

# This document is discoverable and free to researchers across the globe due to the work of AgEcon Search. 

## Help ensure our sustainability. Give to AgEcon Search

AgEcon Search
http://ageconsearch.umn.edu
aesearch@umn.edu

Papers downloaded from AgEcon Search may be used for non-commercial purposes and personal study only. No other use, including posting to another Internet site, is permitted without permission from the copyright owner (not AgEcon Search), or as allowed under the provisions of Fair Use, U.S. Copyright Act, Title 17 U.S.C.

# Measuring Quantity-Constrained and Maximum Prices Consumers are Willing to Pay for Quality Improvements: the Case of Organic Beef Meat 

Alessandro CORSI<br>University of Turin

## And

## Silvia NOVELLI

National Institute for Agricultural Economics - INEA

[^0]Contributed paper selected for presentation at the $25^{\text {th }}$ International Conference of Agricultural Economists, August 16-22, 2003, Durban, South Africa


#### Abstract

* In this paper, models for estimating the maximum price consumers are willing to pay (MPWTP) for organic beef meat, and the maximum quantity-constrained price (i.e., when buying the same quantity they bought of regular meat) consumers are willing to pay (MQCP), are presented. To this purpose, the relevant theoretical and econometric approaches are presented, based on the RUM model and on a Contingent Valuation technique.


Key-words:
Organic meat, willingness-to-pay, double-bounded probit

[^1]
# Measuring Quantity-Constrained and Maximum Prices Consumers are Willing to Pay for Quality Improvements: the Case of Organic Beef Meat 

Alessandro Corsi and Silvia Novelli

## 1. Introduction

Organic products are usually considered to represent a quality improvements for food, since they are considered safer and more environment-friendly. Of course, prospective producers are concerned about their profitability, since they usually entail higher production costs. Contingent valuation (CV) techniques are an attractive tool for assessing consumers' attitudes towards a new product not currently available on the market. This is precisely the case of organic beef meat in Italy: until the European Council Regulation (EC) 1804/1999 was issued, no animal product in Europe had the right to be labelled as "organic", but since a national regulation was further needed, in Italy it was not before 2000 that organic animal products could be legally marketed. Nevertheless, until now production is still sporadic, so that for most consumers organic meat is not actually available.

Several papers have dealt with the attitudes of consumers towards organic products and safe food in a broader sense (Thompson (1998) provides a more detailed review of U.S. studies on consumer demand for organic produce): Huang (1996); Henson (1996); Thompson and Kidwell (1998); Fu TsuTan et al. (1999); Van Ravenswaay and Blend (1999); Blend and van Ravenswaay (1999); Weaver et al. (1992); Ott (1990); Govindasamy and Italia (1999); Underhill and Figueroa (1996); Loureiro and Hine (2001); Boland et al. (1999); Gil et al. (1999) among others. Many papers dealing with the willingness-to-pay for quality improvements use a setting similar to the one used for valuing environmental goods. In that setting, the trade-off is between a lump sum payment and a change in quality/quantity of the environmental good. We argue that this setting is not always appropriate when concerning goods that do not completely substitute for previously available goods, and that can be consumed along with them. The goal of this paper is then to examine this issue, to present the theoretical framework for the "traditional" approach and for a new approach aiming at estimating the maximum price consumers are willing to pay (MPWTP) for quality improvements, and to use these frameworks for an empirical exercise concerning organic beef meat.

## 2. Theoretical and econometric model

In contingent valuation, consumers are asked to state their willingness to pay for a given change in the quantity or quality change of the relevant good. It should nevertheless be noted that when asking this question, respondents are placed in a take-or-leave situation: either the old, or the new quantity or quality of the relevant good is provided. By contrast, when organic meat becomes available, the consumer can still buy regular meat. In this sense, availability of organic meat is equivalent to the enlargement of the choice set the consumer is facing: he/she can choose to buy only organic meat (in the same or in a different quantity as he/she did the regular one), both qualities, or only the regular one. This point is often disregarded in the literature: a "traditional" approach is asking to consumers what is the price they would be willing to pay for the new quality (or, equivalently, what would be the price premium they would pay for the better quality). But, implicitly, this approach assumes that the same quantity as the regular product is purchased; in a sense, this is equivalent to constraining the consumer to totally substituting the old for the new product and to buy the same quantity.

Our approach aims at estimating the maximum price consumers are willing to pay for organic meat, or the choke price for organic quality, when they are free to choose their optimal bundle of organic and regular meat. In the same time, we are able to estimate the price consumers would be willing to pay for organic meat, were they constrained to totally substitute regular for organic meat, and to buy the same quantity as before organic quality was made available.

To put this situation in a theoretical framework, assume the only available meat is the regular one and the consumer has solved his/her maximisation problem and chosen the optimal quantity $\mathrm{q}_{0}$ of regular meat at a price $\mathrm{p}^{0}$, achieving utility $\mathrm{v}^{0}$. The minimum expenditure necessary to achieve level of utility $\mathrm{v}^{0}$ is indicated by the expenditure function:

$$
\begin{equation*}
\mathrm{e}_{0}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{v}^{0}\right)=\mathrm{e}_{0}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{v}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{~s}, \mathrm{M}\right)\right)=\mathrm{e}_{0}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{~s}, \mathrm{M}\right) \tag{1}
\end{equation*}
$$

where P is the vector of other prices, s are preference shifters as attributes of the individual, and M is income.

Now assume that organic meat is made available in perfectly elastic supply to the consumer at a price $\mathrm{p}^{1}$; to attain the same utility level $\mathrm{v}^{0}$ the minimum expenditure will be:

$$
\begin{equation*}
e_{1}\left(P, p^{0}, p^{1}, v^{0}\right)=e_{1}\left(P, p^{0}, p^{1}, v\left(P, p^{0}, p^{1}, s, M\right)\right)=e_{1}\left(P, p^{0}, p^{1}, s, M\right) \tag{2}
\end{equation*}
$$

The consumer will buy a positive quantity of organic meat if:

$$
\begin{equation*}
\mathrm{e}_{1}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{p}^{1}, \mathrm{~s}, \mathrm{M}\right)<\mathrm{e}_{0}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{~s}, \mathrm{M}\right) \tag{3}
\end{equation*}
$$

or:

$$
\begin{equation*}
\mathrm{d}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{p}^{1}, \mathrm{~s}, \mathrm{M}\right)>0 \tag{4}
\end{equation*}
$$

where $d(\cdot)=e_{0}\left(P, p^{0}, s, M\right)-e_{1}\left(P, p^{0}, p^{1}, s, M\right)$ is the difference-in expenditure (DE) equation.
The DE equation is decreasing in $p_{1}$. For a given price $\mathrm{p}^{*}{ }_{1}$ it reduces to zero and, for any $\mathrm{p}_{1}>\mathrm{p}^{*}{ }_{1}$, the difference in expenditure remains zero: the consumer would simply buy the same quantity of regular meat, and no organic meat. For an empirical analysis of the problem, following the random utility model (RUM), it is assumed that, while consumers know their preferences with certainty, there are some components unknown to the researcher that are treated as random. Calling $\varepsilon_{0}$ and $\varepsilon_{1}$ the random components, and $\mathrm{e}^{\prime}{ }_{0}$ and $\mathrm{e}^{\prime}{ }_{1}$ the systematic components of the expenditure functions, the above condition is therefore:

$$
\begin{equation*}
\mathrm{e}^{\prime}{ }_{1}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{p}^{1}, \mathrm{~s}, \mathrm{M}\right)+\varepsilon_{1}<\mathrm{e}^{\prime}{ }_{0}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{~s}, \mathrm{M}\right)+\varepsilon_{0} \tag{5}
\end{equation*}
$$

or:

$$
\begin{equation*}
\mathrm{d}^{\prime}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{p}^{1}, \mathrm{~s}, \mathrm{M}\right)>\mu \tag{6}
\end{equation*}
$$

where $d^{\prime}(\cdot)=e^{\prime}{ }_{0}\left(P, p^{0}, s, M\right)-e_{1}\left(P, p^{0}, p^{1}, s, M\right) ; \mu=\varepsilon_{1}-\varepsilon_{0}$; and obviously $d(\cdot)=d^{\prime}(\cdot)+\mu$.
To estimate the model, a density function has to be assumed for $\mu$. Since $d() \geq$.0 , then $\mu>-d^{\prime}($. when the consumer chooses some organic meat, and $\mu=-d^{\prime}($.$) otherwise. Hence, the density$ function of $\mu$ must have a mass density at $-\mathrm{d}^{\prime}(\cdot)$. Therefore, in our exercise $\mu$ is assumed to have a normal probability distribution, censored at $-\mathrm{d}\left({ }^{( }\right)$. It is then possible to express the probability of a positive consumption of organic meat for a particular $p^{1}$ offered ( $p^{\text {bid }}$ ) in terms of the cumulative density function of $\mu, \mathrm{G}_{\mu}$; the probability that a consumer will respond "yes" to an offered $\mathrm{p}^{\text {bid }}$ is the probability that $\mu$ is greater than $-\mathrm{d}^{\prime}(\cdot)$ or, by symmetry of the normal distribution:

$$
\begin{align*}
& \mathrm{P}(\text { consumption })=\mathrm{P}\left[\mu>-\mathrm{d}^{\prime}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{p}^{\text {bid }}, \mathrm{s}, \mathrm{M}\right)\right]=\mathrm{P}\left[\mu<\mathrm{d}^{\prime}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{p}^{\text {bid }}, \mathrm{s}, \mathrm{M}\right)\right]= \\
& =\mathrm{G}_{\mu}\left[\mathrm{d}^{\prime}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{p}^{\text {bid }}, \mathrm{s}, \mathrm{M}\right)\right] \tag{7}
\end{align*}
$$

and: $\quad \mathrm{P}($ no consumption $)=1-\mathrm{G}_{\mu}[]$

Maximum likelihood techniques can be employed to estimate the parameters in d' $(\cdot)$. It is important to note that with this approach, if the consumer is willing to buy some organic meat, even
a lower quantity than the quantity of regular meat he/she bought before organic meat was made available, this should be considered as a "yes" response.

With this approach, also observations from persons who presently do not consume regular meat can be used (in our sample, some consumers had stopped to consume meat, due to the BSE). They are presently at a corner solution for regular meat, but if organic meat is made available, they may decide to consume it, if their expenditure when organic meat is available is less than their expenditure when it was not, holding utility constant. The only difference with the above approach is that, since they already excluded consumption of regular meat, its price does not enter in their DE equation, so that the DE equation has to be estimated separately ${ }^{1}$.

Since the maximum level of $\mathrm{p}^{1}$ for which the consumer is willing to buy organic meat $\left(\mathrm{p}^{*}{ }_{1}\right)$ is the one for which the expenditure with and without organic meat are equal, i.e. the level of $p^{1}$ for which the difference in expenditure is equal to zero, $\mathrm{p}^{*}{ }_{1}$ can be recovered from the estimated equation by setting $\mathrm{d}^{\prime}(\cdot)$ to zero and solving for $\mathrm{p}^{1}$, thus finding a maximum-price-consumers-are-willing-to-pay equation (MPWTP). Using the MPWTP equation, it is then possible to calculate the maximum price each consumer is willing to pay for organic meat ${ }^{2}$, and to compute its mean value and other descriptive statistics for the sample ${ }^{3}$.

As usual in probit and logit analysis, the parameters in the DE equation are only identifiable up to a scale parameter. Nevertheless, the parameters of the MPWTP equation are perfectly identified, since they are found by dividing the parameters of the difference-in expenditure equation other than the $\mathrm{p}^{\text {bid }}$ by the parameter of the $\mathrm{p}^{\text {bid }}$.

In the "traditional" approach, consumers are asked to state how much (or how much more) they would pay for organic meat. It is implicitly assumed that they can buy either regular or organic meat in the same quantity. Assume the quantity of regular meat presently consumed is $\mathrm{q}_{0}$, with price $p^{0}$. The alternative offered is buying the same quantity of organic meat (call it $q_{1}$ ), for price $p^{1}$. This situation can be depicted as if meat were rationed at levels $\mathrm{q}_{0}$ or $\mathrm{q}_{1}$; then, using the restricted expenditure functions (Pollack, 1969; Freeman, 1993), we have:

$$
\begin{equation*}
\mathrm{e}_{\mathrm{r} 0}=\mathrm{e}_{\mathrm{r} 0}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{q}_{0}, \mathrm{v}^{0}, \mathrm{~s}\right) \tag{9}
\end{equation*}
$$

[^2]\[

$$
\begin{equation*}
\mathrm{e}_{\mathrm{r} 1}=\mathrm{e}_{\mathrm{r} 1}\left(\mathrm{P}, \mathrm{p}^{1}, \mathrm{q}_{1}, \mathrm{v}^{0}, \mathrm{~s}\right) \tag{10}
\end{equation*}
$$

\]

where $v^{0}$ is the utility reached when only organic meat is available. The restricted expenditure function $e_{r 0}$ is obviously the same as expenditure function $e_{0}$ in (1), since $q_{0}$ is the optimal level of regular meat; by contrast, $\mathrm{e}_{\mathrm{r} 1}$ is different from $\mathrm{e}_{1}$ in (2), since the quantity is constrained, and the only available quality here is the organic one. The valuation function, or willingness-to-pay function, indicating the sum a consumer is willing to pay to have the quality increase from $q_{0}$ to $q_{1}$ (for the same quantity), is in this case:

$$
\begin{equation*}
\operatorname{WTP}\left(P, p^{0}, p^{1}, q_{0}, q_{1}, v_{0}, s\right)=e_{r 0}\left(P, p^{0}, q_{0}, v_{0}, s\right)-e_{r 1}\left(P, p^{1}, q_{1}, v_{0}, s\right) \tag{11}
\end{equation*}
$$

Using again the RUM approach, and attaching a random component $v$ to the equation, and remembering that $\mathrm{v}_{0}=\mathrm{v}_{0}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{~s}, \mathrm{M}\right)$, the probability of a "yes" response from a consumer asked whether he/she would buy the same quantity at a given bid price is:

$$
\begin{align*}
\mathrm{P}(\text { consumption }) & =\mathrm{P}\left[\mathrm{v}<\mathrm{WTP}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{p}^{\text {bid }}, \mathrm{q}_{0}, \mathrm{q}_{1}, \mathrm{~s}, \mathrm{M}\right)\right]= \\
& =\mathrm{G}_{\mathrm{v}}\left[\operatorname{WTP}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{p}^{\text {bid }}, \mathrm{q}_{0}, \mathrm{q}_{1}, \mathrm{~s}, \mathrm{M}\right)\right] \tag{12}
\end{align*}
$$

Notice that in this approach, a response "I would buy some organic meat, but less than I did of regular meat" should be interpreted as a "no" response. As before, the WTP equation can be estimated by maximum likelihood methods. When the WTP is equal to zero, the consumer is indifferent between buying regular meat and buying the same quantity of organic meat. Hence, by setting the WTP equation to zero and solving for $\mathrm{p}^{\text {bid }}$, one can recover an equation indicating the maximum price consumers are willing to pay for buying the same quantity as before, but of organic quality (maximum quantity-constrained price consumers are willing to pay or MQCP). Nevertheless, with this approach, people presently not consuming regular meat cannot be sensibly asked the elicitation question, since there is no quantity they are buying, so that they have to be excluded from the sample, and some information is lost ${ }^{4}$. To estimate the WTP equation, the quantity of regular meat consumed is needed; nevertheless, this information was not available. This problem can nevertheless be tackled by considering that that quantity is given by the individual demand function $\mathrm{q}_{0}=\mathrm{q}_{0}\left(\mathrm{P}, \mathrm{p}^{0}, \mathrm{~s}, \mathrm{M}\right)$, i.e., it is a function of other explanatory variables included in the WTP equation. Of course, this implies that the direct impact of the original quantity is not detected and that the effects of the other variables include both their effect on the quantity originally demanded and on the expenditure.

[^3]The efficiency of the estimates of the difference-in-expenditure equation can be increased using a double bounded format of the elicitation question (Carson et al., 1986; Hanemann et al., 1991): consumers are asked if they are willing to buy organic meat at a given price (first bid, B); if they are, they are asked if they are equally willing to buy at a higher price (higher bid, HB); if, by contrast, they answer no to the first bid, the question is asked again with a lower price (lower bid, LB). There are four possible responses for the two questions: "yes-yes", "no-no", "no-yes", "yesno", each of them defining a portion of the cumulative density function. Precisely, defining for brevity $G()$ the value of $G\left[f\left(P, p^{0}, p^{\text {bid }}, s, M\right)\right]$ for $p^{\text {bid }}=B, H B, L B$, and recalling that by the symmetry of the normal distribution $1-\mathrm{G}[\cdot]=\mathrm{G}[-(\cdot)]$, we have:

$$
\begin{align*}
& \mathrm{P}(\text { yes-yes })=\mathrm{G}(\mathrm{HB})  \tag{13}\\
& \mathrm{P}(\text { yes-no })=\mathrm{G}(\mathrm{~B})-\mathrm{G}(\mathrm{HB})  \tag{14}\\
& \mathrm{P}(\text { no-no })=\mathrm{G}(-\mathrm{LB})  \tag{15}\\
& \mathrm{P}(\text { no-yes })=\mathrm{G}(\mathrm{LB})-\mathrm{G}(\mathrm{~B}) \tag{16}
\end{align*}
$$

If the consumer is asked whether he/she would buy organic meat at a given bid price, and is given the possibility to answer "yes, I would buy the same quantity of organic as I did of regular meat" (YS), "yes, I would buy some organic meat, but less than I did of regular meat" (YL), and "no, I wouldn't buy any organic meat" (NO), then both the MPWTP and the MQCP can be estimated. In our exercise, consumers were offered a higher bid price if they responded YS, and a lower bid price both in case of a YL or of a NO response. Table 1 shows the portions of the cumulative density function corresponding to each combination of responses in our and in the "traditional" approach. While for MQCP estimation the format is exactly double-bounded, for the MPWTP estimation it could be called a one-and-six-ninth bounded, since the second bid adds no information when the first response is YL.

It should also be noted that, since DE and WTP are differences between two expenditure functions, it is quite possible that income and personal characteristics effects vanish if their parameters are equal in both. Nevertheless, we preferred to keep them, in order to take into account possible interaction effects with quality. Different specifications are possible for the equations; our chosen version is a very simple linear specification, including among the explanatory variables prices, income classes, and personal characteristics.

One important issue is the accuracy of the mean MPWTP and MQCP estimates. Since the parameters in the MPWTP and MQCP function are non-linear functions of the parameters of the DE and WTP equations, respectively, the variation in mean MPWTP and MQCP also depends on the variability of the DE and WTP equations parameters. For this reason, confidence intervals for the mean MPWTP and MQCP have been calculated using Krinsky and Robb's (1986) Monte Carlo
simulation approach. Multiple random drawings from a multivariate normal distribution with mean $\beta$ (the vector of the estimates of the DE and WTP equations) and variance-covariance matrix V (the estimated variance-covariance matrices) have been made, resulting in random $\beta$ vectors; from each of them, a new vector of the MPWTP and MQCP equation parameters has been calculated, and the mean MPWTP and MQCP for the sample have been computed. The final result are empirical distributions of mean MPWTP and MQCP. From these, (1- $\alpha$ ) confidence intervals have been obtained by sorting the distributions and dropping $\alpha / 2$ values from both tails of the sorted distributions.

## 3. Data and procedure

Data were collected through a random telephone survey in Piedmont Region (Italy) in June-July 2001. The questionnaire was designed with three specific goals: a) to analyse consumers' behaviour changes after BSE events and consumers' knowledge and purchase habits of organic products; b) to evaluate consumers' willingness to pay for organic beef; c) to determine consumers' preferences about organic beef selling outlets, packaging and label.
In the central part of the interview, a closed-ended contingent valuation (CV) question was asked: respondents were asked whether they would pay a specific price (bid price) to buy organic beef. As mentioned above, to increase the elicitation process efficiency, the take-it-or-leave-it format was set with a follow-up question: if the answer to the first question was 'yes' another WTP question was asked using an higher price; if the answer was 'no' the interviewer proposed a lower price.

To evaluate meat cuts characterised by different prices and cooking processes, respondents were asked about their WTP for roast and minute steak, two cuts of beef largely popular among Italian consumers.
Respondents were previously informed about the prospective availability, the characteristics, and the certification process of organic beef meat. The wording of the elicitation question for those persons presently consuming regular meat was as follows: "Assume you can find on the market certified organic beef meat; if roast cost X ITL/kg, would you buy it?". Three answers were prompted: "Yes, I would buy it in the same quantity I'm currently consuming"; "Yes, but I would buy less than what I'm currently consuming"; "No". These respondents were also asked about the price they presently paid for regular meat.
Respondents who had answered to a previous question that they had given up eating beef after the 'mad cow' events were asked about the possibility to go back and consume it; the wording of the elicitation question in this case was: "Assume you can find on the market certified organic beef
meat; if roast cost X ITL/kg, would you buy it again?". In this case, the answer could only be "yes" or "no". For these respondents the question about prices currently paid was obviously omitted. The same questions were asked for minute steak.
To avoid a question order bias, six different versions of the questionnaire were randomly submitted to the respondents, each different for the ordering of the questions and/or of the provided answers. The bid vector of the X prices was set based on a preliminary inspection of regular beef prices. Organic beef is supposed to be, at present, more expensive than regular meat, due to higher production costs and to specialised distribution. Bid prices were therefore set higher than, or equal to, first-rate quality meat currently on sale. Bids were randomly submitted to the respondents. When the respondent stated to be willing to pay the first bid price, he/she was asked a second bid price, $5,000 \mathrm{ITL} / \mathrm{kg}(2.58 € / \mathrm{kg})$ higher. If the respondent was unwilling to pay the first price, then he/she was asked a second one, reduced by the same amount.

The questionnaire was pre-tested with a small pilot sample in order to assess the adequacy of the bid design and the clearness of the questionnaire.

The target population was those residents in Piedmont Region who were usually in charge of buying food for themselves and their family. A sample of families living in Piedmont region were randomly drawn from the electronic telephone directory ${ }^{5}$. A total of 879 families living in the region were contacted ${ }^{6}$; interviewers explicitly asked to speak to the household member who was usually responsible for food shopping. The response rate was $51.4 \%$, which is reasonably fair for a telephone survey. Part of the interviews $(4,9 \%)$ were stopped by the interviewer when respondents were found to be permanently out of the beef market (vegetarians, people consuming only other meat for health reasons, farmers self-consuming their products). Finally, $0.8 \%$ of the questionnaires were not usable because incomplete (respondents were unable to state their WTP). In conclusion, a final sample of 402 questionnaires was successfully completed. Part of the respondents who completed the questionnaire did not consume specifically roast or minute steak; so, the usable number of questionnaires employed to estimate MPWTP for organic meat was 376 for roast and 397 for minute steak.

Table 2 reports the descriptive statistics of the explanatory variables. They include respondents' socio-demographic characteristics ${ }^{7}$ (gender, age, education, household size, household income classes), their residence (divided in small -less than 50,000 inhabitants- and big towns), and a

[^4]dummy variable indicating their answer to the question whether they knew organic products, which supposedly could influence their preference for organic meat. A comparison of the sample with the population is difficult because the reference population are the persons in charge of purchasing food, not the entire population. Nevertheless, the sample characteristics, whenever possible, were compared to Census data: in our sample, the share of women is obviously much higher, as expected, because they more frequently take care of buying food ( $82 \mathrm{vs} .52 \%$ ); the younger age group (20-39) is slightly underrepresented ( $31 \mathrm{vs} .36 \%$ ); the same applies to people with lower education (no respondent without any school diploma is included in the sample, while they are $6.4 \%$ in the Region; the relevant shares for elementary school are 19 vs. $38 \%$ ). Inference of the results to the general population should be therefore done with some caution, because of a possible bias.

## 4. Results

Tables 3 and 4 present the estimates of the difference-in-expenditure, WTP, MPWTP and MQCP equations for roast and minute steak. As already mentioned, they are estimated separately for those consumers who know the price of regular meat (Group A) and those who either do not consume regular meat or consume it, but do not know its price (Group B).
The DE and WTP equations show how the explanatory variables influence the probability of a positive response: in the first case, the probability concerns the consumption of any amount of organic meat, in the second, the consumption of the same amount as the regular meat. Starting with roast, in the parameters of the bid price and of the regular meat price are negative (as expected) and positive, respectively, and are highly significant. The price parameter in the first MPWTP equation suggests that a thousand ITL/kg increase in the price the consumer pays for regular meat implies an increase of $966 \mathrm{ITL} / \mathrm{kg}$ ( $€ 0.50$ ) in the maximum price he/she would pay for organic meat; the relevant parameter in the MQPC equation suggests that a consumer would be willing pay 976 ITL/kg ( $€ 0.50$ ) more for organic meat for every thousand ITL/kg increase in the price of regular meat, were he/she given as the only choice to buy organic meat in the same quantity as the regular one. Most parameters of consumers' characteristics are not significantly different from zero, thus indicating that the effect of these variables are equal for the expenditure functions for regular and for organic meat, and that there are few interaction effects with quality. Only the parameter of city size is weakly significant among group A; by contrast, among these consumers, the knowledge of organic products is not significant at the usual levels. The opposite is nevertheless true for the other group of consumers, possibly because some of them are those who stopped buying regular meat after the BSE crisis, and therefore are more concerned of food safety; so, they are probably more interested in organic meat when they already know other organic products. Income has a significant, positive and increasing effect among Group A, at least among the first classes. By contrast, it is not
significant among Group B, which seems consistent with the fact that persons who do not remember the price they paid are included in it, along with people concerned with BSE, which may make them much interested in organic meat regardless of their income.
Also in the case of minute steak the parameters of the bid price and of the regular meat price are highly significant and have the same negative and positive signs. For this cut, however, the effect of the price of regular meat on the MPWTP for organic meat is weaker. Among the other variables, the parameter of the knowledge of organic products is significant and positive, both for group A and for group B. Again, income classes parameters are to a large extent significant and exhibit the predicted signs and values among Group A, unlike Group B.
Using the MPWTP and MQCP equations, the MPWTP and MQCP for the surveyed consumers have been estimated, and, using a Monte Carlo simulation, their mean, median and 95 percent confidence intervals have been computed for the sample. They are presented in Table 5.
The average MPWTP for consumers presently buying regular roast and remembering its price is lower than the corresponding MPWTP for minute steak, and much lower than the MPWTP of Group B. By contrast, MPWTP for minute steak is about the same for Group A and B. The variation in both MPWTP and MQCP is reasonably narrow, when considering the large variation in prices consumers are paying for regular meat; only in the case of Group B for roast the $95 \%$ confidence interval is quite large.
The average price currently paid is 25,892 lire ( $€ 13.37$ ) for regular roast meat, and 29,547 lire ( $€$ 15.26) for minute steak. Therefore, the average choke price for organic roast is $75 \%$ higher than the average current price for regular roast, and the corresponding value for minute steak is $53 \%$. If the average MQCPs are compared to the current average prices, they are $25 \%$ and $20 \%$ higher for roast and minute steak, respectively. This suggests that organic beef meat can have a certain market share also at quite higher prices than current prices of regular beef meat.

## 5. Summary and conclusions

In this paper, theoretical and econometric approaches for evaluating the maximum price consumers are willing to pay for a new quality, as well as the price they would pay if they were to totally substitute the new for the old quality, have been presented, and implemented for the case of organic beef meat.

The results show that consumers' MPWTP and MQCP are quite high, thus suggesting that organic beef meat might gain an appreciable market share. This is an encouraging signal for prospective producers of organic meat, who might compensate the likely increase in production costs with a substantial premium for the new good.

## References

Blend, J. R.; Ravenswaay, E. O. van (1999). Measuring consumer demand for ecolabeled apples. American Journal of Agricultural Economics, 81:1072-1077,
Boland M., Fox J.S., Mark D. (1999). Consumer willingness-to-pay for pork produced under an integrated meat safety system, Selected Paper at the Western Association of Agricultural Economists Annual Meeting, July 11-14, 1999, Fargo, North Dakota
Carson R.T., Hanemann W.M., Mitchell R.C. (1986). Determining the demand for public goods by simulating referendum at different tax prices. Manuscript, University of California, San Diego
Fu TsuTan; Liu JinTan; Hammitt, J. K. (1999) Consumer willingness to pay for low-pesticide fresh produce in Taiwan. Journal of Agricultural Economics, Vol.50, No.2, pp.220-233
Gil J.M., Gracia A., Sanchez M. (1999) Factors affecting consumers willingness to pay for organic food products,
Govindasamy R., Italia J. (1999, Predicting Willingness-to-Pay a Premium for Organically Grown Fresh Produce, Journal of Food Distribution Research, 30: 44-53
Hanemann W.M., Loomis J.B., Kanninen B.J. (1991). Statistical efficiency of double-bounded dichotomous choice contingent valuation, American Journal of Agricultural Economics, 73: 1255-63
Henson, S. (1996). Consumers willingness to pay for reductions in the risk of food poisoning in the UK., Journal of Agricultural Economics 47(3): 403-420.
Huang,C.H.L. (1996). Consumer Preferences and Attitudes Towards Organically Grown Produce. European Review of Agricultural Economics, 23, 331-342.
Krinsky I., Robb A.L. (1986). On approximating the statistical properties of elasticities, Review of Economics and Statistics, 68: 715-719
Loureiro, M. L.; McCluskey, J. J.; Mittelhammer, R. C. (2001), Assessing consumer preferences for organic, eco-labeled, and regular apples, Journal of Agricultural and Resource Economics, 26: 404-
416
Loureiro, M. L.; Hine S. (2001), Discovering Niche Markets: A Comparison of Consumer Willingness to Pay for A Local (Colorado Grown), Organic, and GMO-free Product, Selected Paper, 2001 American Agricultural Economics Association Meetings
Ott S.L. (1990). Supermarket shoppers' pesticide concerns and willingness to purchase certified pesticide residue-free fresh produce, Agribusiness, 6: 593-602
Pollack, R.A. (1969). Conditional demand functions and consumption theory, Quarterly Journal of Economics, 83: 60-78
Thompson G.D., Kidwell J. (1998) Explaining the choice of organic produce: cosmetic defects, prices, and consumer preferences, American Journal of Agricultural Economics, 80: 277-287
Thompson G.D. (1998) Consumer demand for organic foods: what we know and what we need to know, American Journal of Agricultural Economics, 80: 1113-1118
Underhill S.E., Figueroa E.E. (1996). Consumer Preferences for Non-Conventionally Grown Produce, Journal of Food Distribution Research, 27: 56-66
Van Ravenswaay E.O., Blend J.R. (1999). Measuring Consumer Demand for Ecolabeled Apples. American Journal of Agricultural Economics. 81:1078-1083
Weaver R.D., Evans D.J., Luloff A.E. (1992). Pesticide use in tomato production: consumer concerns and willingness-to-pay, Agribusiness, 8: 131-142

Table 1: Combination of responses and corresponding cdf

| Response to <br> $\mathbf{1}^{\text {st }}$ bid $(\mathbf{B})$ | $\mathbf{2}^{\text {nd }}$ bid | Response to <br> $\mathbf{2}^{\text {nd }}$ bid | Cdf for MPWTP <br> estimation | Cdf for MQCP <br> estimation |
| :---: | :---: | :---: | :---: | :---: |
| YS | HB | YS | $G(H B)$ | $G(H B)$ |
| YS | HB | YL | $G(H B)$ | $G(B)-G(H B)$ |
| YS | HB | NO | $G(B)-G(H B)$ | $G(B)-G(H B)$ |
| YL | LB | YS | $G(B)$ | $G(L B)-G(B)$ |
| YL | LB | YL | $G(B)$ | $G(-L B)$ |
| YL | LB | NO | Inconsistent* | $G(-L B)$ |
| NO | LB | YS | $G(L B)-G(B)$ | $G(L B)-G(B)$ |
| NO | LB | YL | $G(L B)-G(B)$ | $G(-L B)$ |
| NO | LB | NO | $G(-L B)$ | $G(-L B)$ |

* No such case was present in the sample

Table 2: Descriptive statistics of the explanatory variables

${ }^{(*)}$ Calculated for consumers of the specific meat cut who could remember the price
${ }^{(* *)}$ Values missing because of respondents' refusal to declare their income were replaced by fitted values (see footnote 7)

Table 3: Difference-in-expenditure, WTP, MPWTP AND MQCP equations for roast

|  | DE equation |  |  | MPWTP equation |  | TP equation |  | MQCP equation |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Group A | Coeff. | t-ratio | P -value | Coeff. | Coeff. | t-ratio | P -value | Coeff. |
|  | -0.3873 | -0.295 | 0.768 | -2.433 | 0.842 | 0.919 | 0.358 | 3.599 |
| $p^{\text {bid }}$ organic meat | -0.1592 | -4.851 | 0.000 |  | -0.234 | -11.194 | 0.000 |  |
| p regular meat | 0.1538 | 4.471 | 0.000 | 0.966 | 0.228 | 10.194 | 0.000 | 0.976 |
| Age | 0.0161 | 1.436 | 0.151 | 0.101 | -0.007 | -0.938 | 0.348 | -0.028 |
| Education (years) | 0.0266 | 0.513 | 0.608 | 0.167 | -0.054 | -1.522 | 0.128 | -0.229 |
| Household size | -0.0323 | -0.229 | 0.819 | -0.203 | -0.067 | -0.518 | 0.604 | -0.284 |
| Big town (1 = > 50000 inh.) | 0.5679 | 1.675 | 0.094 | 3.567 | 0.097 | 0.465 | 0.642 | 0.413 |
| Knows organic | 0.4315 | 1.510 | 0.131 | 2.710 | 0.281 | 1.299 | 0.194 | 1.200 |
| Sex (Female = 1) | 0.4840 | 1.332 | 0.183 | 3.040 | 0.224 | 0.784 | 0.433 | 0.959 |
| Income class 2 | 1.1923 | 2.654 | 0.008 | 7.489 | 1.152 | 3.185 | 0.001 | 4.921 |
| Income class 3 | 1.3836 | 2.666 | 0.008 | 8.690 | 1.650 | 4.058 | 0.000 | 7.050 |
| Income class 4 | 0.8443 | 1.576 | 0.115 | 5.303 | 1.424 | 2.959 | 0.003 | 6.085 |
| Income class 5 | 0.7376 | 0.984 | 0.325 | 4.633 | 1.422 | 2.547 | 0.011 | 6.076 |
| N | 199 |  |  |  | 199 |  |  |  |
| Log-likelihood | -85.590 |  |  |  | -172.589 |  |  |  |
| Group B |  |  |  |  |  |  |  |  |
| Constant | 1.1420 | 0.931 | 0.352 | 19.005 | 3.890 | 3.634 | 0.000 | 27.475 |
| pbid | -0.0601 | -4.427 | 0.000 |  | -0.142 | -9.580 | 0.000 |  |
| Age | 0.0147 | 1.266 | 0.206 | 0.245 | 0.007 | 0.760 | 0.447 | 0.049 |
| Education (years) | 0.0482 | 0.918 | 0.358 | 0.803 | -0.010 | -0.292 | 0.770 | -0.072 |
| Household size | -0.1492 | -1.136 | 0.256 | -2.483 | -0.147 | -1.256 | 0.209 | -1.038 |
| Big town (1 = > 50000 inh.) | -0.0794 | -0.276 | 0.783 | -1.322 | 0.795 | 3.190 | 0.001 | 5.617 |
| Knows organic | 0.5267 | 2.181 | 0.029 | 8.765 | 0.266 | 1.115 | 0.265 | 1.882 |
| Sex (Female = 1) | 0.2698 | 0.952 | 0.341 | 4.490 | -0.132 | -0.589 | 0.556 | -0.930 |
| Income class 2 | 0.5747 | 1.133 | 0.257 | 9.565 | 0.363 | 0.566 | 0.571 | 2.566 |
| Income class 3 | 0.7733 | 1.228 | 0.220 | 12.869 | 0.857 | 1.286 | 0.198 | 6.056 |
| Income class 4 | 0.1097 | 0.185 | 0.854 | 1.826 | 0.689 | 1.008 | 0.313 | 4.865 |
| Income class 5 | 0.8582 | 1.101 | 0.271 | 14.283 | 1.349 | 1.807 | 0.071 | 9.527 |
| N | 177 |  |  |  | 138 |  |  |  |
| Log-likelihood | -105.917 |  |  |  | -170.081 |  |  |  |

Table 4: Difference-in-expenditure, MPWTP AND MQCP equations for minute steak

|  | DE equation |  |  | MPWTP equation | WTP equation |  |  | MQCP equation |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Coeff. | t-ratio | P-value | Coeff. | Coeff. | t-ratio | P -value | Coeff. |
| Group A |  |  |  |  |  |  |  |  |
| Constant | 2.139 | 1.962 | 0.050 | 16.289 | 2.265 | 2.795 | 0.005 | 10.433 |
| $\mathrm{p}^{\text {bid }}$ organic meat | -0.131 | -6.891 | 0.000 |  | -0.217 | -15.565 | 0.000 |  |
| p regular meat | 0.058 | 2.659 | 0.008 | 0.440 | 0.138 | 9.045 | 0.000 | 0.636 |
| Age | 0.013 | 1.591 | 0.112 | 0.100 | 0.011 | 1.475 | 0.140 | 0.050 |
| Education (years) | -0.011 | -0.284 | 0.776 | -0.082 | 0.006 | 0.215 | 0.829 | 0.029 |
| Household size | -0.014 | -0.145 | 0.884 | -0.105 | -0.103 | -1.259 | 0.208 | -0.476 |
| Big town (1 = > 50000 inh.) | 0.173 | 0.662 | 0.508 | 1.316 | 0.142 | 0.720 | 0.471 | 0.655 |
| Knows organic | 0.730 | 3.068 | 0.002 | 5.558 | 0.398 | 1.984 | 0.047 | 1.832 |
| Sex (Female = 1) | 0.305 | 1.030 | 0.303 | 2.326 | -0.090 | -0.433 | 0.665 | -0.412 |
| Income class 2 | 0.656 | 1.745 | 0.081 | 4.996 | 0.636 | 1.895 | 0.058 | 2.927 |
| Income class 3 | 0.897 | 2.114 | 0.035 | 6.830 | 0.930 | 2.457 | 0.014 | 4.282 |
| Income class 4 | 0.838 | 1.843 | 0.065 | 6.381 | 0.856 | 2.085 | 0.037 | 3.944 |
| Income class 5 | 0.692 | 1.248 | 0.212 | 5.268 | 0.918 | 1.879 | 0.060 | 4.227 |
| N | 226 |  |  |  | 226 |  |  |  |
| Log-likelihood | -136.070 |  |  |  | -224.084 |  |  |  |
| Group B |  |  |  |  |  |  |  |  |
| Constant | 2.2154 | 2.213 | 0.027 | 26.111 | 4.666 | 4.454 | 0.000 | 32.470 |
| pbid | -0.0848 | -6.008 | 0.000 |  | -0.144 | -8.090 | 0.000 |  |
| Age | 0.0066 | 0.767 | 0.443 | 0.078 | 0.002 | 0.244 | 0.808 | 0.013 |
| Education (years) | 0.0747 | 1.631 | 0.103 | 0.880 | -0.040 | -1.079 | 0.281 | -0.282 |
| Household size | -0.1247 | -1.031 | 0.302 | -1.470 | -0.146 | -1.205 | 0.228 | -1.019 |
| Big town (1 = > 50000 inh.) | -0.3543 | -1.447 | 0.148 | -4.176 | 0.681 | 2.577 | 0.010 | 4.742 |
| Knows organic | 0.4891 | 2.234 | 0.025 | 5.765 | 0.351 | 1.609 | 0.108 | 2.440 |
| Sex (Female = 1) | 0.2699 | 0.942 | 0.346 | 3.181 | -0.059 | -0.227 | 0.820 | -0.407 |
| Income class 2 | 0.6099 | 1.588 | 0.112 | 7.189 | 0.437 | 1.038 | 0.299 | 3.038 |
| Income class 3 | 0.6484 | 1.465 | 0.143 | 7.643 | 1.006 | 2.281 | 0.023 | 7.002 |
| Income class 4 | -0.0052 | -0.011 | 0.991 | -0.061 | 0.788 | 1.534 | 0.125 | 5.482 |
| Income class 5 | 1.1671 | 1.653 | 0.098 | 13.755 | 1.426 | 2.583 | 0.010 | 9.922 |
| N | 171 |  |  |  | 132 |  |  |  |
| Log-likelihood | -133.545 |  |  |  | -156.883 |  |  |  |

Table 5: Results of the simulations: maximum, and quantity-constrained, prices consumers are willing to pay for organic beef

|  | MPWTP |  |  |  | MQCP |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Mean | Median | 95\% confidence interval |  | Mean | Median | 95\% confidence interval |  |
|  |  |  | Lower bound | Upper bound |  |  | Lower bound | $\begin{aligned} & \hline \text { Upper } \\ & \text { bound } \end{aligned}$ |
|  | Thousand ITL |  |  |  |  |  |  |  |
|  | Roast |  |  |  | 31.199 |  |  |  |
| Group A | 40.842 | 40.565 | 38.272 | 45.077 |  | 31.192 | 30.422 | 32.016 |
| Group B | 49.681 | 48.713 | 43.124 | 61.457 | 32.405 | 32.376 | 31.029 | 33.885 |
| Total | 45.261 | 43.929 | 38.584 | 58.527 | 31.802 | 31.634 | 30.526 | 33.616 |
|  | Minute steak |  |  |  |  |  |  |  |
| Group A | 45.116 | 44.980 | 42.924 | 48.212 | 35.186 | 35.182 | 34.416 | 35.975 |
| Group B | 45.013 | 44.751 | 41.832 | 49.632 | 34.495 | 34.504 | 32.970 | 35.896 |
| Total | 45.064 | 44.885 | 42.212 | 49.015 | 34.841 | 34.947 | 33.255 | 35.952 |
|  | Euro |  |  |  |  |  |  |  |
|  | Roast |  |  |  |  |  |  |  |
| Group A | 21.09 | 20.95 | 19.77 | 23.28 | 16.11 | 16.11 | 15.71 | 16.53 |
| Group B | 25.66 | 25.16 | 22.27 | 31.74 | 16.74 | 16.72 | 16.03 | 17.50 |
| Total | 23.38 | 22.69 | 19.93 | 30.23 | 16.42 | 16.34 | 15.77 | 17.36 |
|  | Minute steak |  |  |  |  |  |  |  |
| Group A | 23.30 | 23.230 | 22.17 | 24.90 | 18.17 | 18.170 | 17.77 | 18.58 |
| Group B | 23.25 | 23.112 | 21.60 | 25.63 | 17.82 | 17.820 | 17.03 | 18.54 |
| Total | 23.27 | 23.181 | 21.80 | 25.31 | 17.99 | 18.049 | 17.17 | 18.57 |


[^0]:    Contact:
    Alessandro Corsi
    Department of Economics, University of Turin Via Po, 5310124 Torino (Italy)
    Tel. +39-0116702740 Fax +39-0112362740
    alessandro.corsi@unito.it

[^1]:    * The financial support of Piedmont Region is gratefully acknowledged; the research was implemented in collaboration with Agri-Bio Piemonte. We wish to thank Riccardo Scarpa and Ugo Colombino for helpful comments and suggestions on earlier drafts of this paper; remaining errors are ours.

[^2]:    ${ }^{1}$ Several consumers of regular beef meat did not know or did not remember the price they paid. We tried to estimate this price, but the equation fir very poorly. Therefore, it was assumed that $\mathrm{p}^{0}$ did not enter in their DE equation, and they were pooled with those persons presently not consuming regular meat in estimating the DE equation.
    ${ }^{2}$ This can be considered the choke price for organic quality of beef: for higher prices, the consumer will consume no organic beef; for lower prices, consumption will be positive.
    ${ }^{3}$ Careful readers will notice a similarity of our approach with Cameron's treatment of referendum contingent valuation questions (Cameron, 1991). Nevertheless, in Cameron's approach the difference in expenditure measures the willingness to pay for a given change in the quantity/quality of the relevant good; put in the same terms, in our approach it measures the willingness to pay for an unknown (to the researcher) quantity of the new good at a given price, allowing for a change in the quantity of the regular one.

[^3]:    ${ }^{4}$ The WTP equation was estimated separately for those consumers presently consuming regular meat but not remembering its price, excluding this price from the explanatory variables.

[^4]:    ${ }^{5}$ Bias due to unlisted telephone numbers has been assumed to be marginal, since the share of households not having a telephone is very low.
    6 "Contacted families" do not include those who were not found at home.
    ${ }^{7}$ Since $15.2 \%$ of the interviewed people refused to reveal their family income, missing income values were imputed, regressing socio-economic variables on income for the complete questionnaires, using the estimated parameters to predict missing values, and attributing the observations to the relevant income classes.

