the intramarginal blocks. Accordingly, the value of  $D$  will be negative with increasing block pricing structures and positive with declining block rate pricing schedules. Thus, the sign of the coefficient on  $D$  in empirical demand estimates is expected to be negative for declining block rates and increasing block rate prices, a priori (Nordin). With both types of block pricing schemes the absolute value of the estimated parameter on  $D$  should equal the coefficient on consumer income ( $Y$ ) (Howe).

The simultaneity problem in estimating the demand for water services and other block priced goods arises because the price paid by a customer is determined, from the institutional structure of pricing schemes, by the quantity of water bought by the customer. Henson presents a formal statement of the resulting correlation between the explanatory variables in block rate price demand functions and the error term, which violates the classical assumptions for applying OLS (Judge, et al.). With block rate pricing structures, causality goes from price to quantity and from quantity to price. Consumer's choose the amount of water bought depending on some measure of price faced, and the price paid depends on the amount of water consumed. OLS estimates of coefficients also may be biased and inconsistent because of the price variables ex post calculation from observed consumption levels and the rate schedule if consumption is measured with error. Measurement error will lead to the assignment of the wrong marginal price.

Under declining block rate schedules, the price coefficient may be biased away from zero and the coefficient on D may be biased toward zero (Henson).

There is neither unanimous recognition of these potential problems nor any consensus on their importance in the study of demand for water and other good priced using the administrative rate schedules. For example, Taylor (p. 79) suggests that problems of simultaneity are resolved because in the short run individual consumer demand is independent of the price schedule. Foster and Beattie (1981a) expanded on this notion pointing out the difference between consumer's perception of block rate schemes and the block rate schedules as institutionally determined. Howe and Linaweaver statistically rejected the notion that observed price-quantity relationships for potable water were merely a reflection of administered pricing systems in their pioneering 1967 empirical demand analysis. Jones and Morris found simpler OLS approaches not fundamentally different from instrumental estimation of price in studying Denver area urban water demand. However, Henson found evidence of simultaneity bias in the OLS estimates of the demand coefficients for electricity sold under block rate pricing schemes.

Instrumental Variables Procedure. Consistent coefficient estimates may be obtained by an instrumental variables procedure. One approach to developing appropriate instrumental variables that is attractive because of its simplicity has been employed by Hewlett, and more recently Taylor, Blattenberger and Rennback, in the analysis of electricity demand and by Billings in a study of demand for water. The instruments for both marginal price (MP) and Nordin's difference variable (D) are derived from the definition, for the  $i$ th consuming household, of D:

$$D_i = B_i - MP_i * Q_i \quad (2)$$

where all arguments are as previously defined. With observations on both B and Q, estimates of MP and D can be derived by rearranging (2) and applying OLS across rate schedules to:

$$B_{ij} = a_j + b_j * Q_{ij} + e_{ij} \quad (3)$$

where  $i$  equals observations on each consumer under pricing structure  $j$ . Here the estimate on  $a_j$  represents D for  $j$ th rate structure and the estimate on  $b_j$  is MP for the "average" consumer subject to the  $j$ th pricing schedule.

Since both MP and D are limited to one value for every consumer under a particular rate structure, the inference is that all consumers subject to



the same pricing schedule are consuming in the same block. In other words, all consumers under the  $j$ th schedule face the same marginal price and hence, possess the same difference variable. If this were indeed the case, the adjusted  $R^2$  from the estimations of (3) for each schedule should approach one. Substitution of these estimated values for MP and D into demand equation (1) frees the model of any asymptotic covariance between these two explanatory variables and the error term. Also, problems arising from errors in the measurement of Q are driven to zero because the marginal price instrument does not vary with quantity, eliminating the possibility of assigning a "wrong" marginal price ex post from the rate schedule.

Any simultaneity resulting from quantity dependent prices is eliminated by the use of a marginal price that is constant for all consumers subject to the same price schedule. If the instrumental marginal price (MPI) is variant only over rate schedules and not over quantities consumed, no feedback of quantity on price can occur. In essence, the multi-price block rate scheme is condensed to a "one-price" schedule. The exogeneity of MP and D can be tested using a procedure due to Hausman. Under the null hypothesis of no correlation between explanatory variables and the error term, the difference between the OLS estimators using MP, and D, and MPI and the D instrument (DI) are asymptotically chi-square distributed with degrees of freedom equal to the number of possibly endogenous variables.

#### **Data and Demand Estimates**

The data to estimate the demand for rural water services and examine the simultaneity issue are from a survey of stratified, randomly sampled, Illinois rural water district users. The sample was drawn from the universe of rural water district customers where the water system was assisted financially by the Farmers Home Administration (FmHA), USDA and served no municipality or incorporated area. The sample of 100 users came from nine of the 59 FmHA financed Illinois rural water districts that were not associated with an incorporated community. Actual monthly consumption and expenditure records from district files for 1982 were matched with the survey data and MPs were obtained ex post from district rate schedules (see Chicoine, Grossman and Quinn). Missing observations, measurement problems and including only observations where consumption is beyond  $BP_1$  reduced the sample size to 641 monthly observations over 54 customers.

The demand for rural water was estimated using a cross-sectional model. Previous analyses showed no seasonality in consumption so the monthly observations are treated as one sample (Chicoine and Ramamurthy). The empirical demand for rural potable water estimated with the Illinois rural water district household data is:

$$Q_{id} = B_0 + \sum_{d=1}^8 B_{1d} S_d + B_2 MP_i + B_3 D_i + B_4 INC_i + B_5 NUM_i + B_6 BTH_i + e_i \quad (4)$$

where  $Q_{id}$  is monthly water consumption in household  $i$  under rate structure  $d$ ,  $S_d$  is a rate structure binary variable where  $d = 1, \dots, 8$ ,  $MP_i$  is the marginal price in the block of consumption for the  $i$ th household,  $D_i$  equals the difference between household  $i$ 's water bill and  $MP_i$  times  $Q_{id}$ ,  $INC_i$  is the monthly income of household  $i$ ,  $NUM_i$  is household  $i$ 's size measured by number of persons,  $BTH_i$  is the number of bathrooms in household  $i$  and  $e_i$  is the error term. Using OLS, the demand for rural water was estimated with those observations beyond the first block where  $MP_i = 0$ . In the first block households can consume up to  $BP_1$  quantity of water with the payment of the minimum charge (SC). Previous research has shown household size and household technology to be important positive demand shifters and are expected to be positively related to water consumption (Hanke and de Mare; Doeksen, Goodwin and Oehrtman; and Batchelor). Cross price elasticities are assumed zero in the short run. The inclusion of the rate structure binary variables ( $S_d$ ) is to test for behavioral differences associated with the configuration of the pricing schedule. One district was omitted from the estimations and used as the reference pricing scheme. Of the nine districts serving the sample users, five had  $BP_1$ s of 1,000 gallons. The others had  $BP_1$ s equal to 2,000. All had declining block rate schedules. MPs (per 1,000 gallons) in second blocks ranged from \$1.50 to \$10.00; third block MPs ranged from \$1.25 to \$5.00. The number of blocks varied between two and five.

Demand Estimates. The empirical estimates of rural potable water demand are presented in Table 1. Models B and D use MPI and DI for the marginal price and the difference variables. Estimates of (3), to obtain the instruments, for the nine rate schedules have adjusted  $R^2$ s above .95 in six cases and only one below .80. This indicates that the estimated marginal price (MPI), as well as the difference variable, approach the "true" values, as previously discussed. When the model was estimated using

Table 1. Rural Water Demand Estimates<sup>a</sup>

Variable	Model A	Model B	Model C	Model D
MP	-.7399 (9.49)*	-	-.5794 (12.98)*	-
D	.1849 (8.80)*	-	.0286 (1.19)	-
MPI	-	-.4738 (7.38)*	-	-.5529 (9.33)*
DI	-	.0402 (.83)	-	-.0164 (.27)
INC	.0006 (6.81)*	.0006 (7.19)*	.0005 (4.43)*	.0006 (.27)
NUM	.2692 (7.85)*	.3392 (9.90)*	.6205 (9.39)*	.7505 (11.11)*
BTH	1.3665 (11.09)*	1.3637 (10.41)*	1.068 (7.66)*	1.279 (8.58)*
S1, 1=district 1 0=otherwise	2.3476 (5.69)*	.1233 (.28)	-	-
S2, 1=district 2 0=otherwise	1.6559 (5.96)*	.0947 (.29)	-	-
S3, 1=district 3 0=otherwise	1.8152 (6.25)*	.2034 (.33)	-	-
S4, 1=district 4 0=otherwise	1.7942 (5.55)*	-1.7080 (2.93)*	-	-
S5, 1=district 5 0=otherwise	2.4554 (8.38)*	1.2249 (3.21)*	-	-
S6, 1=district 6 0=otherwise	1.7782 (6.58)*	-1.4569 (1.23)	-	-
Constant	5.050 (1.48)	1.8957 (4.02)*	2.4743 (5.57)*	1.5710 (2.60)*
Adjusted R	.41	.38	.40	.35
F	55.01	47.95	89.42*	70.05*
SSE	4872	5141	3681	4043

a. Dependent variable is the quantity of water purchased per month in thousands of gallons. The absolute value of t statistics are in parenthesis. SSE = sum of squared error.

\* Significant at the .05 level.

the price and difference instruments with the rate binary variables, ( $S_d$ ), the design matrix was singular so the inverse did not exist. This occurred because the instruments do not vary within rate schedules causing a perfect linear relationship between the instruments and the binary variables. To stabilize the design matrix,  $S_8$  and  $S_7$  were eliminated by trail and error with the results reported in Model B. To be consistent, only  $S_1, \dots, S_6$  are included in the estimate of Model A.

As suggested by Judge et al., an F-test is used to test for the significance of the structural variation in the rate schemes on water consumption. For Models A and C, the critical value of the F-ratio allowed for the rejection of the null hypothesis that there is no impact from structural variation in pricing schemes indicating the rate structure dummies need to be included in the specification of water demand. This was not the case for the instrument variable models. The calculated F-ratios between Models A and C, and B and D are 1.41 and .67 respectively. Because of multicollinearity problems, the estimated parameters in Model B are likely not reliable. As indicated previously, the correlation between the instruments for MP and D and the rate structure dummies is quite strong. Model D includes the instruments and excludes the rate dummies.

The signs on the coefficients of household income, household size and number of bathrooms are as expected and significantly different from zero. These coefficients are also reasonably stable across the alternate model specifications. An increase in income of \$100 per month would result in monthly water use increasing 60 gallons, on average. The income elasticity of .19 is comparable to elasticities reported in the literature. The coefficient on household size suggests each additional person adds from 300 to 700 gallons to monthly water consumption. This is similar to the impact of household size on rural water consumption reported by Doekson, Goodwin and Oehrtman for Oklahoma. For an additional bathroom, water use increases up to 1,300 gallons per month, on average. The adjusted R s range between .41 and .35.

The coefficients on MP are negative and significant in all estimates. Casual comparison of the coefficients on price in Model C and Model D suggests the price coefficient in Model C is bias away from zero, as expected. The price elasticities for these two respective estimates are -.406 and -.357. These compare reasonably well with previous research (e.g.

Doeksen, Goodwin and Oehrtman). The coefficient on the difference variable has the opposite sign than expected and is statistically different than the coefficient on household income (F-ratio = 57.90)(Model C). The simple correlation between water consumption and the difference variable is .23. In general, higher values on D are associated with more household income for the sample of Illinois rural water district users. The expected direction of the bias for the coefficient on D, because of simultaneity problems, is toward zero. For the instrument model (Model D), the sign on D1 is consistent with theoretical expectations, but is not statistically significant, and is not equal in absolute magnitude to the coefficient on income at the .05 level. The coefficient on D1 is larger than that of income.

Other studies of domestic water demand have also reported theoretically inconsistent results with coefficients on the difference variable generally reported as substantially larger than coefficients on income (Howe; Billings and Agthe; Jones and Morris). Howe argues that because of the surrogate nature of this variable and its ex post construction, there is no reason to expect empirical outcomes to be theoretically consistent. Henson points out that the income effect associated with block rate pricing should not be expected to conform with theoretical expectations since it is a trivial fraction of monthly income. These results support Foster and Beattie's (1981a) arguments challenging the appropriateness of the Nordin demand model for empirical analysis of goods sold under discrete pricing structures. Their argument is based on the lack of information held by consumers on the complicated block rate pricing schedules for water.

Procedures identified by Hausman can be used to test the hypothesis that there is no simultaneity problems with OLS estimates of water demand and that the price variables are not endogenous because of the institutional pricing structure. The test is implemented by comparing a weighted change in the parameters, for the whole model, between the OLS estimates of the model (4) estimated with and without the instrument variables for marginal price and the difference variable. The test was conducted for Model C and Model D. The critical value at the 95 percent confidence level is 5.9914. The calculated value of 215.37 suggests rejection of the null hypothesis of no correlation between explanatory variables and the error term. This indicates that the OLS estimates are not consistent and that a simultaneity

problem exists in the Illinois rural water district household data.

This finding is not consistent with the conclusion drawn by Howe and Linaweaver in their 1967 study and with Taylor's contention that in the short run consumer's behavior is independent of block rate price schedules. However, casual observation of Models C and D support Henson's observation that OLS estimates of demand using price variables measured ex post from rate schedules are reasonably close to estimates using instrument marginal price and difference variables. Jones and Morris made a similar observation in comparing OLS demand estimates of potable water for the Denver area. They conclude that for their household level data, instrumental estimation of price produced results not fundamentally different from simpler OLS approaches.

While the Hausman test identified a statistical difference between Model C and D regarding price endogeneity, the more theoretically consistent coefficient on the difference variable makes Model C warrantable. These results suggest the instrumental approach deserves additional attention in empirical analysis of the demand for rural water services. The estimation of the instruments is an area for consideration. A suggested improvement on the approach to estimating instruments would be to account more directly for the intra-rate variation in estimating the coefficients of (3). Direction for these modifications may be in the literature studying the demand for electricity (e.g. McFadden and Puig).

#### **Summary and Conclusions**

The empirical analysis of the demand for rural water service was estimated using household level data from a sample of customers served by the Illinois Farmers Home Administration financed rural water systems. An instrumental variables approach was employed to correct for potential simultaneity bias in OLS estimates associated with the institutional, discrete pricing structure under which water is sold. The estimated model incorporated the full information specification suggested by Nordin and included a marginal price and a lump-sum income effect or difference variable. The results were consistent with the limited literature on water demand, in general, and rural water demand, in particular. A price elasticity of  $-0.36$  was reported for the instrumental estimate. The income elasticity of rural water demand was found to be  $.19$ .

The demand analysis raises some questions about the appropriateness of the full information assumptions implicit in the Nordin marginal price-expenditure difference model. Consumers may respond to a simpler model of behavior relying on information about total expenditures and total water consumption. The analysis found a significant bias in OLS estimates of rural water demand using price variables calculated at observed consumption levels. The instrumental-variables technique, applied to actual rate schedules, was shown to provide more theoretically consistent estimates and warrants additional attention in future research.

References

Andrews, Donald R. and Kenneth C. Gibbs., "An Analysis of the Effect of Price on Residential Water Demand: Metropolitan Miami, Florida," Southern Journal of Agricultural Economics 7(July 1975): 125-130

Batchelor, R.A., "Household Technology and the Domestic Demand for Water," Land Economics 51(August 1975): 208-223.

Billings, R. Bruce., "Specification of Block Rate Price Variables in Demand Models," Land Economics 58(August 1982): 386-394.

Billings, R. Bruce and Donald E. Agthe, "Price Elasticities for Water: A Case of Increasing Block Rates," Land Economics 56(February 1980): 73-84.

Charney, Albert H. and Gary C. Woodard., "A Test of Consumer Demand Response to Water Prices: Comment," Land Economics 60(November 1984): 114-116.

Chicoine, David L. and Ganapathi Ramamurthy, "Evidence on the Specification of Price in the Study of Domestic Water Demand," Land Economics 62(February 1986): (forthcoming).

Chicoine, David L., Margaret R. Grossman, and John A. Quinn., Rural Water Districts of Illinois WRC-84-184, Water Resources Center, University of Illinois, Urbana, IL (April 1984).

Doeksen, Gerald A., E.L. Goodwin and Robert I. Oehrtman., "Estimating Demand and Demand Elasticities for Water in Rural Areas," paper presented at the meeting of the Southern Agricultural Economics Association, Nashville, TN (February 5-8, 1984).

Foster, Henry S., Jr. and Bruce R. Beattie., "Urban Residential Demand for Water in the United States," Land Economics 55(February 1979): 43-58.

Foster, Henry S., Jr. and Bruce R. Beattie., "Urban Residential Demand for Water in the United States: Reply," Land Economics 57(May 1981a): 257-265.

Foster, Henry S., Jr. and Bruce R. Beattie., "On the Specification of Price in Studies of Consumer Demand Under Block Price Scheduling," Land Economics 57(November 1981b): 624-629.

Griffin, Adrian H., William E. Martin and James C. Wade, "Urban Residential Demand for Water in the United States: Comment," Land Economics 57(May 1981): 252-256.

Hanke, Steve H. and Lennart de Mare, "Residential Water Demand: A Pooled, Time Series Cross Section Study of Malmo, Sweden," Water Resources Bulletin 18(August 1982): 621-625.



Henson, Steven E., "Electricity Demand Estimates Under Increasing Block Rates," Southern Economic Journal 51(July 1984): 147-156.

Hewlett, James G., "Changing Patterns of Household's Consumption of Energy Commodities," Proceedings of the American Statistical Association, Business and Economics Section, Part I (August 1977): 99-108.

Hausman, J.A., "Specification Tests in Econometrics," Econometrica 46(November 1978): 1251-1271.

Howe, Charles W., "The Impact of Price on Residential Water Demand: Some New Insights," Water Resources Research 18(August 1982): 713-716.

Howe, Charles W. and F.P. Linaweaver, Jr., "The Impact of Price on Residential Water Demand and Its Relationship to System Design and Price Structure," Water Resources Research 3(First Quarter 1967): 13-32.

Jones, C. Vaughan and John R. Morris, "Instrumental Price Estimates and Residential Water Demand," Water Resources Research 20(February 1984): 197-202.

Judge, George G., R. Cater Hill, William Griffith, Helmut Lutkepohl and Tsoung-Chao Lee, Introduction to Theory and Practice of Econometrics. New York, NY (John Wiley and Sons).

McFadden, D. and C. Puig, "An Econometric Model of the Demand for Electricity," in Teknekron, Inc., Econometric Impact of Water Pollution Control on the Steam Electric Industry. Report EEED-12, Berkeley, CA (1975).

Nordin, John A., "A Proposed Modification of Taylor's Demand Analysis: Comment," The Ball Journal of Economics 7(Autumn 1976): 719-721.

Opaluch, James J., "A Test of Consumer Demand Response to Water Prices: Reply," Land Economics 60(November 1984): 417-421.

Polzin, Paul E., "The Specification of Price in Studies of Consumer Demand Under Block Price Scheduling," Land Economics 60(August 1984): 306-309.

Schefter, John E. and E.L. David, "Estimating Residential Water Demand Under Multi-Part Tariffs Using Aggregate Data," Land Economics (in press, 1985).

Taylor, L.D., "The Demand for Electricity: A Survey," The Bell Journal of Economics 6(Spring 1975): 74-110.

Taylor, L.D., Gail R. Blattenberger and Robert X. Rennhack, "Residential Energy Demand in the United States," Report to the Electric Power Research Institute, Data Resources, Inc. (July 1981).

Terza, Joseph V. and W.P. Welch, "Estimating Demand Under Block Rates: Electricity and Water," Land Economics 58(May 1982): 181-188.