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WHAT IS BEHIND BIASED TECHNICAL CHANGE IN PRODUCTION OF CEREAL AND OILSEED CROPS IN SLOVAKIA?

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ABSTRACT

This study investigates the productivity change in the production of cereal and oilseed crops in Slovakia with special emphasis on technical change analysis. It employs a non-parametric distance function approach to measure Malmquist productivity index which is decomposed into technical efficiency change and technical change. Technical change is further decomposed into technical change magnitude and input- and output-bias indices. The productivity change components provide more detailed information about character of productivity change itself and its sources. Our results indicate that productivity in the analysed sector decreased approximately by 20% within the examined period of 1998-2007. The decrease was caused mostly by worsening the technical change (-41.6%). Indices of input- and output bias of technical change were various from unity what suggests that technical change was not Hicks'-neutral. Results of further analysis of the direction of technical change bias indicate that farms in average tend to apply fertilizers-using/seed-saving, seed-using/labour-saving, and fertilizers-using/labour-saving technical change bias over the whole sample period, as well as in the EU pre-accession and EU post-accession periods.

Keywords: Malmquist index, technical efficiency change, technical change, output bias, input bias, magnitude of technical change

JEL: C43, D24, Q12

INTRODUCTION

In recent years several papers were published on productivity growth in agriculture employing non-parametric methods based on Data Envelopment Analysis (DEA). There are several analyses done on macro data of EU countries (**Galanopoulos, Kragiannis, Koutroumanidis, 2004**), developed and developing countries (**Trueblood, Coggins, 2003; Fulginiti, Perrin, 1997**), or country provinces (**Nin, Arndt, Preckel, 2003**). Several works are based on micro data: **Latruffe et al. (2012)** and **Sipiläinen & Kumbhakar (2010)** examined productivity change of dairy farms in EU countries; **Sipiläinen & Rihänen (2005)** focused on silage producers in Finland; **Latruffe & Fogarasi (2009)** investigated productivity change differences of mixed farms in France and Hungary. In the above referenced studies Malmquist index of total factor productivity change is used as a basic indicator. It is frequently decomposed into technical efficiency change index and technical change index. Both components illustrate what is the source of productivity change, whether it is efficiency catch-up or technological progress as a result of innovation. Widely used is also decomposition of technical efficiency change to pure efficiency change and scale efficiency change, which give an indication of whether farms improve their productivity by better

management, or by a shift to the most productive scale size (see e.g. **Wu et al, 2001, Lissitsa - Rungsuriyawiboon, 2006**). Relatively new and in literature still debated (**Lovell, 2003**) is the methodological approach focusing on decomposition of technical change to the components that enable evaluate technical change bias, i.e. proportionality of changes of output isoquants at different mixes of inputs, or proportionality of changes of input isoquants at different output mixes. This property is a prerequisite for assessing whether technical change is Hicks'-neutral, or Hicks'-biased. Applications can be found in transportation sector (**Barros, Weber, 2009**), bank sector (**Barros, Managi, Matousek, 2009**), in education (**Barros, Guironnet, Peypoch, 2011**), and in international comparisons (**Chen, Yu, 2012**).

In this paper an attempt is made to examine the productivity change and its components in the sector of production of cereal and oilseed crops in Slovakia in the period 1998-2007. Special motivation is to learn what is behind the high technical regress. Both, cereals and oilseed crops are cultivated using very similar technology and it is the reason we treat them together. Within the period examined they created ca 75% share on arable land in Slovakia and are considered as a stable part in farm production structure. In the period 1998-2007 Slovak agriculture mostly finished transformation to a

market oriented economy and Slovak Republic has joined European Union. Both facts had a significant impact on the farming sector, resulting in the reduction of subsidies from the government budget, more tough international competition, higher food imports, and an access to support funds of EU within Common Agricultural Policy (Bartošová, Bartová, Fidrmuc, 2007). We are trying to link estimated productivity change indicators to the mentioned factors.

The paper itself is divided into five main sections. The second section focuses on the theoretical background to the indexes of productivity and technical change employed. The third section deals with the specification of inputs and outputs employed in the evaluation of technical efficiency and technical change in the sector of cereals and oilseeds. The fourth section presents the resultant indices of productivity, efficiency, and technical change and their components. The paper ends with some brief concluding remarks in the final section.

MATERIAL AND METHODS

Malmquist index of total factor productivity change and its components

Malmquist index of productivity change is an indicator enabling to measure productivity change of several factors between two adjacent periods. Malmquist index employs Shephard's distance functions.

Output oriented distance function for the period t defined by Shephard (1970) is:

$$D_o^t(x^t, y^t) = \inf \left\{ \theta : \left(x^t, \frac{y^t}{\theta} \right) \in S^t \right\}, t, \dots, T \quad (1)$$

where \inf is an operator for infimum, θ is a scalar, $x^t = (x_1^t, \dots, x_M^t) \in \mathbb{R}_+^M$ is a vector of inputs and $y^t = (y_1^t, \dots, y_S^t) \in \mathbb{R}_+^S$ is a vector of outputs in time period t . Expression S^t represents a technology in time period t , which defines the transformation of inputs to outputs and shows the set of all feasible input-output vectors:

$$S^t = \{(x^t, y^t) : x^t \text{ can produce } y^t\}, t = 1, \dots, T.$$

Output sets in accordance with S^t are defined as follows:

$$P^t(x^t) = \{y^t : (y^t, x^t) \in S^t\}, t = 1, \dots, T.$$

Distance function $D_o^t(x^t, y^t)$ expresses maximal radial proportional expansion of output vector at the given level of input vector.

Among other properties, the output distance function satisfies the inequality

$$D_o^t(x^t, y^t) \leq 1, \text{ with}$$

$$D_o^t(x^t, y^t) = 1 \text{ if and only if } y^t \in \text{Isoq } P^t(x^t) = \{y^t : y^t \in P^t(x^t), \theta y^t \notin P^t(x^t), \theta > 1\}$$

Caves, Christensen and Diewert (1982) suggested Malmquist index as a ratio of two output distance functions for period t and $t+1$ relative to technology S^t

$$M_o^t = \frac{D_o^t(x^{t+1}, y^{t+1})}{D_o^t(x^t, y^t)} \quad (2)$$

Färe, Grosskopf, Lindgren and Roos (1989, 1994) inspired by Caves, Christensen and Diewert (1982) defined output oriented Malmquist index as the

geometric mean of two Malmquist indexes for two adjacent periods t and $t+1$, using reference technology S^t , as well as technology S^{t+1} .

$$M_o(x^t, y^t, x^{t+1}, y^{t+1}) = \left[\frac{D_o^t(x^{t+1}, y^{t+1})}{D_o^t(x^t, y^t)} \frac{D_o^{t+1}(x^{t+1}, y^{t+1})}{D_o^{t+1}(x^t, y^t)} \right]^{\frac{1}{2}} \quad (3)$$

With regard to character of employed distance functions Malmquist index $M_o(x^t, y^t, x^{t+1}, y^{t+1}) \geq 1$, according as productivity change between two periods t and $t+1$ can be positive, zero or negative.

According Färe, Grosskopf, Lindgren and Roos (1989, 1994) Malmquist index (3) can be decomposed to technical efficiency change (TECH) and technical (technological) change (TCH). Following Fare et al. (1989, 1994) an equivalent way of writing this index is:

$$M_o(x^t, y^t, x^{t+1}, y^{t+1}) = \frac{D_o^{t+1}(x^{t+1}, y^{t+1})}{D_o^t(x^t, y^t)} \left[\frac{D_o^t(x^{t+1}, y^{t+1})}{D_o^{t+1}(x^{t+1}, y^{t+1})} \frac{D_o^t(x^t, y^t)}{D_o^{t+1}(x^t, y^t)} \right]^{\frac{1}{2}} = \text{TECH}(x^t, y^t, x^{t+1}, y^{t+1}) \cdot \text{TCH}(x^t, y^t, x^{t+1}, y^{t+1}) \quad (4)$$

where $\text{TECH} > 1$ indicates improvement in technical efficiency and $\text{TECH} < 1$ deterioration in technical efficiency. $\text{TCH} > 1$ indicates technical progress (evidence of innovation) and $\text{TCH} < 1$ technical regress. Both components equal unity are associated with no change. Likewise Malmquist index of total factor productivity change equal unity means stagnation, index greater than unity indicates growth and index less than unity means deterioration of productivity.

Malmquist index in (3) a (4) is based on the assumption that technology exhibits constant returns to scale (CRS). If the assumption on returns to scale is relaxed to allow variable returns to scale (VRS), then component of TECH in (4), following Färe, Grosskopf, Lovell (1994), can be further decomposed to scale efficiency change (SECH) and pure efficiency change (PECH):

$$\text{TECH}(x^t, y^t, x^{t+1}, y^{t+1}) = \frac{D_o^t(x^t, y^t | \text{VRS})}{D_o^t(x^t, y^t | \text{CRS})} \frac{D_o^{t+1}(x^{t+1}, y^{t+1} | \text{CRS})}{D_o^{t+1}(x^{t+1}, y^{t+1} | \text{VRS})} \left[\frac{D_o^{t+1}(x^{t+1}, y^{t+1} | \text{VRS})}{D_o^t(x^t, y^t | \text{VRS})} \right] = \text{SECH}(x^t, y^t, x^{t+1}, y^{t+1}) \cdot \text{PECH}(x^t, y^t, x^{t+1}, y^{t+1}) \quad (5).$$

Changes in inputs structure in favour of technologically more advanced and effective inputs may lead to biases, which may result in non-proportional shifts of input isoquants. One possible way how to evaluate those changes is to decompose technical change to output bias of technical change (OBTCH) index, input bias of technical change (IBTCH) index and the magnitude of technical change (MTCH) (Färe, Grifell-Tatjé, Grosskopf, Lovell, 1997):

$$\text{TCH}(x^t, y^t, x^{t+1}, y^{t+1}) =$$

$$\left[\frac{D_o^t(x^{t+1}, y^{t+1})}{D_o^{t+1}(x^{t+1}, y^{t+1})} \frac{D_o^{t+1}(x^{t+1}, y^t)}{D_o^t(x^{t+1}, y^t)} \right]^{\frac{1}{2}} \left[\frac{D_o^{t+1}(x^t, y^t)}{D_o^t(x^t, y^t)} \frac{D_o^t(x^{t+1}, y^t)}{D_o^{t+1}(x^{t+1}, y^t)} \right]^{\frac{1}{2}} \times \left[\frac{D_o^t(x^t, y^t)}{D_o^{t+1}(x^t, y^t)} \right] = \text{OBTCH} * \text{IBTCH} * \text{MTCH} \quad (6)$$

Output bias shows whether input isoquant shifts non-proportionally for various outputs combinations and input bias indicates whether output isoquant shifts non-proportionally for various input mixes. Technical change is Hicks'-output (input) neutral, resp. does not comprise any bias if both OBTCH and IBTCH are equal unity. Under the assumption of both neutralities, both OBTCH and IBTCH are equal unity and MTCH component is equal TCH, i.e. all technical change is comprised in technical change itself.

Following **Fare et al. (2001)** and **Barros and Weber (2009)** we calculate alternative directions of technical change input bias as it is shown in Table 1.

Table 1: Input biased technical change and changes in the input mix

Input mix	IBTCH>1	IBTCH<1	IBTCH=1
$\left(\frac{x_r}{x_s}\right)^{t+1} > \left(\frac{x_r}{x_s}\right)^t$	$x_r - \text{using},$ $x_s - \text{saving}$	$x_s - \text{using},$ $x_r - \text{saving}$	Neutral
$\left(\frac{x_r}{x_s}\right)^{t+1} < \left(\frac{x_r}{x_s}\right)^t$	$x_s - \text{using},$ $x_r - \text{saving}$	$x_r - \text{using},$ $x_s - \text{saving}$	Neutral

The fact that distance function $D_o^t(x^t, y^t)$ is reciprocal to **Farrell (1957)** technical efficiency measure, led **Färe, Grosskopf, Lindgren and Roos (1989, 1994)** to suggestion to employ Data Envelopment Analysis to its estimation.

Estimation of distance function values for components calculation needs to apply 8 DEA models for each decision making unit, list of which is presented in Table 2.

Data

Data for the study are drawn from nationally representative sample of the Ministry of Agriculture (information sheets on farms). In the analysis panel data representing 422 farms for the period 1998-2007 has been used in following structure: 104 commercial farms and 338 cooperative farms.

For the purposes of subsequent analysis, we categorise farm data into two groups: data representing EU pre-accession years 1998-2003 and data representing EU post-accession years 2004-2007.

Total acreage of the farms examined in the study makes more than 51% of the total arable land in Slovakia.

Two output- and three input variables have been used in the estimation of production frontier:

- output 1: cereals and oilseed production (tons)
- output 2: crop sales (thous. SKK)
- input 1: fertilizers costs (thous. SKK)
- input 2: seed costs (thous. SKK)
- input 3: labour costs (thous. SKK)

Table 3 shows descriptive statistics of the variables for the year 2007. Descriptive statistics for all sample years 1998-2006 is presented in the Appendix 1.

Table 2: DEA models for distance functions estimation

Model 1 $[D_o^t(x^t, y^t CRS)]^{-1}$ $= \max_{\varphi, \lambda}$ subject to $\varphi y_j^t - Y^t \lambda \leq 0$ $X^t \lambda \leq x_j^t$ $\lambda \geq 0$	Model 2 $[D_o^t(x^t, y^t VRS)]^{-1}$ $= \max_{\varphi, \lambda}$ subject to $\varphi y_j^t - Y^t \lambda \leq 0$ $X^t \lambda \leq x_j^t$ $\lambda \geq 0$ $1' \lambda = 1$
Model 3 $[D_o^{t+1}(x^{t+1}, y^{t+1} CRS)]^{-1}$ $= \max_{\varphi, \lambda}$ subject to $\varphi y_j^{t+1} - Y^{t+1} \lambda \leq 0$ $X^{t+1} \lambda \leq x_j^{t+1}$ $\lambda \geq 0$	Model 4 $[D_o^{t+1}(x^{t+1}, y^{t+1} VRS)]^{-1}$ $= \max_{\varphi, \lambda}$ subject to $\varphi y_j^{t+1} - Y^{t+1} \lambda \leq 0$ $X^{t+1} \lambda \leq x_j^{t+1}$ $\lambda \geq 0$ $1' \lambda = 1$
Model 5 $[D_o^t(x^{t+1}, y^{t+1} CRS)]^{-1}$ $= \max_{\varphi, \lambda}$ subject to $\varphi y_j^{t+1} - Y^t \lambda \leq 0$ $X^t \lambda \leq x_j^{t+1}$ $\lambda \geq 0$	Model 6 $[D_o^t(x^t, y^t CRS)]^{-1}$ $= \max_{\varphi, \lambda}$ subject to $\varphi y_j^t - Y^{t+1} \lambda \leq 0$ $X^{t+1} \lambda \leq x_j^t$ $\lambda \geq 0$
Model 7 $[D_o^t(x^{t+1}, y^t CRS)]^{-1}$ $= \max_{\varphi, \lambda}$ subject to $\varphi y_j^t - Y^t \lambda \leq 0$ $X^t \lambda \leq x_j^{t+1}$ $\lambda \geq 0$	Model 8 $[D_o^{t+1}(x^{t+1}, y^t CRS)]^{-1}$ $= \max_{\varphi, \lambda}$ subject to $\varphi y_j^t - Y^{t+1} \lambda \leq 0$ $X^{t+1} \lambda \leq x_j^t$ $\lambda \geq 0$

Notation:

- y_j^t is S×1 vector of outputs of j-th DMU in period t
- x_j^t is M×1 vector of inputs of j-th DMU in period t
- Y^t is S×N matrix of S outputs and N DMUs in a period t
- X^t is M×N matrix of M inputs and N DMUs in a period t
- λ is N×1 vector of intensity variables
- φ is scalar, output oriented measure of efficiency

RESULTS AND DISCUSSION

In this section, we present summary description of average and cumulative performance indices for all 422 farms within 10 year horizon. Table 4 presents geometric mean estimates of productivity change and its components for the pooled farms by year, geometric mean for the whole period and cumulative indices. Values of Malmquist index, technical efficiency change, pure efficiency change, scale efficiency change, and technical change greater than one indicate productivity gains, increases in efficiency, or technological progress. Values of input-biased technical change, output-biased technical change, and magnitude of technical change different from one indicate that technical change is not Hicks' neutral.

Table 3: Descriptive statistics of the data, year 2007

Variable	Mean	Standard deviation	Minimum	Maximum
Fertilizers costs [thous. SKK]	3332	3452	16	28880
Seed costs [thous. SKK]	2931	2644	47	20623
Labour costs [thous. SKK]	7529	7029	3	43851
Cereals and oilseed production [tons]	3208	3089	14	24365
Crop sales [thous. SKK]	21036	21155	2	146112

Data: VÚEPP Bratislava, table: author's calculation

We can see that within the whole period 1998-2007 productivity (M_o) decreased by more than 20%. Average yearly decrease was 2.5%. Most significant year-to-year falls in productivity are seen in years 2000 and 2003. They were caused evidently by very low precipitation totals and serious drought devastating agricultural crops in the majority of Slovakia (Sekáčová, Šťastný, Lapin, 2004; MPaRV SR, 2000, 2003). On the other hand 56.4% productivity increase in 2004 was a result of favorable growing conditions. Only 29% farms of the sample period were able to increase their productivity.

Decrease of productivity was mitigated by improvement of technical efficiency (TECH) by almost 37% within the whole period. Improvement of technical efficiency was probably invoked by more tough competition within the sector and at the market. Almost 82% farms improved their TECH within the sample period.

Decomposition of TECH indicates that improvement of technical efficiency in our sample was caused predominantly by improvement of pure technical efficiency (PECH) - approximately by 27%, and to certain extends by improvement of scale efficiency (SECH) - more that 7%. Improvement in PECH is usually interpreted as an improvement in management of production. SECH increase may be a result of the fact that farms are approaching the optimal scale size for the sector of cereals and oilseed crops production.

Productivity decrease was caused mostly by negative technical change (TCH) - almost 42% within the whole period. It may indicate lack of innovation in production technology, mainly as far as the absence of introduction of new crop varieties resistant to weather extremes, and production processes minimizing impact of negative natural conditions.

The technical change part of the Malmquist index consists of the indices of magnitude (neutral) change, input-biased change and output-biased change of the technology. These components reflect intertemporal movements of the best practice frontier. Our results in Table 4 show that average input-biased technical change equals 1.022. Since it is different from one it indicates that technical change in this sector cannot be assumed Hicks' - neutral.

Cumulative index of magnitude of technical change (MTCH = 0.392) for the sample period indicates significant neutral technology regress.

In the Table 4 we present also comparison of the EU pre-accession period to the EU post-accession period average cumulative indices of productivity and its components. Better results in favour of post-accession period were found as far as the M_o , TECH, PECH, TCH, and MTCH. Worse results were found in SECH. All differences are statistically significant. It can lead to conclusion that EU accession had a positive impact on farm performance in the sector. Only scale efficiency change has deteriorated by more than 2 percentage points.

Further we provide results of a more detailed investigation of the direction of technical change through the analysis of the bias direction and input ratios. In Table 5 we summarise the number of farms that experience a bias in the use of inputs. Farms are distributed according to three classes of IBTCH values. Except year 2001/2000 in all years farms with IBTCH >1 prevail.

Recall that in the analysis ratios of three inputs are considered, fertilizers (F), seed (S), and labour (L). There are three combinations of the inputs, F vs. S, S vs. L, and F vs. L to identify the bias direction. With respect to rules in Table 1 if x_r/x_s increases, then IBTCH >1 implies x_r -using bias and IBTCH <1 implies x_s -using bias. If x_r/x_s decreases, then IBTCH >1 implies x_s -using bias and IBTCH <1 implies x_r -using bias.

According to Table 5 technical change bias indicates that producers generally do not tend to follow any factor using/saving pattern over the examined period. Distribution of farms within the sample period shows significant changes in some years. Average numbers show that majority of farms follow fertilizers-using/seed-saving, seed-using/labour-saving, and fertilizers-using/labour-saving technical change bias.

According to average values of IBTCH and input mix ratios, shown in Table 6, in the sample period farms experience fertilizers-using bias as compared with the use of seed. The same pattern is seen also in pre-accession period, as well as in post-accession period. For the input pair of seed versus labour, for all three periods, pattern of seed-using/labour-saving bias is estimated. The last input mix pair - fertilizers vs. labour exhibits fertilizers-using and labour saving bias for all three periods.

Great variability of IBTCH and input bias orientation in year-to-year development does not allow concluding on any statistically significant using-saving pattern.

CONCLUSIONS

The objective of the paper was to analyse productivity change in the sector of cereals and oilseed production in Slovakia and to examine its development from the aspects of its components in the period 1998-2007.

Table 4: Malmquist productivity index and its components, 1998-2007

Year	M ₀	TECH	PECH	SECH	TCH	IBTCH	OBTCH	MTCH
1999/1998	1.030	1.098	1.056	1.040	0.937	1.037	1.026	0.881
2000/1999	0.772	1.082	1.067	1.015	0.713	1.012	1.009	0.699
2001/2000	1.297	0.982	0.949	1.034	1.321	1.010	1.013	1.290
2002/2001	0.983	1.100	1.138	0.967	0.894	1.025	1.007	0.866
2003/2002	0.694	0.903	0.905	0.997	0.769	1.042	1.031	0.715
2004/2003	1.564	1.165	1.176	0.990	1.343	1.041	1.066	1.210
2005/2004	0.917	0.826	0.932	0.885	1.111	1.002	1.001	1.108
2006/2005	0.857	1.114	0.966	1.153	0.769	1.007	1.030	0.742
2007/2006	0.924	1.101	1.091	1.009	0.839	1.018	1.028	0.801
Geom.mean (GM)	0.975	1.035	1.027	1.008	0.942	1.022	1.023	0.901
GM 1998-2003	1.016	1.051	1.044	1.007	0.966	1.028	1.025	0.917
GM 2004-2007	0.899	1.004	0.994	1.010	0.895	1.009	1.019	0.870
Cumulative index (CI)	0.799	1.368	1.272	1.073	0.584	1.212	1.229	0.392
CI 1998-2003	0.704	1.159	1.101	1.052	0.607	1.133	1.089	0.492
CI 2004-2007	1.136	1.180	1.155	1.019	0.963	1.070	1.129	0.797
No. of farms with CI > 1	129	361	327	356	17	333	376	5
No. of farms with CI < 1	313	81	114	86	425	109	66	437

Source: author's calculations

Table 5: Distribution of farms according to year-to-year input biased technical change

	IBTCH			Fertilizers vs. Seed			Seed vs. Labour			Fertilizers vs. Labour		
	>1	<1	=1	F-using	S-using	N	S-using	L-using	N	F-using	L-using	N
1999/1998	302	140	0	91	351	0	240	202	0	112	330	0
2000/1999	229	213	0	239	203	0	229	213	0	227	215	0
2001/2000	207	235	0	184	258	0	251	191	0	203	239	0
2002/2001	279	163	0	383	59	0	167	275	0	349	93	0
2003/2002	316	126	0	86	356	0	210	232	0	139	303	0
2004/2003	306	136	0	324	118	0	291	151	0	332	110	0
2005/2004	234	208	0	195	247	0	230	212	0	194	248	0
2006/2005	229	213	0	272	170	0	294	148	0	329	113	0
2007/2006	266	176	0	280	162	0	100	342	0	162	280	0
Geomean	260	175	x	205	189	x	214	212	x	212	195	x

Source: author's calculations

Table 6: Geometric means of input mix ratios and bias directions

	IBTCH	Fertilizers vs. Seed		Seed vs. Labour		Fertilizers vs. Labour	
		F/S ratio	direction	S/L ratio	direction	F/L ratio	direction
1998-2007	1.033	1.476	F-using	1.439	S-using	1.645	F-using
1998-2003	1.070	1.938	F-using	2.052	S-using	1.740	F-using
2004-2007	1.021	1.231	F-using	1.474	S-using	1.586	F-using

Note: Years 1998-2003 represent EU pre-accession period, years 2004-2007 represent EU post-accession period.

Source: author's calculations

It employs a non-parametric distance function approach to measure Malmquist productivity index which is decomposed into technical efficiency change, scale efficiency change, and technical change. Technical change is further decomposed into technical change magnitude and input- and output-bias indices of technical change. Productivity change components provide more detailed information about character of productivity change itself and its sources. Our results indicate that productivity in the analysed sector decreased

approximately by 20% within the examined period. Decrease in productivity was mitigated by technical efficiency improvement, what may indicate positive impact of competition. This improvement was driven mainly by pure efficiency improvement what could be understood as an economy of scale effect. The productivity decrease was caused mostly by worsening the technical change (-42%), what may indicate deterioration of technology and lack of investment into the new technology. Components of technical change -

indices of input- and output- bias of technical change were various from unity what suggests that technical change was Hicks' non-neutral. Detailed analysis of input bias of technical change shows that there is great variability of IBTCH and input bias orientation analysis in year-to-year development does not allow concluding on any using-saving pattern. In average for the whole sample period as well as for the pre-accession period, and post-accession period farms tend to apply fertilizers-using/seed-saving, seed-using/labour-saving, and fertilizers-using/labour-saving technical change bias.

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Appendix 1 Descriptive statistics of the data, 1998-2007

	Mean	SD	Max	Min	Mean	SD	Max	Min
Year 1998				Year 2003				
Fertilizers	2099	2098	14120	62	2311	2312	16147	4
Seed	2021	1829	11782	38	2747	2489	24883	78
Labour	6014	5449	39492	13	10949	10219	75410	20
Production	3666	4843	77601	14	2942	2914	18251	13
Sales	13943	13197	76003	163	16911	16958	99807	15
Year 1999				Year 2004				
Fertilizers	2099	2098	14120	62	2537	2682	18931	44
Seed	2021	1829	11782	38	2753	2530	20688	97
Labour	6014	5449	39492	13	6380	6164	42073	10
Production	3666	4843	77601	14	4269	4159	29599	16
Sales	13943	13197	76003	163	18067	19044	120319	16
Year 2000				Year 2005				
Fertilizers	2315	2404	16114	28	2662	2851	23102	49
Seed	2407	2253	19767	42	2707	2479	16282	26
Labour	5412	4931	31129	6	6443	6406	44576	8
Production	2613	2637	18833	14	4006	4048	27642	36
Sales	12552	12482	76608	17	18099	19509	133071	6
Year 2001				Year 2006				
Fertilizers	2410	2587	20225	2	2833	2978	23300	2
Seed	2378	2162	20306	45	2837	2531	17945	24
Labour	6257	5635	35955	18	6670	6544	37984	2
Production	3818	3747	23946	6	3429	3538	27134	18
Sales	16103	16219	100897	122	19140	21290	130678	2
Year 2002				Year 2007				
Fertilizers	2714	2776	18459	34	3332	3452	28880	16
Seed	2393	2316	25480	85	2931	2644	20623	47
Labour	6338	5614	32283	16	7529	7029	43851	3
Production	3665	3533	22825	19	3208	3089	24365	14
Sales	17707	17758	114001	54	21036	21155	146112	2

Source: author's calculations