

# This document is discoverable and free to researchers across the globe due to the work of AgEcon Search. 

## Help ensure our sustainability. Give to AgEcon Search

AgEcon Search
http://ageconsearch.umn.edu
aesearch@umn.edu

Papers downloaded from AgEcon Search may be used for non-commercial purposes and personal study only. No other use, including posting to another Internet site, is permitted without permission from the copyright owner (not AgEcon Search), or as allowed under the provisions of Fair Use, U.S. Copyright Act, Title 17 U.S.C.

# A COMPARISON OF ALTERNATIVE ESTIMATORS OF 

## MACRO-ECONOMIC MODEL OF ETHIOPIA ${ }^{1}$

Atsedeweyn A. Asrat ${ }^{2}$<br>Olusanya E. Olubusoye ${ }^{3}$


#### Abstract

During the past 5 decades a number of econometric techniques were developed and applied to a variety of econometric relationships to deal with the problem of single equation estimation as well as simultaneous equations bias. These days, such methods have very wide applications especially in more developed countries. However, there has been very little attempt to apply these techniques to empirical relationships describing the macro-economic sector of developing countries in general and Ethiopia in particular. In this study, a small macroeconometric model of Ethiopia is used to identify the best estimation techniques that will produce accurate forecast of the economy of Ethiopia. Six econometric methods were considered. The prediction accuracy of these estimators was examined using time series data covering the period 1970 to 2004. The results indicated that considerable gain in forecasting accuracy can be achieved by using 2SLSAUT01 and 2SLSAUT02 than simple ordinary least squares or two stage least squares to estimate macro-economic models.


Key Words: Econometric Techniques, Econometric Models, Ethiopia, Prediction

[^0]
## 1. Introduction

One of the major challenges that face many African governments is the lack of welltrained Professionals capable of preparing consistent short- to medium-term plans or a comprehensive long-term planning framework. Moreover, over the past years, a number of factors including instability and poor governance have created a time inconsistency problem in policy making in a number of African countries. However, it is expected that the recent trend towards the adoption of poverty reduction strategies that are consistent with overall macro-economic plans will require professionals who can develop and/or use short to longer-term planning frameworks adapted to their economies. Building and updating macro-econometric models require forecasting and planning experts, particularly in the ministries of finance, planning and economic development. In addition budgeting and planning exercises require forecasting major macro-economic variables for at least three to five years. Without such forecasts, the preparation of a country's resource envelope through annual budgets or what is commonly known as 'Medium Term Expenditure Framework - MTEF' would be a difficult task. Forecasting models are a crucial planning instrument. We can use an econometric model to describe how an economy works, and predict future growth rates or carry out simulations to determine how much investment is needed in order to achieve the Millennium Development Goals. Recent budgetary practices in most African countries demand forecasting the government resource envelope three to five years ahead. The invariant coefficients of the equations in a macro-econometric model are estimated from observed data with econometric methods. However, the Ministry of Finance and Economic Development of Ethiopia did not use any of these estimation techniques; rather it uses prior information and experience to fix the values of the parameters for forecasting purposes. But, there are more formal ways of estimating the model than by adjusting coefficient terms for forecasting purposes. The purpose of this study, therefore, is to fill this gap of identifying the best estimation techniques that will produce accurate forecast.

## 2. Macroeconometric modeling in Ethiopia

A comprehensive survey of African macro models by Harris in the mid 1980s and other recent reviews (see Alemayehu 2002, Alemayehu and Daniel 2004) show that macro modelling in Africa is still in its infancy (Harris, 1985). Although the development of macroeconomic models has reached a stage were a number of models are now being used on regular basis for forecasting purposes, Ethiopia no

[^1]longer uses its direct planning approach to manage its economy. On the other hand, the government has no other instrument of economic management either. Thus, the government lacks a macro model that could have facilitated macroeconomic policy analysis for a long period of time. This problem was severe when the effects of proposed policies are not tractable by simple reasoning alone. Nowadays, few models are emerging which contribute towards such end, a detail of which is given as under.

Asmerom and Kocklaeuner (1985) constructed a supply side macroeconometric model for Ethiopia. As sited in Daniel (2001), the supply side of the model disaggregates GDP by the production sectors: agriculture, other commodities, construction and distributive service and other services. From the expenditure side, the consumption function (for both private and public), sectorial investment functions, export and import functions are specified. The export function is disaggregated in to coffee and non-coffee and imports are also disaggregated in to capital goods, intermediate goods, consumption goods, fuel, and service imports. Savings are disaggregated in to private and public and specified accordingly. Finally, the saving and the trade gap equations, assuming the trade gap is binding, close the model. The model is fairly disaggregated. But the sectorial equations are not interconnected to capture the simultaneity in the system and hence an exogenous shock in one variable would fail to have any impact on the rest of the system. Moreover, because of the absence of price equation, the effect of any disequilibrium between aggregate demand and supply would completely spills-over to the foreign balance and hence it over or under estimates the foreign exchange gap.

Lemma (1993) also constructed a macroeconometric model for Ethiopia. As sited in Daniel (2001), the model has 53 equations (of which 14 are behavioural and the rest 39 are identities) with four major blocks: production sector and investment block, foreign trade block, public finance block and the price block. The model is essentially supply driven and has two productive sectors-agriculture and non- agriculture. The agricultural sector is related to the real relative price the farmers receive, the supply of manufactured goods to the farming sector and other exogenous variables like rainfall. The value added in the non-agricultural sector is specified as a function of the level of monetary investment. The aggregate level of investment, in turn, is a function of major source of funding such as government savings, credit from banking system and foreign capital inflow. The foreign trade block contains three export supply functions (private export functions for pulse and hide; and public coffee export functions) and two import demand functions (capital goods import and raw material imports, and consumers good import is assumed exogenous). The government sector consists of two behavioural government revenue functions (direct and indirect taxes revenue function and import tax function) and an identity export tax revenue function.

The government current expenditure and export tax rates are treated as policy instruments. Finally, the price block identifies two price equations based on consumer price index (CPI) and industrial sector price deflator. The change in CPI is related to excess domestic demand (a pure monetarist formulation) and rate of inflation for imported goods. Price in the industrial sector follows a mark-up rule and is indexed to the CPI in the structuralist tradition. The model, by large, describes the structural and institutional peculiarities of the Ethiopian economy and its policy-making institutions of the socialist era (post 1974/75). However, a significant part of the data(10 observations out of 18) used for the period of pre-1974/75 which cannot be described by the above explained model due to a clear institutional and structural differences between the two periods. In addition to this, some of the assumptions in which the model rested constrained the wider use of the model. For instance, the exogeneity assumption on government current expenditure and agricultural price is questionable. In the case where the economy is for external shocks such as war, drought and terms of trade fluctuations, the exogeneity assumption on government recurrent expenditure will not be a fair assumption. Moreover, to the extent that peasants in Ethiopia had been marketing a considerable part of their produce (after fulfilling the levied quota by Agricultural Marketing Corporation) in the flexible price market, treating agricultural price as purely exogenous is not acceptable. The exclusion of the monetary sector and the formulation of CPI equation can also stand in the negative side of the model. Above all, the result of the model suffers from simultaneity bias as each equation in the model is estimated by OLS.

Daniel (2001) also constructed a macroeconometric model for Ethiopia. The model is set up in aggregate demand and supply framework. The model has 30 equations of which 14 are behavioural and the rest are identities and technical relationships. As sited in Daniel (2001) this model is designed to capture the peculiar structure of the Ethiopian economy such as its supply-constrained nature. Thus, total output is disaggregated into agricultural and non-agricultural (industry, services and other distributional activities) sectors. Moreover, the economy is characterized by a general capacity under utilization, and an attempt is made to capture this phenomenon. On the demand side, private and public consumption and private investment functions are specified. Public investment is assumed to be exogenous. The domestic demand for imports (disaggregated into consumption, intermediate and raw material imports) and foreign demand for export are included on the demand side. The monetary sector comprises a money demand equation and an endogenously money supply equation. The latter is believed to capture the monetization of deficit. Price and the real exchange equations are specified as endogenous in the model.

## 3. The estimators

There are various econometric methods with which we may obtain estimates of the parameters of macroeconometric models ${ }^{5}$. However, we will consider only the most appropriate estimation methods which may be classified in two main groups, single equation and system-equation techniques. As their names indicate, the main difference between these system estimation methods relates to the information content of the estimator. Another important difference is that single equation estimation techniques involve estimation of the stochastic equations one at a time while system estimation methods all the stochastic equations are estimated simultaneously.

Six estimators are considered. The "least squares method" is the starting point for econometric methods. Each estimator is first used to estimate the twelve stochastic equations of the model. The reduced form of the model is then solved for each set of estimates, and within-sample predictions (both static and dynamic) of the endogenous variables of the model are generated over the sample period. The estimators are compared in terms of the accuracy of the within-sample predictions. The general model to be estimated is
$A Y+B X=U$
where $\mathbf{Y}$ is an hxT matrix of endogenous variables, $\mathbf{X}$ is kx T matrix of predetermined (both exogenous and lagged endogenous) variables, $\mathbf{U}$ is an $\mathrm{h} \times \mathrm{T}$ matrix of error terms, and $\mathbf{A}$ and $\mathbf{B}$ are $\mathrm{h} x \mathrm{~h}$ and $\mathrm{h} \times \mathrm{k}$ coefficient matrices respectively.

T is the number of observations. The $\mathrm{i}^{\text {th }}$ equation of the model will be written as
$y_{i}=-A_{i} Y_{i}-B_{i} X_{i}+u_{i}$,
$i=1,2,3 \ldots h$,
where $y_{i}$ is a $1 \times T$ vector of values of $y_{i t}$ (at time $t=1, \ldots, T$ ), $Y_{i}$ is an $h_{i} \times T$ matrix of endogenous variables (other than $y_{i}$ ) included in the $i$-th equation, $X_{i}$ is a $k_{i} \times T$ matrix of predetermined variables included in the $i$-th equation, $u_{i}$ is a $1 \times T$ vector of error terms, and $A_{i}$ and $B_{i}$ are $1 \times h_{i}$ and $1 \times k_{i}$ vectors of coefficients corresponding to the relevant elements of $A$ and $B$ respectively.

The error terms in $U$ are assumed to follow a second-order auto-regressive process: ${ }^{6}$

[^2]$U=R^{(1)} U_{-1}+R^{(2)} U_{-2}+E$,
where the R matrices are hxh coefficient matrices, E is an hxT matrix of error terms, and the subscripts denote lagged values of the terms of $U$. The error terms in $E$ are assumed to have zero expected values, to be contemporaneously correlated but not serially correlated, and to be uncorrelated in the limit with the predetermined, lagged predetermined, and lagged endogenous variables.

Many estimators could have been considered, but in order to limit the size and cost of this study, the following six estimators were chosen as some of the more important ones to consider.

## Ordinary least squares (OLS)

The first estimator considered was ordinary least squares applied to each equation of (2).

## Two-stage least squares (2SLS)

The second estimator considered was two-stage least squares applied to each equation of (2). Two-stage least squares produce consistent estimates if and only if the error term $u_{i}$ in (2) is not serially correlated or if there is no lagged endogenous variable in $X$. With a large sample size, all of the variables in $X$ should be used as regressors in the first-stage regression for each equation. In practice, however, it is usually necessary to use only a subset of variables in $X$ as regressors or to use only certain linear combinations of all of the variables in $X$ as regressors. A necessary condition for 2SLS to produce consistent estimates is that the included predetermined variables in the equation being estimated be in the set of regressors. Otherwise there is no guarantee that 2SLS will produce consistent estimates even if the error term is not serially correlated or if there are no lagged endogenous variables among the predetermined variables. For this study, therefore, the variables in $X_{i}$ were always included in the set of regressors when the $\mathrm{i}^{\text {th }}$ equation of (2) was estimated by 2 SLS.

## Ordinary least squares plus first-order serial correlation (OLSAUTO1)

The third estimator considered accounts for first-order serial correlation of the error term $u_{i}$ in (2), but not for simultaneous-equations bias. The estimator is based on the assumption that the error term in each equation is first-order serially correlated:
$u_{i}=r_{i i}{ }^{(1)} u_{i-1}+e_{i}, \quad i=1,2, \ldots, h$,
which means that $R^{(1)}$ in (3) is assumed to be a diagonal matrix and $R^{(2)}$ in (3) to be zero.

Under this assumption, equations (2) and (4) can be combined to yield:
$y_{i}=r_{i i}{ }^{(1)} y_{i-1}-A_{i} Y_{i}+r_{i i}^{(1)} A_{i} Y_{i-1}-B_{i} X_{i}+r_{i i}{ }^{(1)} B_{i} X_{i-1}+e_{i}, i=1,2, . ., h$,
Ignoring the fact that $Y_{i}$ and $e_{i}$ are correlated, equation (5) is a simple nonlinear equation in the coefficients $r_{i i}{ }^{(1)}, A_{i}$ and $B_{i}$ and can be estimated by a variety of techniques. Two of the most techniques are the Cochrane-Orcutt iterative technique and the Hildreth-Lu scanning technique, but any standard technique for estimating nonlinear equations can be used. The technique used for this study was the Cochrane-Orcutt technique. This is because Cochrane-Orcutt technique converges to a stationary value (Sargan, 1964).

## Two-stage least squares plus first-order serial correlation (2SLSAUTO1)

The fourth estimator considered is two-stage least squares applied to each equation of (5). This estimator accounts for both first-order serial correlation and simultaneousequations bias and produces consistent estimates if $R^{(1)}$ is diagonal and $R^{(2)}$ is zero in (3). In this estimator the following variables must be included as regressors in the first stage regressions in order to ensure consistent estimates of equation (5): $\mathrm{y}_{\mathrm{i}-1}, \mathrm{Y}_{\mathrm{i}-1}, \mathrm{X}_{\mathrm{i}}$, and $X_{i-1}$. For this study, these variables were always included in the set of regressors. Any standard nonlinear technique can be used for the second-stage regression of equation (5), and the technique used in this study was the Cochrane-Orcutt technique.

## Ordinary least squares plus first- and second-order serial correlation (OLSAUTO2)

The fifth estimator considered accounts for first- and second-order serial correlation of the error term $u_{i}$ in (2), but not for simultaneous-equations bias. The estimator is based on the assumption that the error term in each equation is determined as:
$u_{i}=r_{i i}{ }^{(1)} u_{i-1}+r_{i i}{ }^{(2)} u_{i-2}+e_{i}, i=1,2, \ldots, h$,
which means that $R^{(1)}$ and $R^{(2)}$ in (3) are assumed to be diagonal matrices. Under this assumption, equations (2) and (6) can be combined to yield:
$y_{i}=r_{i i}^{(1)} y_{i-1}+r_{i i}^{(2)} y_{i-2}-A_{i} Y_{i}+r_{i i}{ }^{(1)} A_{i} Y_{i-1}+r_{i i}^{(2)} A_{i} Y_{i-2}-B_{i} X_{i}+r_{i i}^{(1)} B_{i} x_{i-1}+r_{i i}{ }^{(2)} B_{i} X_{i-2}+e_{i}, i=1,2, \ldots, h$.

Again, ignoring the fact that Yi and ei are correlated, equation (7) is a simple nonlinear equation in the coefficients $r_{i i}{ }^{(1)}, r_{i i}^{(2)}, A_{i}$, and $B_{i}$, and can be estimated by a variety of techniques. The Cochrane-Orcutt technique can be extended in an obvious way to the second-order case, and the extended Cochrane-Orcutt technique was the one used in this study. The technique converged quite rapidly in almost all cases.

## Two-stage least squares plus first-and second-order serial correlation (2SLSAUTO2)

The last estimator considered is two-stage least squares applied to each equation of (7). This estimator is an extension of the estimator discussed in (6) to the secondorder case and produces consistent estimates if $R^{(1)}$ and $R^{(2)}$ are diagonal in (3). It is easy to show, following the analysis in (6), that the following variables must be included as regressors in the first-stage regressions in order to insure consistent estimates of equation (7): $\mathrm{y}_{\mathrm{i}-1}, \mathrm{y}_{\mathrm{i}-2}, \mathrm{Y}_{\mathrm{i}-1}, \mathrm{Y}_{\mathrm{i}-2}, \mathrm{X}_{\mathrm{i}}, \mathrm{X}_{\mathrm{i}-1}$, and $\mathrm{X}_{\mathrm{i}-2}$. For this study, these variables were always included in the set of regressors. The nonlinear technique used for the second-stage regressions was the extension of the Cochrane-Orcutt technique to the second-order case.

## 4. Specification of the model

The specification of the model in this study was based on Daniel (2001). This model was chosen because of the advantages that it avoids many of the problems observed on other models as mentioned in part II. The model is yearly and consists of thirty equations of which fourteen are structural, seven are identities and the rest are definitions and technical relationships. The fourteen components are private consumption, private investment, tax revenue, government expenditure, export, import of consumers' goods, intermediate import, agricultural production, nonagricultural production, capacity utilization rate, price, demand for real money balance, money supply and exchange rate.

## Aggregate Demand

Aggregate demand for domestic output is the sum of domestic absorption and the trade balance.

$$
\begin{equation*}
Y=A+(X-Z) \tag{1}
\end{equation*}
$$

where A is domestic absorption and X and Z are export and import, respectively. Domestic absorption is in turn the sum of private consumption (C), investment (I) and government expenditure on domestic goods (G).

## Private Consumption

The economic meaning of consumption is the using-up of economic resources so that they are not available in the future.

Consumption is specified as a function of income and price:
$\log R C_{p t}=\beta_{10}+\beta_{11} P_{t}+\beta_{12} \log R C p_{t-1}+\beta_{13} \log R Y_{t}+\beta_{14} \log R Y_{t-1}$
where $R C$ pt is real private consumption, $P_{t}$ is the price level and $R Y$ is real income at a time $t=1, \ldots \mathrm{~T}$.

## Private Investment

Investment is defined as spending which is not for current consumption but for future consumption or to increase the capacity to produce in the future. In other words investment is total spending minus consumption. So investment in the macroeconomic sense is spending on factories and machinery, the development of new mines, increase in the herds of cattle, the building of roads, the building up of the national stock of maize, the building up of foreign exchange reserves and so on. It is specified as:
$\log _{\mathrm{pt}}=\beta_{20} \Delta \operatorname{LogRY}_{\mathrm{t}}+\beta_{21} \log _{\mathrm{gt}}+\beta_{22} \log _{\mathrm{t}}+\beta_{23} \log _{\mathrm{Log}}^{t}$
Where $P B_{t}$ is level of public debt, $Z_{t}$ is the level of imports; and $I_{t t}$ is the first difference of government capital stock which is public investment expenditure.

## Government Sector

The government sector is modeled from both the revenue and expenditure sides. From the revenue side, tax revenue is modeled as a function of total output and foreign financial flows and the non-tax revenue is assumed to be exogenous. The expenditure function is also explicitly specified to avoid using it as exogenous policy variable. Assuming expenditure as exogenous is not realistic in Ethiopia since the economy is vulnerable to external shocks such as increase in foreign inflation, foreign interest rate, and an increase or decrease in foreign financial flows.

## Tax Revenue

There are many ways of meeting the cost of government services. In a modern economy, taxation is normally by far the most important way of providing resources to the government, but other methods do exist.

Tax revenue is defined to be a function of economic activity proxied by GDP (Y), level of foreign trade and foreign capital flow (F). This is given as

$$
\begin{equation*}
\log T R=\beta_{30}+\beta_{31} \log R Y_{t}+\beta_{32} \log (X+Z)+\beta_{33} \log F_{t} \text { Where } \beta_{3 i}>0 \text { and } i=1 \ldots 3 \tag{11}
\end{equation*}
$$

## Government Expenditure

In the national accounts, government consumption expenditure is defined to include spending by local authorities as well as by the central government, on the provision of services. The national accounting definition of government consumption spending
excludes 'transfer payments'. These include the payment of pensions, and subsidies to parastatal organizations. The reason for this distinction is that such transfer payments are not direct purchases of services and so should not be counted as part of the national income.

The government current expenditure $(G)$ is assumed to be positively related to total revenue (TR) and foreign inflow (F). Foreign inflation rate, proxied by import price ( $p^{m}$ ), is also included in the specification and expected to have a positive coefficient. The lagged value of $G$ is also included to capture possible path-dependent nature of public expenditure:

$$
\begin{equation*}
\log G_{t}=\beta_{50}+\beta_{51} \log T R_{t}+\beta_{52} \log F_{t+} \beta_{53} \log P^{m}+\beta_{54} \log G_{t-1} \tag{12}
\end{equation*}
$$

where $\beta_{5 i}>0$ for $i=1 \ldots 4$
The fiscal block of the model also obeys to the following identities:
Total government revenue $(T G R)=T R+$ other government revenue (OGR)
Total government expenditure (TGE) = G + Capital expenditure (CE)
Fiscal deficit (FD) = TGE - TGR

## The External Sector

## Exports and Imports

Exports are goods and services that earn foreign exchange. Imports are goods and services that have to be paid for in foreign exchange.

## Export

Export (X) is specified as a function of real exchange rate (RER), capacity utilization rate (CUR) and real income (RY) as:
$\log X_{t}=\beta_{60}+\beta_{61} \log \operatorname{RER}_{t}+\beta_{62} \log \operatorname{CUR}_{t}+\beta_{63} \log R Y_{t}$
Where $\beta_{6 i}>0 \quad i=1,2 \& 3$

## Import

The import function is disaggregated into two parts: consumers and intermediate goods.
$\log$ Zcons $_{t}=\beta_{70}+\beta_{71} \log R Y_{t}+\beta_{72} \operatorname{logRER}_{t}+\beta_{73} \log R_{t-1}+\beta_{74} \log Z_{c o n s}^{t-1}$
where Zcons is import of consumer goods, $R Y_{t}$ is real income, $R E R$ is real exchange rate and $R$ is total foreign exchange reserves.
$\log Z r a c_{t}=\beta_{80}+\beta_{81} \log R Y_{t}+\beta_{82} \log R E R_{t}+\beta_{83} \log R_{t-1}+\beta_{84} \log _{\text {l }} \operatorname{Rac}_{t-1}$
where Zrac is intermediate import (raw material and capital).

In both import equations lagged dependent variables used to show partial stock adjustment behavior.

Total import $(Z)$ will then be the sum of consumer, intermediate other imports:
Z = Zcons + Zrac + Zother

## External Sector Closure

The external sector is closed by the reserve flows identity in which the accumulation or de-accumulation of reserves take place. Except for the trade balance, the other components of the external sector are exogenous in the model. We will use the identities,

BOP = CA + Transfer payments + capital account balance + net errors and omissions
Change in Reserve $=$ BOP + change in arrears + debt relief
Reserve $_{(\mathrm{t})}=$ Reserve $_{(\mathrm{t}-1)}+$ Change in reserve $_{(\mathrm{t})}$
where BOP is the balance of payment and CA (current account) is given as the sum of trade balance + net services + net private transfer payments.

## Aggregate Supply

Total production is disaggregated into agricultural and non-agricultural, the specification of each being informed by stylized facts about the economic structure of the country.

## Agricultural Production

The agricultural production function is assumed to be positively related to labour in the agricultural sector, good rainfall, and relative price of agricultural products. The function is given as:
$\log \mathrm{Yagr}=\beta_{90}+\beta_{91} \log _{\operatorname{Lagr}}^{\mathrm{t}}+1 \beta_{92} \operatorname{logRF} \mathrm{t}_{\mathrm{t}-1}+\beta_{93} \log \left(\frac{P_{\text {agr }}}{P_{\text {nagr }}}\right)_{\mathrm{t}}+\beta_{94} \log$ Yagr $_{\mathrm{t}-1}$

Where Yagr is agricultural GDP, Lagr is labour force in agricultural sector ${ }^{7}$, RF is rainfall, and $P_{\text {agr }} / P_{\text {nagr }}$ is the ratio of agricultural GDP deflator to non agricultural GDP deflator.

## Non-Agricultural Production

The non-agricultural sector refers to both manufacturing and service sectors. Output in this sector is determined by labour, change in capital stock, intermediate import and capacity utilization. This production function is given as

Log Ynagr $=\beta_{100}+\beta_{101} \log \operatorname{Lnagr}_{t}+\beta_{102} \log \Delta K_{t}+\beta_{103} \log Z$ rac $_{t}+\beta_{104} \log C U R$

Where Lnagr is labour force in non-agricultural sector, $\Delta \mathrm{K}_{\mathrm{t}}$ is change in capital stock, Zrac is intermediate imports, and CUR is capacity utilization rate in the economy. The total production is given by:

$$
R Y=Y a g r+Y n a g r
$$

## Capacity Utilization Rate (CUR)

Capacity utilization is defined as actual to potential ratio. It is derived as a ratio of actual GDP to potential GDP. Capacity under utilization may refer to both the agricultural and the non-agricultural sectors. This in the agricultural sector could be due to drought (whose proxy is rainfall). In the non-agricultural sector the main cause of capacity under utilization is shortage of imported inputs. Thus, CUR can be assumed to depend on the level of imports, and rainfall.
$\log$ CUR $_{t}=\beta_{110}+\beta_{111} \log F_{t-1}+\beta_{112} \log Z r a c$
$\beta_{\mathrm{i}}>0$ where $\mathrm{i}=1 \& 2 ; \mathrm{RF}$ is rain fall and Zrac is intermediate imports.

## Prices

The domestic price level is determined by the real excess demand (RED) over the supply in the domestic economy, excess money supply over the money demand (EMs), and import prices $\left(\mathrm{P}^{m}\right)$. In addition, capacity utilization rate (CUR) is also related to the rate of inflation which in turn is related to a mark-up pricing system common in many African industries. Thus, price is specified as:
$P_{t}=\beta_{120}+\beta_{121} E M s+\beta_{122} \log$ RED $_{t}+\beta_{123} \log$ CUR $_{t}+\beta_{124} \log P^{m}$

[^3]
## Money Market

The money supply equation is partly endogenous from the side of the balance of payments and the fiscal deficit. Following the flow of funds approach, the domestic money supply (Ms) can be given as
$M s=(T G R-T G E)-G^{s}{ }_{p}+D C_{p}+\Delta R$
where (TGR - TGE) is the budget deficit, $G^{s}{ }_{p}$ is net sales of government interest bearing assets to the non-bank private sector, $\mathrm{DC}_{\mathrm{p}}$ is domestic credit to the private sector, $\Delta \mathrm{F}$ is change in foreign financial flows, and $\Delta \mathrm{R}$ is change in foreign exchange reserve.

The demand for real money balance (M/P) is positively related to real income (RY) and negatively related with the opportunity cost of holding money, and given as:
$\log (M / P)_{t}=\beta_{140}+\beta_{141} \log R Y_{t}-\beta_{142} r_{t}+\beta_{143} \pi_{t}+\beta_{144} \log (M / P)_{t-}$
Where r and $\pi$ are interest rate and inflation rate, respectively, that are used to proxy the opportunity cost of holding money.

## Exchange Rate

Since the nominal exchange rate had been fixed for long in the country (only being liberalized in the 1990s), we, rather chose to specify the real exchange rate (RER).
$\log \operatorname{RER}=\beta_{150}+\beta_{151} \log \mathrm{TOT}_{t}-\beta_{152} \log (\mathrm{OPEN})_{t}+\beta_{153} \log \mathrm{~F}_{\mathrm{t}}+\beta_{154} \mathrm{EMs}$
where TOT is terms of trade, OPEN $=[(\mathrm{X}+\mathrm{Z}) / \mathrm{Y}]$ is the trade (export, X, \& Import, Z ) to GDP, $Y$, ratio; $F$ is foreign financial flows, and $E M s$ is excess money supply, measured as the difference between money supply and money demand.

## Identities of the Model

$$
\begin{aligned}
& \Delta \operatorname{LogRY}=\operatorname{LogRY}-\operatorname{LogRY}(-1) \\
& \text { RAD }=\mathrm{RC} p+\mathrm{RCONSg}+\mathrm{RIp}+\mathrm{RIg} \\
& \mathrm{RED}=\mathrm{RAD}-\mathrm{RY} \\
& \mathrm{FD}=\mathrm{G}+\operatorname{Ig}-\mathrm{TR}-\mathrm{NTR} \\
& \mathrm{~TB}=\mathrm{X}-\mathrm{Z} \\
& \mathrm{INFLATION}=\log \mathrm{P}-\operatorname{LogP}(-1) \\
& \text { TOT }=\frac{P_{X}}{P_{Z}} x 100
\end{aligned}
$$

## Dummy Variable Included in the Model

In regression analysis, a dummy variable (also known as indicator or bound variables) is one that takes the values 0 or 1 to indicate the absence or presence of some categorical effect that may be expected to shift the outcome. An attempt was made to improve the results by using dummy to the model. The dummy variable, Dmy, is included in the model to capture Ethiopia's pre- and post-revolutions period. It is a dummy policy change with value unity after 1992 and zero otherwise.

$$
\text { i.e. } \text { Dmy }=\left\{\begin{array}{l}
1, \text { for post }- \text { revolution years, } 1992 \\
0, \text { otherwise }
\end{array}\right.
$$

Thus the model contains fourteen structural equations in which the private consumption, private investment, tax revenue, government expenditure, export, consumers import, intermediate import, agricultural production, non-agricultural production, price, capacity utilization rate, money demand and real exchange rate are endogenous and the remaining including dummy variable are exogenous.

Table 1. The Fourteen Equation Model

| Endogenous Variable |  |  | Predetermined Variables |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1. LogRCp | Const. | P | LogRCp-1 | LogRY | LogRY $_{\text {-1 }}$ |  |
| 2. $\operatorname{Logl}_{\mathrm{p}}$ |  | $\Delta$ LogRY | $\operatorname{Logl}_{g}$ | LogZ | LogPB | Dmy |
| 3. LogTR | Const. | LogRY | Log (X+Z) | LogF |  |  |
| 4. LogG | Const. | LogTR | LogF | $\log \mathrm{P}^{m}$ | $\log \mathrm{G}_{-1}$ |  |
| 5. Log $X$ | Const. | LogRER | LogCUR | $\operatorname{logRY}$ |  |  |
| 6. LogZcons | Const. | LogRY | LogRER | $\operatorname{LogR}_{-1}$ | LogZcons-1 |  |
| 7. LogZrac | Const. | $\operatorname{logRY}$ | LogRER | $\operatorname{LogR}_{-1}$ | LogZRac $_{-1}$ |  |
| 8. LogYagr | Const. | LogLagr | $\operatorname{LogRF}_{-1}$ | $\log \left(\frac{P_{a g r}}{P_{n a g r}}\right)$ | LogYagr $_{-1}$ |  |
| 9. LogYnagr | Const. | LogLnagr | $\log \Delta \mathrm{K}$ | LogZrac | LogCUR |  |
| 10.LogCUR | Const. | LogrF $_{-1}$ | LogZRac |  |  |  |
| 11.P | Const. | EMs | LogRED | LogCUR | $\log \mathrm{P}^{\mathrm{m}}$ |  |
| 12.Log(M/P) | Const. | LogRY | $r$ | $\square$ | Long(M/P) -1 $^{1}$ |  |
| 13.LogRER | Const. | LogTOT | Log(OPEN) | LogF | EMs |  |
| 14. Ms |  | TGR-TGE | $-\mathrm{G}^{\text {s }}$ | DCp | $\Delta \mathrm{R}$ |  |

(See Appendix A for symbols used and their definition and subscript -1 after a variable denotes the one year lagged value of the variable).

## 5. Individual equations estimation result

This section considers the OLS, the 2SLS, the OLSAUTO1, the 2SLSAUTO1, the OLSAUTO2, and 2SLSAUTO2 estimates of Ethiopian macroeconomic model. Data for these time-series analyses were obtained from various sources. All data represent January-December calendar year and annual time-series extending from 1970 to 2004, giving a total of thirty five observations and thereby provide empirical results to various equations in the model formulated in part three. The length of the sample period is determined by the availability of the relevant data. The basic data used for this study are available from the author on request. Combinations of econometric software packages used for empirical analysis of this study are EViews (version 3.1) and STATA (version 9). After confirming the stationarity of the variables at $I(0)$ and $\mathrm{I}(1)$, different estimation techniques are applied to estimate the equations and estimation results of the model are summarized in Appendix C. The basic set of instrumental variables used for the two-stage least squares estimators are presented at the bottom of Appendix B.

## 6. Within-sample forecasting

For each sets of estimates, within-sample predictions of the twelve endogenous variables were generated for the period 1970-2004. Comparison of the estimators is carried out in the context of within-sample predictions. In principle, both within and outside sample (ex-post) forecasts must be used. However, for ex-post forecast to be worth while, the time paths must be reasonable length, about ten sample points as a minimum (Challen and Hagger, 1983). As a result of this long forecast period requirement, the ex-post forecast is not performed.

Two error measures were computed for each set of predictions: mean absolute percent error and Theil's Inequality Coefficient. The mean absolute percent error (MAPE) and Theil's Inequality coefficient (TIC) and its decompositions bias, variance and covariance proportions for private consumption equation is presented in Table 2 for each set of estimates. Generally, the basic conclusions reached for private consumption results also hold for the remaining variables.

## Evaluation of the Forecasting Power of the Estimators

The accuracy of a forecasting method is determined by analyzing forecast errors experiences. The forecasting performance of the estimators is judged on the basis of the differences between predictions and realizations. The smaller the difference between the predictions and the actual values of the dependent variable is the better the forecasting performance of the estimator. The estimators will be compared in
terms of the accuracy of the within-sample predictions. The within-sample forecasting performance of the whole system should be assessed using standard statistical tools such as Root Mean Squared Error, Mean Absolute Error, Mean Absolute Percent Error, and Theil's Inequality Coefficient. The first two forecast error statistics depend on the scale of the dependent variables; and the remaining two statistics are scale invariant (i.e. unit free). In most instances unit-free measures are preferable (Challen and Hagger, 1983). As a result Theil's inequality coefficient (TIC) and mean absolute percent error (MAPE) are used in this study. If the forecast is good, the mean absolute percent error and the Theil's inequality coefficient should be as small as possible. Theil's Inequality Coefficient (TIC) suggested by H. Theil is a measure of the fit of a forecast (H. Theil, 1996). It ranges between zero and one. When it is equal to zero it indicates that the forecast has a perfect fit. TIC=1 indicates a forecast just as accurate as one of "no change" ( $\Delta y_{t}=0$ ), and a value of TIC greater than one means that the prediction is less accurate than the simple prediction of no change (J. Kmenta, 1986). For all of the equations the results indicate that the Theil's inequality coefficient is close to zero for 2SLSAUT01 and 2SLSAUT02, implying that the forecast has a good fit in these two estimators than the rest. Theil's inequality coefficient can be decomposed into Bias, Variance, and Covariance proportions each showing a different source of forecast error:

- The bias proportion indicates how far the mean of the forecast is from the mean of the actual series.
- The variance proportion indicates how far the variation of the forecast is from the variation of the actual series.
- The covariance proportion measures the remaining unsystematic forecasting errors.

If the forecast is "good", the bias and variance proportions should be as small as possible so that most of the bias should be concentrated on the covariance proportions. On the basis of these aforementioned selection and evaluation criteria concluding remarks have been drawn.

The results in the forecast evaluation indicate that in most of the equations the conclusions reached from examining the mean absolute percent error results and Theil's Inequality Coefficient results are the same. The TIC for all equations is below 0.3 and has least value for 2SLSAUT01 and 2SLSAUT02. These figures are in the acceptable range since "TIC less than 0.3 or 0.4 are considered not to be unduly large" (Oshikoya, 1990:101). The results also indicate that the model has small values of the mean absolute percent error, the bias and variance proportions in the 2SLSAUT01 and 2SLSAUT02 than the other estimators, implying a good forecast
can be achieved by these two estimators. The bias proportion is less than $1 \%$ for 2SLSAUT01 and 2SLSAUT02 in all equations. In most of the equations the variance proportion is well below $10 \%$ for 2SLSAUT01 and 2SLSAUT02. The result also shows that the bulk of forecast error is unsystematic and hence captured by the covariance proportion. The model reveals a good feature in terms of mean absolute percent error, Theil's inequality coefficient and its decompositions for 2SLSAUT01 and 2SLSAUT02 than the other estimators.

Higher mean absolute percent error (MAPE) is observed in capacity utilization rate equation, price equation, intermediate import equation, real exchange rate and investment function. This is a common feature for most macroeconometric models in the case of developing countries (Salvatore, 1989). For the MAPE measure in these equations, the OLS \& 2SLS estimators continue to perform poorly relative to the others, but for the other four estimators the MAPE results are quite close.

The mean absolute percent error and Theil's Inequality Coefficient for the private consumption variable are presented in Table 2 for each set of estimates. The most striking feature of the mean absolute percent error and Theil's Inequality Coefficient results is perhaps the increased accuracy obtained from the 2SLSAUT01 and 2SLSAUT02 estimates for the predictions. The result in Table 2 also shows that the two stage least squares estimators perform on average better than their ordinary least squares counterparts, that the AUT01 estimators perform on average better than their no-serial correlation counterparts, and that the AUT02 estimators perform on average better than their AUT01 counterparts: 2SLS is better than OLS, 2SLSAUT01 is better than OLSAUT01, 2SLS02 is always better than OLSAUT02, OLSAUT01 is better than OLS, and 2SLS01 is better than 2SLS. The OLS \& 2SLS estimators continue to perform poorly relative to the others, and mean absolute percent error and Theil's Inequality Coefficient results indicate that 2SLSAUT02 estimator can be considered as dominating all of the rest.

Table 2: Forecast Evaluation for Private Consumption

| Estimator | Mean Absolute <br> Percent Error | Theil's inequality <br> coefficient | Bias <br> proportion | Variance <br> proportion | Covariance <br> proportion |
| :--- | :---: | :---: | :---: | :---: | :---: |
| OLS | 0.179479 | 0.001192 | 0.000020 | 0.021872 | 0.978108 |
| 2SLS | 0.179465 | 0.001092 | 0.000000 | 0.021733 | 0.978267 |
| OLSAUT01 | 0.166915 | 0.001050 | 0.000000 | 0.020479 | 0.979521 |
| 2SLSAUT01 | 0.158079 | 0.000985 | 0.000000 | 0.020001 | 0.979999 |
| OLSAUT02 | 0.166888 | 0.001050 | 0.000000 | 0.017665 | 0.982335 |
| 2SLSAUT02 | 0.158072 | 0.000985 | 0.000000 | 0.017655 | 0.982345 |

## 7. Conclusions

This research work is an attempt to select the best and accurate estimator among various estimators which posses high power of predictability (forecasting power). The results in this section indicate that considerable gain in forecasting accuracy can be achieved by the use of more advanced estimation techniques. Certainly, accounting for first- and second-order serial correlation is important, and even more gain appears possible by using a two stage least squares techniques as opposed to its ordinary least squares counterpart. Moreover, the results do indicate that series attempts should be made to estimate models by techniques other than ordinary least squares or two-stage least squares. The results also indicate that considerable gain can be achieved by using 2SLSAUT01 and 2SLSAUT02 estimators. Although a multi-period forecast is not included in this study, the results give an indication of the relative usefulness of the various estimators for multi-period forecasting purposes.

## 8. Policy implications

Based on the finding of this study the following policy implications may be drawn.

- The main contribution of this study lies on the application of econometric methods to identify the best estimation techniques that will produce accurate forecast using macroeconomic model of Ethiopia. Although the model is capable in identifying the best estimation techniques that will produce accurate forecast, the model is in the aggregate form (i.e. further disaggregation is necessary), so it would be more interesting if the model is disaggregated in agricultural, industrial and service sectors. Inclusion of the labor market, disaggregating government expenditures by activities, and disaggregating the production activity in detail would give a better shape for the model. By doing this better performance could be highlighted.
- Technocrats in ministries of finance and economic development have to focus on the task of macroeconomic forecasting which is of increasing importance in the context of poverty reduction strategies and Medium Term Expenditure Framework-MTEF preparation. In addition to this, strengthening the existing practice of forecasting in Ethiopia is important by providing these technocrats with an applicable framework of modeling that emphasizes forecasting using familiar software such as STATA and EViews. Hence this study will eventually help the policy makers to develop a better understanding of the structure of the economy and how it works. This in turn can result in improved model building as well better policy formulation and forecasting using individual equations techniques and
examines how they perform. We may be interested in forecasting the values of some variables either to assess how they respond to given policy changes or evaluate necessary policy responses to a given change in these variables. Generally the output of this research will help the relevant government institutions in designing and revising appropriate techniques for forecasting the economy of the country. Besides its use in budget preparation, policy analysis and simulation exercises, the study provides the foundation for building full-fledged macro model in Ethiopia and as a basis for further research.


## Reference

Alemayehu Geda. 2002. Finance and Trade in Africa: Macroeconomic Response in the World Economy Context. London: Pallgarve-Macmillan.
Alemayehu Geda and Daniel Zerfu. 2004. A Review of Macro Modelling in Ethiopia: With Lessons form Published African Models. MoFED Working Paper Series, WPs-01, Addis Ababa.
Asemerom Kidane and Kocklaeuner, G. 1985. A Macroeconometric Model for Ethiopia: Specification, Estimation and Forecast and Control. East African Economic Review.
Challen, D. W. and Hagger, A. J. 1983. Macroeconometric Systems: Construction, Validation and Application. London: Macmillan Press.
Daniel Zerfu. 2001. Macroeconomic Policy Modeling for Ethiopia, Unpublished MA Thesis, Department of Economics, Addis Ababa University.
Harris, J. 1985. A Survey of Macroeconomic Modelling in Africa' Paper presented to a meeting of the Eastern and Southern Africa Macroeconomic Research Network, December 713, Nairobi, Kenya.
Kementa, J. 1986. Elements of Econometric, second edition, Macmillian, New York. Second edition. Wiley, New York.
Lemma Mered. 1993. Modelling the Ethiopian Economy: Experience and Prospects (memo).
Oshikoya, T. W. 1990. The Nigerian Economy: A Macroeconometric and Input-Output Model, New York: PRAEGER.
Salvatore, D. 1989. The Prototype Model, In African Development Prospects: A Policy Modelling Approach, New York: Taylor and Francis.
Sargan, J. D. 1964. Wages and Prices in the United Kingdom: A Study in Econometric Methodology.
Theil, H. 1953. Estimation and Simultaneous Correlation in Complete Equation Systems, The Hague: Central Plan Bureau.

## Appendix A : Definition of variables

| CUR | Capacity utilization rate |
| :---: | :---: |
| $\Delta$ | Change |
| EMs | Excess money supply over money demand, measured as the difference between money supply and the estimated money supply. |
| F | Foreign financial flows (grants + loan and credits) |
| FD | Fiscal deficit |
| G | Government expenditure |
| Gsp | Net sales of government interest bearing assets to the non-bank private sector |
| lg | Nominal government investment |
| $\Delta \mathrm{K}$ | Change in capital stock -i.e gross fixed capital formation |
| Lagr | Labour force in agriculture |
| Lnagr | Labour in non-agricultural sector |
| Ms | Money supply |
| NS | Net service export |
| NTR | Government non-tax revenue |
| OGR | other government revenue |
| OPEN | Openness measured as export and imports as a ratio of GDP |
| PB | Public borrowing (domestic) |
| Pm | Import price |
| Pt | Price level measured by the CPI |
| Pagr/Pnagr | Price ratio of agricultural and nonagricultural product |
| $\pi$ | Inflation rate |
| r | Real deposit interest rate |
| RAD | Real aggregate demand |
| RCONSg | Real government consumption |
| RCpt | Real private consumption expenditure |
| RED | Real excess demand |
| RER | Real exchange rate |
| RF | Rainfall |
| RIg | Real government investment expenditure |
| Rlpt | Real private investment |
| RYt | Real output |
| TB | Trade balance |
| TGE | Total government expenditure |
| TGR | Total government revenue |
| TOT | Terms of trade |
| TR | Government tax revenue |
| X | Exports |
| Yagr | Agricultural output |
| Ynagr | Non-agricultural output |
| Z | Total imports |
| Zcons | Import of consumers' good |
| Zothers | Other imports (i.e. Z- Zcons -Zrac |
| Zrac | Import raw material and capital goods (intermediate imports) |


| Dependent Variables | Estimator | Instrumental Variables |
| :---: | :---: | :---: |
| LogRCp | 2SLS 2SLSAUT01 2SLSAUT02 |  |
| Loglp | $\begin{aligned} & \text { 2SLS } \\ & \text { 2SLSAUT01 } \\ & \text { 2SLSAUT02 } \end{aligned}$ | LOGRCp(-1), LOGRF(-1), LOGAK, LOGRED, LOGRY, LOGF, LOGP ${ }^{m}$, LOGR(-1), r, LOGLagr, LOGLnagr, $\operatorname{LOGRY}(-1)$, LOGG(-1), LOGZCONS(-1), LOGZrac(-1), LOGYagr(-1), LOGOPEN, FD, NTR, $\pi$, TB, RIg, RAD, $\triangle R, D C p, G^{S}$. |
| LogTR | $\begin{aligned} & \text { 2SLS } \\ & \text { 2SLSAUTO1 } \\ & \text { 2SLSAUTO2 } \end{aligned}$ | LOGRCp(-1), LOGIg, LOGRF(-1), LOG $\Delta K$, LOGRED, LOGP $^{m}$, LOGR(-1), r, $\triangle$ LOGRY, LOGLagr, LOGLnagr, LOGRY(-1), LOGPB, LOGG(-1), LOGZCONS(-1), LOGZrac(-1), LOGYagr(-1), LOGOPEN, FD, NTR, m, TB, RIg, RAD, $\Delta R, D C p, G_{p}^{s}$. |
| LogG | $\begin{aligned} & \text { 2SLS } \\ & \text { 2SLSAUT01 } \\ & \text { 2SLSAUT02 } \end{aligned}$ | LOGRCp(-1), $\operatorname{LOGIg}, \operatorname{LOGRF}(-1)$, LOG $\Delta K$, LOGRED, $\operatorname{LOGRY,~} \operatorname{LOGR}(-1)$, r, $\triangle$ LOGRY, LOGLagr, LOGLnagr, LOGRY(-1), LOGPB, LOGZCONS(-1), LOGZrac(-1), LOGYagr(-1), LOGOPEN, FD, NTR, $\pi$, TB, RIg, RAD, $\Delta$ R, DCp, $\mathrm{G}_{\mathrm{p}}^{\mathrm{S}}$. |
| Log $X$ | 2SLS <br> 2SLSAUT01 <br> 2SLSAUT02 | LOGRCp(-1), LOGIg, LOGRF(-1), LOG $\Delta K$, LOGRED, LOGF, LOGP ${ }^{m}$, LOGR(-1), r, $\Delta$ LOGRY, LOGLagr, LOGLnagr, LOGRY(-1), LOGPB, LOGG(-1), LOGZCONS(-1), LOGZrac(-1), LOGYagr(-1), LOGOPEN, FD, NTR, $\pi$, TB, RIg, RAD, $\Delta R, D C p, G^{s}$. |
| LogZcons | $\begin{aligned} & \text { 2SLS } \\ & \text { 2SLSAUTO1 } \\ & \text { 2SLSAUTT2 } \end{aligned}$ | LOGRCp(-1), LOGIg, LOGRF(-1), LOG $\Delta K$, LOGRED, LOGF, LOGP ${ }^{m}$, r, $\Delta$ LOGRY, LOGLagr, LOGLnagr, LOGRY(-1), LOGPB, LOGG(-1), LOGZCONS(-1), LOGYagr(-1), LOGOPEN, FD, NTR, п, TB, RIg, RAD, $\Delta R, D C p, G^{s}$. |


| LogZrac | $\begin{aligned} & \hline \text { 2SLS } \\ & \text { 2SLSAUTO1 } \\ & \text { 2SLSAUTO2 } \end{aligned}$ | LOGRCp(-1), LOGlg, LOGRF(-1), LOG $\Delta$ K, LOGRED, LOGF, LOGP ${ }^{m}$, r, LLOGRY, LOGLagr, LOGLnagr, LOGRY(-1), LOGPB, LOGG(-1), LOGZCONS(-1), LOGYagr(-1), LOGOPEN, FD, NTR, m, TB, RIg, RAD, $\Delta R, D C p, G^{s}$. |
| :---: | :---: | :---: |
| LogYagr | $\begin{aligned} & \text { 2SLS } \\ & \text { 2SLSAUT01 } \\ & \text { 2SLSAUT02 } \end{aligned}$ | LOGRCp(-1), LOGIg, LOG $\Delta$ K, LOGRED, LOGRY, LOGF, LOGP ${ }^{m}$, LOGR( -1 ), r, $\Delta$ LOGRY, LOGLnagr, LOGRY(-1), LOGPB, LOGG(-1), LOGZCONS(-1), LOGZrac(-1), LOGOPEN, FD, NTR, $\pi$, TB, RIg, RAD, $\Delta R, D C p, G^{s}$. |
| LogYnagr | 2SLS <br> 2SLSAUT01 <br> 2SLSAUT02 | LOGRCp(-1), LOGIg, LOGRF(-1), LOGRED, LOGRY, LOGF, LOGP ${ }^{m}$, LOGR(-1), r, $\Delta$ LOGRY, LOGLagr, LOGRY(-1), LOGPB, LOGG(-1), LOGZCONS(-1), LOGZrac(-1), LOGYagr(-1), LOGOPEN, FD, NTR, $\pi$, TB, RIg, RAD, $\triangle R, D C p, G^{s}$. |
| LogCUR | 2SLS <br> 2SLSAUT01 <br> 2SLSAUT02 | LOGRCp(-1), LOGIg, LOG $\Delta K$, LOGRED, LOGRY, LOGF, LOGP ${ }^{m}$, LOGR(-1), r, $\Delta$ LOGRY, LOGLagr, LOGLnagr, LOGRY(-1), LOGPB, LOGG(-1), LOGZCONS(-1), LOGZrac(-1), LOGYagr(-1), LOGOPEN, FD, NTR, п, TB, Rig, RAD, $\Delta \mathrm{R}, \mathrm{DCp}, \mathrm{G}_{\mathrm{p}}^{\mathrm{s}}$. |
| P | 2SLS <br> 2SLSAUT01 <br> 2SLSAUT02 | LOGRCp(-1), LOGIg, LOGRF(-1), LOG $\triangle K$, LOGRY, LOGF, LOGR(-1), r, $\Delta$ LOGRY, LOGLagr, LOGLnagr, LOGRY(-1), LOGPB, LOGG(-1), LOGZCONS(-1), LOGZrac(-1), LOGYagr(-1), LOGOPEN, FD, NTR, п, TB, RIg, RAD, $\Delta \mathrm{R}, \mathrm{DCp}, \mathrm{G}^{\mathrm{S}}$. |
| LogRER | 2SLS <br> 2SLSAUT01 <br> 2SLSAUT02 | LOGRCp(-1), LOGIg, LOGRF(-1), LOG $\Delta K$, LOGRED, LOGRY, LOGP ${ }^{m}$, LOGR(-1), r, $\Delta$ LOGRY, LOGLagr, LOGLnagr, LOGRY(-1), LOGPB, LOGG(-1), LOGZCONS(-1), LOGZrac(-1), LOGYagr(-1), FD, NTR, п, TB, Rig, RAD, $\Delta R, D C p, G^{s}$. |

Asrat and Olubusoye: A comparison of alternative estimators of...

## Appendix C: Summary Results of Estimates

## a. Estimates of the Model Using OLS Method

| Regressors | Coefficient Estimates |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Equation1 (LogRCp) | Equation2 $($ LogIP) | Equation3 (LogTR) | Equation4 (LogG) | $\begin{gathered} \hline \text { Equation5 } \\ (\log X) \end{gathered}$ | Equation6 (LogZcons) | Equation7 <br> (LogZrac) | Equation8 (LogYagr) | Equation9 (LogYnagr) | $\begin{gathered} \hline \text { Equation10 } \\ (\text { LogP) } \end{gathered}$ | Equation11 (LogCUR) | Equation12 (LogRER) |
| Constant | $2.4727^{*}$ |  | -2.8016 | 1.3833 | 3.2210 | 10.4098** | 4.9632 | $4.2510^{* *}$ | 8.3979* | 217.39 | $2.2712^{* *}$ | -0.1880 |
| LogP | -0.0008** |  |  |  |  |  |  |  |  |  |  |  |
| LogRCp(-1) | $0.4662^{* *}$ |  |  |  |  |  |  |  |  |  |  |  |
| LogRY | 0.7166 * |  | 0.5927* |  | 0.4094 | -0.3645 | -0.3515 |  |  |  |  |  |
| LogRY(-1) | $0.41745^{*}$ |  |  |  |  |  |  |  |  |  |  |  |
| $\Delta$ LogRY |  | 0.8505 |  |  |  |  |  |  |  |  |  |  |
| LogZrac |  | 1.2593* |  |  |  |  |  |  |  |  | -0.0134 |  |
| LogPB |  | 0.0104 |  |  |  |  |  |  |  |  |  |  |
| Log (X+Z) |  |  | 0.2566*** |  |  |  |  |  |  |  |  |  |
| LogF |  |  | 0.4057* | 0.0390 |  |  |  |  |  |  |  | $0.0479^{* * *}$ |
| LogTR |  |  |  | 0.1060 |  |  |  |  |  |  |  |  |
| LogG(-1) |  |  |  | $0.8300^{*}$ |  |  |  |  |  |  |  |  |
| LogPm |  |  |  | 0.5485 |  |  |  |  |  | 375.2716* |  |  |
| LogRER |  |  |  |  | 3.7966* | 0.2209 | 0.1709 |  |  |  |  |  |
| LogCUR |  |  |  |  | -1.0978 |  |  |  | 2.2898* | -3.6369 |  |  |
| LogR(-1) |  |  |  |  |  | -0.4991 | 0.0231 |  |  |  |  |  |
| LogZcons (-1) |  |  |  |  |  | 0.8179* |  |  |  |  |  |  |
| LogZrac (-1) |  |  |  |  |  |  | 0.8279* |  | -0.5444 |  |  |  |
| LogLagr |  |  |  |  |  |  |  | 0.2498쓰 |  |  |  |  |
| LogRF(-1) |  |  |  |  |  |  |  | 0.0368 |  |  | 0.3065 |  |
| LogYagr(-1) |  |  |  |  |  |  |  | 0.4001** |  |  |  |  |
| LogRED |  |  |  |  |  |  |  |  |  | -87.6684* |  |  |
| LogOPEN |  |  |  |  |  |  |  |  |  |  |  | 0.1888* |
| LogLnagr |  |  |  |  |  |  |  |  | 0.0397 |  |  |  |
| Log $\Delta$ K |  |  |  |  |  |  |  |  | 0.2261** |  |  |  |
| Dmy | 0.0739* | -0.3952* | $0.1087^{* * *}$ | 0.0260 | 1.5409* | 0.0994 | 0.1670 | 0.0373 | -0.1901 | 43.6834* | 0.0237 | 0.4726* |
| $\mathrm{R}^{2}=$ | 0.9162 | 0.6812 | 0.9787 | 0.9828 | 0.9205 | 0.9749 | 0.9460 | 0.8355 | 0.5809 | 0.9436 | 0.0672 | 0.9743 |
| DW= | 2.001 | 1.9518 | 2.142 | 1.894 | 1.956 | 2.070 | 2.409 | 1.801 | 1.9233 | 1.846 | 1.605 | 1.804 |
| $\mathrm{F}=$ | 61.234 | 21.555 | 333.57 | 321.46 | 85.4461 | 217.80 | 98.06 | 36.831 | 7.8688 | 121.23 | 0.7309 | 378.993 |

* Significant at $1 \%$ level
** Significant at 5\% level
${ }^{* *}$ Significant at $10 \%$ level
b. Estimates of the Model Using 2SLS Method

| Regressors | Coefficient Estimates |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Equation1 <br> (LogRCp) | Equation2 (Loglp) | Equation3 (LogTR) | Equation4 (LogG) | Equation5 | Equation6 (LogZcons) | Equation7 | Equation8 (LogYagr) | Equation9 (LogYnagr) | Equation10 | Equation11 (LogCUR) | Equation12 <br> (LogRER) |
| Constant | $2.4710^{*}$ |  | -2.8142 | 1.1958 | -1.0713 | 9.5953** | $5.8487^{*}$ | 4.2126* | 6.1119* | 212.954 | 0.6495* | -0.0640 |
| LogP | -0.0008** |  |  |  |  |  |  |  |  |  |  |  |
| $\operatorname{LogRCp}(-1)$ | 0.4679** |  |  |  |  |  |  |  |  |  |  |  |
| LogRY | 0.7161* |  | 0.5951* |  | $0.8423^{* * *}$ | -0.2567 | -0.4809 |  |  |  |  |  |
| $\operatorname{LogRY}(-1)$ | $0.4186 *$ |  |  |  |  |  |  |  |  |  |  |  |
| $\Delta$ LogRY |  | 0.8587 |  |  |  |  |  |  |  |  |  |  |
| LogZrac |  | 1.2393* |  |  |  |  |  |  |  |  | 0.0074 |  |
| LogPB |  | -0.0289 |  |  |  |  |  |  |  |  |  |  |
| $\log (\mathrm{X}+\mathrm{Z})$ |  |  | $0.2581 * * *$ |  |  |  |  |  |  |  |  |  |
| LogF |  |  | 0.4027* | 0.341** |  |  |  |  |  |  |  | -0.0347 |
| LogTR |  |  |  | 0.825* |  |  |  |  |  |  |  |  |
| LogG(-1) |  |  |  | 0.8590* |  |  |  |  |  |  |  |  |
| Log $\mathrm{P}^{\text {m }}$ |  |  |  | -0.4605 |  |  |  |  |  | 386.5348* |  |  |
| LogRER |  |  |  |  | 2.8780* | -0.0077 | -0.4352 |  |  |  |  |  |
| LogCUR |  |  |  |  | 0.5784 |  |  |  | 1.5835** | -1.6833 |  |  |
| $\operatorname{LogR}(-1)$ |  |  |  |  |  | -0.5396*** | 0.0762 |  |  |  |  |  |
| LogZcons (-1) |  |  |  |  |  | 0.8353* |  |  |  |  |  |  |
| LogZrac (-1) |  |  |  |  |  |  | $0.813{ }^{*}$ |  | $0.5512^{*}$ |  |  |  |
| LogLagr |  |  |  |  |  |  |  | $0.2515^{* * *}$ |  |  |  |  |
| $\operatorname{LogRF}(-1)$ |  |  |  |  |  |  |  | 0.0379 |  |  | 0.1543 |  |
| LogYagr(-1) |  |  |  |  |  |  |  | $0.4022^{* *}$ |  |  |  |  |
| LogRED |  |  |  |  |  |  |  |  |  | -89.3737* |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  | $0.1740 * *$ |
| LogLnagr |  |  |  |  |  |  |  |  | 0.2957 |  |  |  |
| Log $\Delta \mathrm{K}$ |  |  |  |  |  |  |  |  | 0.9824* |  |  |  |
| Dmy | 0.0735* | -0.3906* | $0.1086 * * *$ | 0.0285 | 1.0877* | 0.1909 | 0.0563 | 0.0365 | -0.1873** | 43.4802* | 0.0116 | 0.4800* |
| $\mathrm{R}^{2}=$ | 0.9162 | 0.6813 | 0.9796 | 0.9838 | 0.9111 | 0.97507 | 0.9462 | 0.8355 | 0.5810 | 0.9456 | 0.0672 | 0.9686 |
| DW= | 2.0034 | 1.9379 | 2.1207 | 1.8930 | 2.3890 | 2.0950 | 2.3690 | 1.8040 | 1.9100 | 1.8500 | 1.8040 | 2.0690 |
| $\mathrm{F}=$ | 61.2405 | 21.378 | 359.85 | 353.75 | 76.8466 | 219.074 | 98.4742 | 36.82 | 8.0434 | 130.43 | 0.7206 | 319.202 |

Asrat and Olubusoye: A comparison of alternative estimators of...

| Regressors | Coefficient Estimates |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{gathered} \hline \text { Equation1 } \\ \text { (LogRCp) } \end{gathered}$ | $\begin{array}{r} \text { Equation2 } \\ \left(\text { Logl }_{p}\right) \end{array}$ | $\begin{array}{r} \hline \text { Equation3 } \\ \text { (LogTR) } \end{array}$ | Equation4 (LogG) | $\begin{array}{r} \hline \text { Equation5 } \\ (\log X) \end{array}$ | $\begin{array}{r} \text { Equation6 } \\ \text { (LogZcons) } \end{array}$ | $\begin{gathered} \text { Equation7 } \\ \text { (LogZrac) } \end{gathered}$ | Equation8 (LogYagr) | $\begin{gathered} \text { Equation9 } \\ \text { (LogYnagr) } \end{gathered}$ | $\begin{array}{r} \hline \text { Equation10 } \\ (\log P) \end{array}$ | $\begin{array}{r} \text { Equation11 } \\ \text { (LogCUR) } \\ \hline \end{array}$ | $\begin{gathered} \text { Equation12 } \\ \text { (LogRER) } \end{gathered}$ |
| Constant | 2.402* |  | -2.6038 | 1.8652 | 0.4243 | 10.7926** | 4.034 | 4.444 | 3.9214*** | -222.26 | -0.0112 | 17.2355 |
| LogP | -0.0006*** |  |  |  |  |  |  |  |  |  |  |  |
| LogRCp(-1) | $0.5418 *$ |  |  |  |  |  |  |  |  |  |  |  |
| LogRY | 0.7131* |  | 0.5894* |  | 0.6896 | -0.3549 | -0.2634 |  |  |  |  |  |
| LogRY(-1) | -0.4840** |  |  |  |  |  |  |  |  |  |  |  |
| $\Delta$ LogRY |  | $0.9528^{* *}$ |  |  |  |  |  |  |  |  |  |  |
| LogZrac |  | 0.0950 |  |  |  |  |  |  |  |  | 0.008 |  |
| LogPB |  | -1.0704* |  |  |  |  |  |  |  |  |  |  |
| $\log (\mathrm{X}+\mathrm{Z})$ |  |  | 0.2153 |  |  |  |  |  |  |  |  |  |
| LogF |  |  | -0.4325* | $0.0610^{*}$ |  |  |  |  |  |  |  | 0.0290 |
| LogTR |  |  |  | $0.1455 * *$ |  |  |  |  |  |  |  |  |
| LogG(-1) |  |  |  | $0.7688{ }^{*}$ |  |  |  |  |  |  |  |  |
| Log $\mathrm{P}^{\text {m }}$ |  |  |  | 0.7868 |  |  |  |  |  | 68.5760 |  |  |
| LogRER |  |  |  |  | 3.334* | -0.2626 | -0.0688 |  |  |  |  |  |
| LogCUR |  |  |  |  | -0.6242 |  |  |  | $1.4324^{* *}$ | -22.5534 |  |  |
| $\operatorname{LogR}(-1)$ |  |  |  |  |  | -0.5363*** | 0.0278 |  |  |  |  |  |
| LogZcons (-1) |  |  |  |  |  | 0.8043* |  |  |  |  |  |  |
| LogZrac (-1) |  |  |  |  |  |  | 0.8906* |  | 0.0903 |  |  |  |
| LogLagr |  |  |  |  |  |  |  | $0.2958 *$ |  |  |  |  |
| LogRF(-1) |  |  |  |  |  |  |  | $0.0447^{* *}$ |  |  | 0.029 |  |
| LogYagr(-1) |  |  |  |  |  |  |  | 0.3463 |  |  |  |  |
| LogRED |  |  |  |  |  |  |  |  |  | -8.357 |  |  |
| LogOPEN |  |  |  |  |  |  |  |  |  |  |  | 0.0655 |
| LogLnagr |  |  |  |  |  |  |  |  | 0.037 |  |  |  |
| Log $\Delta \mathrm{K}$ |  |  |  |  |  |  |  |  | 0.7410* |  |  |  |
| $\begin{aligned} & \text { AR(1) } \\ & \text { AR(2) } \end{aligned}$ | -0.1817 | 0.8071* | -0.1497 | 0.1705 | 0.2744 | -0.1164 | -0.3574*** | 0.0964 | 0.9311 | 1.011* | $0.7716^{*}$ | 0.9999* |
| Dmy | $0.0635^{*}$ | -0.0325 | $0.1207 *$ | 0.0282 | 1.3395* | 0.0739 | 0.1406 | 0.0368 | -0.0844 | $5.7403^{* * *}$ | 0.0047 | 0.3899* |
| $\mathrm{R}^{2}=$ | 0.9235 | 0.845 | 0.9790 | 0.9831 | 0.9286 | 0.9759 | 0.9481 | 0.8314 | 0.7686 | 0.991 | 0.536 | 0.995 |
| DW= | 2.004 | 2.340 | 1.980 | 2.050 | 2.174 | 2.056 | 1.824 | 1.837 | 2.276 | 1.86 | 1.70 | 1.89 |
| $\mathrm{F}=$ | 52.32 | 38.114 | 261.426 | 261.47 | 72.803 | 175.197 | 79.23 | 26.632 | 14.945 | 652.162 | 8.10 | 1500.5 |

Ethiopian J ournal of Economics, Volume XVIII, No 1, April 2009

| Regressors | Coefficient Estimates |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{aligned} & \hline \text { Equation1 } \\ & \text { (LogRCp) } \\ & \hline \end{aligned}$ | $\begin{array}{r} \text { Equation2 } \\ (\text { Loglp) } \\ \hline \end{array}$ | $\begin{array}{r} \hline \text { Equation3 } \\ \text { (LogTR) } \\ \hline \end{array}$ | $\begin{array}{r} \text { Equation4 } \\ (\text { LogG) } \\ \hline \end{array}$ | $\begin{array}{r} \hline \text { Equation5 } \\ (\log X) \\ \hline \end{array}$ | $\begin{array}{r} \text { Equation6 } \\ \text { (LogZcons) } \end{array}$ | $\begin{aligned} & \text { Equation7 } \\ & \text { (LogZrac) } \\ & \hline \end{aligned}$ | Equation8 (LogYagr) | Equation9 (LogYnagr) | $\begin{array}{r} \hline \text { Equation10 } \\ (\text { LogP }) \\ \hline \end{array}$ | $\begin{gathered} \hline \text { Equation11 } \\ \text { (LogCUR) } \\ \hline \end{gathered}$ | $\begin{array}{r} \hline \text { Equation12 } \\ \text { (LogRER) } \\ \hline \end{array}$ |
| Constant | 2.4223* |  | -2.6106 | 1.8433 | 0.254 | 11.0745** | 3.5308 | 4.4967 | 3.8913*** | -224.26 | -0.0291 | 1.1585 |
| LogP | -0.0006*** |  |  |  |  |  |  |  |  |  |  |  |
| LogRCp(-1) | 0.5376 * |  |  |  |  |  |  |  |  |  |  |  |
| LogRY | $0.7127^{*}$ |  | 0.590* |  | 0.6044 | -0.3924 | -0.1943 |  |  |  |  |  |
| LogRY(-1) | -0.4804** |  |  |  |  |  |  |  |  |  |  |  |
| $\triangle$ LogRY |  | $0.9546 * *$ |  |  |  |  |  |  |  |  |  |  |
| LogZrac |  | 0.1065 |  |  |  |  |  |  |  |  | 0.0052 |  |
| LogPB |  | -1.0600* |  |  |  |  |  |  |  |  |  |  |
| Log(X+Z) |  |  | 0.2155 |  |  |  |  |  |  |  |  |  |
| LogF |  |  | -0.4323* | 0.0602* |  |  |  |  |  |  |  | 0.0299 |
| LogTR |  |  |  | $0.148^{* *}$ |  |  |  |  |  |  |  |  |
| LogG(-1) |  |  |  | 0.7693 * |  |  |  |  |  |  |  |  |
| Log $\mathrm{P}^{\text {m }}$ |  |  |  | -0.7857 |  |  |  |  |  | 68.551 |  |  |
| LogRER |  |  |  |  | 3.539* | -0.3466 | -0.0668 |  |  |  |  |  |
| LogCUR |  |  |  |  | -0.8084 |  |  |  | $1.3632^{* * *}$ | -22.2292 |  |  |
| LogR(-1) |  |  |  |  |  | -0.5224*** | -0.0535 |  |  |  |  |  |
| LogZcons (-1) |  |  |  |  |  | 0.7986* |  |  |  |  |  |  |
| LogZrac (-1) |  |  |  |  |  |  | 0.8987* |  | -0.0917 |  |  |  |
| LogLagr |  |  |  |  |  |  |  | $0.2945 * *$ |  |  |  |  |
| $\operatorname{LogRF}(-1)$ |  |  |  |  |  |  |  | $0.0428^{* * *}$ |  |  | 0.0322 |  |
| LogYagr(-1) |  |  |  |  |  |  |  | 0.3429 |  |  |  |  |
| LogRED |  |  |  |  |  |  |  |  |  | -8.2933 |  |  |
| LogOPEN |  |  |  |  |  |  |  |  |  |  |  | 0.0668 |
| LogLnagr |  |  |  |  |  |  |  |  | -0.028 |  |  |  |
| Log $\Delta \mathrm{K}$ |  |  |  |  |  |  |  |  | 0.7462 * |  |  |  |
| AR(1) | -0.1782 | 0.8058* | -0.1480 | 0.1691 | 0.2839 | -0.1131 | $-0.3652^{* * *}$ | 0.0985 | 0.9305* | 1.0109* | $0.7722^{*}$ | $0.9983^{*}$ |
| AR(2) |  |  |  |  |  |  |  |  |  |  |  |  |
| Dmy | 0.0647* | -0.0392 | $0.1207 * *$ | 0.0263 | 1.4354* | 0.0387 | 0.1973 | 0.0376 | -0.0894 | 5.7440 *** | 0.0071 | 0.3925* |
| $\mathrm{R}^{2}=$ | 0.9235 | 0.845 | 0.9790 | 0.9831 | 0.928 | 0.9758 | 0.9481 | 0.8314 | 0.7684 | 0.991 | 0.536 | 0.995 |
| DW= | 2.000 | 2.345 | 1.981 | 2.049 | 2.199 | 2.059 | 1.824 | 1.834 | 2.312 | 1.762 | 1.996 | 1.99 |
| $\mathrm{F}=$ | 52.36 | 38.118 | 261.425 | 261.45 | 72.928 | 175.04 | 79.14 | 26.644 | 14.861 | 652.60 | 8.095 | 1500.0 |

Asrat and Olubusoye: A comparison of alternative estimators of...

| Regressors | Coefficient Estimates |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{aligned} & \hline \text { Equation1 } \\ & \text { (LogRCp) } \end{aligned}$ | Equation2 $($ Loglp) | $\begin{array}{r} \hline \text { Equation3 } \\ \text { (LogTR) } \\ \hline \end{array}$ | $\begin{array}{r} \text { Equation4 } \\ (\text { LogG) } \\ \hline \end{array}$ | $\begin{array}{r} \hline \text { Equation5 } \\ (\log X) \\ \hline \end{array}$ | $\begin{array}{r} \text { Equation6 } \\ \text { (LogZcons) } \end{array}$ | Equation7 (LogZrac) | Equation8 (LogYagr) | Equation9 (LogYnagr) | $\begin{array}{r} \hline \text { Equation10 } \\ (\text { Log }) \end{array}$ | $\begin{gathered} \hline \text { Equation11 } \\ \text { (LogCUR) } \end{gathered}$ | $\begin{array}{r} \hline \text { Equation12 } \\ \text { (LogRER) } \\ \hline \end{array}$ |
| Constant | 2.2355* |  | -2.3994 | 4.0276** | -1.2105 | 11.867* | -2.7219 | 2.3372 | 3.1382 | -10696.29 | -0.0197 | 6.2932 |
| LogP | -0.0004*** |  |  |  |  |  |  |  |  |  |  |  |
| LogRCp(-1) | 0.7303* |  |  |  |  |  |  |  |  |  |  |  |
| LogRY | $0.717{ }^{*}$ |  | 0.5866* |  | 0.8505 | -0.3569 | 0.3064 |  |  |  |  |  |
| LogRY(-1) | -0.6588* |  |  |  |  |  |  |  |  |  |  |  |
| $\Delta$ LogRY |  | 0.5503 |  |  |  |  |  |  |  |  |  |  |
| LogZrac |  | 0.3799 |  |  |  |  |  |  |  |  | 0.0072 |  |
| LogPB |  | -0.7992* |  |  |  |  |  |  |  |  |  |  |
| Log (X+Z) |  |  | 0.1595 |  |  |  |  |  |  |  |  |  |
| LogF |  |  | -0.4740* | 0.0664 |  |  |  |  |  |  |  | 0.0224 |
| LogTR |  |  |  | $0.3676 * *$ |  |  |  |  |  |  |  |  |
| LogG(-1) |  |  |  | $0.4536 * *$ |  |  |  |  |  |  |  |  |
| LogP ${ }^{\text {m }}$ |  |  |  | -1.4550*** |  |  |  |  |  | 60.418 |  |  |
| LogRER |  |  |  |  | $3.1498 *$ | -0.2050 | -2.8388** |  |  |  |  |  |
| LogCUR |  |  |  |  | 0.4517 |  |  |  | 0.8435 | -14.3822 |  |  |
| LogR(-1) |  |  |  |  |  | -0.6512** | 0.8051*** |  |  |  |  |  |
| LogZcons (-1) |  |  |  |  |  | 0.8185* |  |  |  |  |  |  |
| LogZrac (-1) |  |  |  |  |  |  | -0.0642 |  | 0.0952 |  |  |  |
| LogLagr |  |  |  |  |  |  |  | $0.1528 * *$ |  |  |  |  |
| LogRF(-1) |  |  |  |  |  |  |  | $0.0752^{* * *}$ |  |  | 0.0258 |  |
| LogYagr(-1) |  |  |  |  |  |  |  | 0.6373 * |  |  |  |  |
| LogRED |  |  |  |  |  |  |  |  |  | -0.0913 |  |  |
| LogOPEN |  |  |  |  |  |  |  |  |  |  |  | 0.0450 |
| LogLnagr |  |  |  |  |  |  |  |  | 0.0905 |  |  |  |
| Log $\Delta \mathrm{K}$ |  |  |  |  |  |  |  |  | 0.8243* |  |  |  |
| AR(1) | $-0.5745^{* *}$ | $0.4411^{* * *}$ | -0.24980 | 0.4306 | 0.1719 | -0.2994 | 0.5587 | -0.0887 | $0.6261 *$ | 1.2566* | $0.9084 *$ | 1.3114* |
| AR(2) | $-0.4946 * * *$ | 0.3375 | -0.1369 | 0.2233 | 0.1751 | -0.3280 | 0.2684 | -0.5485** | 0.2981 | -0.2564 | -0.1958 | -0.3119 |
| Dmy | 0.0522* | -0.0115 | $0.1327^{* *}$ | 0.0503 | 1.2637* | 0.0737 | -0.7558 | 0.0232 | -0.1342 | 3.6809 | 0.0083 | $0.3897 *$ |
| $\mathrm{R}^{2}=$ | 0.9323 | 0.853 | 0.9787 | 0.9834 | 0.932 | 0.9769 | 0.9581 | 0.8624 | 0.7859 | 0.992 | 0.549 | 0.9962 |
| DW= | 1.940 | 1.984 | 1.997 | 2.148 | 1.97 | 1.979 | 2.085 | 1.861 | 2.033 | 1.814 | 1.846 | 2.08 |
| $\mathrm{F}=$ | 47.193 | 30.186 | 199.09 | 211.965 | 59.606 | 145.58 | 78.41 | 26.11 | 13.111 | 522.09 | 6.331 | 1421.36 |

f. Estimates of the Model Using 2SLSAUTO2 Method

| Regressors | Coefficient Estimates |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{aligned} & \text { Equation1 } \\ & \text { (LogRCp) } \end{aligned}$ | $\begin{array}{r} \hline \text { Equation2 } \\ (\text { Loglp) } \\ \hline \end{array}$ | $\begin{array}{r} \hline \text { Equation3 } \\ \text { (LogTR) } \\ \hline \end{array}$ | $\begin{array}{r} \hline \text { Equation4 } \\ \text { (LogG) } \\ \hline \end{array}$ | $\begin{array}{r} \hline \text { Equation5 } \\ (\log X) \\ \hline \end{array}$ | $\begin{aligned} & \text { Equation6 } \\ & \text { (LogZcons) } \end{aligned}$ | $\begin{aligned} & \text { Equation7 } \\ & \text { (LogZrac) } \end{aligned}$ | $\begin{aligned} & \text { Equation8 } \\ & \text { (LogYagr) } \end{aligned}$ | $\begin{array}{r} \text { Equation9 } \\ \text { (LogYnagr) } \end{array}$ | $\begin{array}{r} \hline \text { Equation10 } \\ \text { (LogP) } \\ \hline \end{array}$ | $\begin{gathered} \hline \text { Equation11 } \\ \text { (LogCUR) } \\ \hline \end{gathered}$ | $\begin{array}{r} \hline \text { Equation12 } \\ \text { (LogRER) } \\ \hline \end{array}$ |
| Constant | $2.2358^{*}$ |  | -2.4069 | $3.9912^{* *}$ | 0.3149 | 11.9055* | -2.4688 | 2.3682 | 3.1386 | -12119.28 | 0.0321 | 1.2731 |
| LogP | -0.0004*** |  |  |  |  |  |  |  |  |  |  |  |
| $\operatorname{LogRCp}(-1)$ | $0.7302 *$ |  |  |  |  |  |  |  |  |  |  |  |
| LogRY | $0.71698 *$ |  | 0.5865* |  | 0.6971* | -0.3624 | 0.2841 |  |  |  |  |  |
| LogRY(-1) | -0.6586* |  |  |  |  |  |  |  |  |  |  |  |
| $\Delta$ LogRY |  | 0.5461* |  |  |  |  |  |  |  |  |  |  |
| LogZrac |  | $0.3873^{* *}$ |  |  |  |  |  |  |  |  | 0.0034* |  |
| LogPB |  | -0.7924* |  |  |  |  |  |  |  |  |  |  |
| Log(X+Z) |  |  | 0.1615 |  |  |  |  |  |  |  |  |  |
| LogF |  |  | -0.4728* | 0.0657 |  |  |  |  |  |  |  | -0.0230 |
| LogTR |  |  |  | 0.3695** |  |  |  |  |  |  |  |  |
| LogG(-1) |  |  |  | $0.4563 * *$ |  |  |  |  |  |  |  |  |
| Log $\mathrm{P}^{\text {m }}$ |  |  |  | -1.4554*** |  |  |  |  |  | 60.6982* |  |  |
| LogRER |  |  |  |  | $3.4464^{* * *}$ | -0.2169 | -2.7057** |  |  |  |  |  |
| LogCUR |  |  |  |  | -0.6475* |  |  |  | 0.8249 | -13.2639 |  |  |
| $\operatorname{LogR}(-1)$ |  |  |  |  |  | -0.6488** | $0.7782^{* * *}$ |  |  |  |  |  |
| LogZcons (-1) |  |  |  |  |  | 0.8178* |  |  |  |  |  |  |
| LogZrac (-1) |  |  |  |  |  |  | -0.0311 |  | 0.0969* |  |  |  |
| LogLagr |  |  |  |  |  |  |  | 0.1525* |  |  |  |  |
| $\operatorname{LogRF}(-1)$ |  |  |  |  |  |  |  | $0.0741^{* *}$ |  |  | $0.0301^{* * *}$ |  |
| LogYagr(-1) |  |  |  |  |  |  |  | $0.6349^{* * *}$ |  |  |  |  |
| LogRED |  |  |  |  |  |  |  |  |  | -0.0379 |  |  |
| LogOPEN |  |  |  |  |  |  |  |  |  |  |  | 0.0459 |
| LogLnagr |  |  |  |  |  |  |  |  | 0.0921 |  |  |  |
| Log $\mathrm{K}^{\text {I }}$ |  |  |  |  |  |  |  |  | 0.8287* |  |  |  |
| AR(1) | -0.4943** | $0.438 * * *$ | -0.2471 | 0.4262 | 0.1727 | -0.2996 | 0.5327 | -0.0865 | 0.6205* | 1.2449* | 0.9127 | 1.3116* |
| AR(2) | -0.5742*** | 0.340 | -0.1327 | 0.22467 | 0.1426 | -0.3273 | 0.2908 | -0.5479 | 0.3035 | -0.2447 | -0.2016 | -0.3140** |
| Dmy | 0.0522* | -0.0134 | $0.1321 * *$ | 0.0475 | -1.4035 | 0.0687 | -0.7021 | 0.0236 | -0.1376 | 3.6746 | 0.0115 | 0.3913* |
| $\mathrm{R}^{2}=$ | 0.9323 | 0.853 | 0.9787 | 0.9834 | 0.932 | 0.9770 | 0.9581 | 0.8624 | 0.7859 | 0.9917 | 0.549 | 0.9962 |
| DW= | 1.740 | 1.985 | 1.997 | 2.15 | 1.982 | 1.978 | 2.074 | 1.859 | 2.035 | 1.897 | 1.8476 | 2.07 |
| $\mathrm{F}=$ | 47.195 | 30.193 | 199.08 | 211.933 | 59.40 | 145.579 | 78.29 | 26.12 | 13.112 | 521.16 | 6.326 | 1421.26 |


[^0]:    ${ }^{1}$ The final version of this article was submitted in July 2008.
    ${ }^{2}$ Asrat Atsedeweyn is Lecturer at the Department of Statistics, University of Gondar, Gondar, Ethiopia Contact address: asrat07@gmail.com., Mobile:+251911039607.
    ${ }^{3}$ Olusanya E. Olubusoye (PhD) is Assistant professor at the Department of Statistics, University of Ibadan, Ibadan, Oyo State, Nigeria. Contact address: busoye2001@yahoo.com., Mobile: +2348058258883

[^1]:    ${ }^{4}$ This section relies on Alemayehu and Daniel (2004).

[^2]:    ${ }^{5}$ A model is a group of structural equations describing relationships between economic phenomenon.
    ${ }^{6}$ The process in (3) can easily be generalized to higher-order processes, but that will not be done here since only processes up to second order are considered in the empirical work.

[^3]:    ${ }^{7}$ The data for labour force is adjusted using the capacity utilization rate in the agricultural sector to proxy employed labour force in the sector since the data for employed labour force is not available.

