

The World's Largest Open Access Agricultural & Applied Economics Digital Library

This document is discoverable and free to researchers across the globe due to the work of AgEcon Search.

Help ensure our sustainability.

Give to AgEcon Search

AgEcon Search http://ageconsearch.umn.edu aesearch@umn.edu

Papers downloaded from **AgEcon Search** may be used for non-commercial purposes and personal study only. No other use, including posting to another Internet site, is permitted without permission from the copyright owner (not AgEcon Search), or as allowed under the provisions of Fair Use, U.S. Copyright Act, Title 17 U.S.C.

Stata tip 89: Estimating means and percentiles following multiple imputation

Peter A. Lachenbruch Oregon State University Corvallis, OR peter.lachenbruch@oregonstate.edu

1 Introduction

In a statistical analysis, I usually want some basic descriptive statistics such as the mean, standard deviation, extremes, and percentiles. See, for example, Pagano and Gauvreau (2000). Stata conveniently provides these descriptive statistics with the summarize command's detail option. Alternatively, I can obtain percentiles with the centile command. For example, with auto.dta, we have

```
. sysuse auto
(1978 Automobile Data)
```

```
. summarize price, detail
```

Price							
	Percentiles	Smallest					
1%	3291	3291					
5%	3748	3299					
10%	3895	3667	Obs	74			
25%	4195	3748	Sum of Wgt.	74			
50%	5006.5		Mean	6165.257			
		Largest	Std. Dev.	2949.496			
75%	6342	13466					
90%	11385	13594	Variance	8699526			
95%	13466	14500	Skewness	1.653434			
99%	15906	15906	Kurtosis	4.819188			

However, if I have missing values, the summarize command is not supported by mi estimate or by the user-written mim command (Royston 2004, 2005a,b, 2007; Royston, Carlin, and White 2009).

2 Finding means and percentiles when missing values are present

For a general multiple-imputation reference, see Stata 11 Multiple-Imputation Reference Manual (2009). By recognizing that a regression with no independent variables estimates the mean, I can use mi estimate: regress to get multiply imputed means. If I wish to get multiply imputed quantiles, I can use mi estimate: qreg or mi estimate: sqreg for this purpose.

I now create a dataset with missing values of price:

```
. clonevar newprice = price
. set seed 19670221
. replace newprice = . if runiform() < .4
(32 real changes made, 32 to missing)
```

The following commands were generated from the multiple-imputation dialog box. I used 20 imputations. Before Stata 11, this could also be done with the user-written commands ice and mim (Royston 2004, 2005a,b, 2007; Royston, Carlin, and White 2009).

. mi set mlong								
. mi register (32 <i>m</i> =0 obs. n	imputed newp ow marked as	rice incomplete)						
. mi register	regular mpg	trunk weight	length	L				
. mi impute re	gress newpri	ce, add(20)	rseed(3	3252010)				
Univariate imp		Imput	ations	= 20				
Linear regress	ion			added	= 20			
<pre>Imputed: m=1 t</pre>	hrough m=20		υ	updated	= 0			
		Observat	ions pe	er m				
Variable complete inco			te im	nputed	total			
newprice	4:	2	32	32	74			
(complete + in of the number	complete = to of filled in	otal; impute n observatio	d is th ns.)	ne minim	um across	m		
. mi estimate:	regress new]	price						
Multiple-imput	ation estimat	tes		Im	putations	=	20	
Linear regress	ion			Nu	74			
				Av	erage RVI	=	1.3880	
				Co	mplete DF	=	73	
				DF	': min	=	19.46	
					avg	=	19.46	
DF adjustment:	Small sam	ple			max	=	19.46	
				F(0,	.) =		
Within VCE type: OLS Prob > F					ob > F	=		
newprice	Coef.	Std. Err.	t	P> t	[95%	Conf.	Interval]	
_cons	5693.489	454.9877	12.51	0.00	0 4742	.721	6644.258	

From this output, we see that the estimated mean is 5,693 with a standard error of 455 (rounded up) compared with the complete data value of 6,165 with a standard error of 343 (also rounded up). However, we do not have estimates of quantiles. This could also have been done using mi estimate: mean newprice (the mean command is near the bottom of the estimation command list for mi estimate).

. mi estimate:	qreg newpri	ce, quantile	(10)				
Multiple-imput	Impu	tations	=	20			
.1 Quantile regression					Number of obs =		
					Average RVI =		
					lete DF	=	73
				DF:	min	=	48.05
					avg	=	48.05
DF adjustment:			max	=	48.05		
		F(0,	.) =			
				Prob	> F	=	•
newprice	Coef.	Std. Err.	t	P> t	[95%	Conf.	Interval]
_cons	3495.635	708.54	4.93	0.000	2071.	058	4920.212

We can apply the same principle using qreg. For the 10th percentile, type

Compare the value of 3,496 with the value of 3,895 from the full data. We can use the simultaneous estimates command for the full set:

. mi est	imate	sqreg newpr	ice, quantil	es(10 25	50 75 90)	reps(2	20)	
Multiple-imputation estimates					Imputa	tions	=	20
Simultaneous quantile regression					Number	of obs	; =	74
					Averag	e RVI	=	0.6085
	Comple	te DF	=	73				
DF adjus	DF:	min	=	23.19				
						avg	=	26.97
						max	=	31.65
newp	orice	Coef.	Std. Err.	t	P> t	[95%	Conf.	Interval]
q10								
-	cons	3495.635	533.5129	6.55	0.000	2408.	434	4582.836
q25								
-	cons	4130.037	237.1932	17.41	0.000	3642.	459	4617.614
q50								
	cons	5200.238	441.294	11.78	0.000	4292.	719	6107.757
q75								
-	cons	6620.232	778.8488	8.50	0.000	5025	5.49	8214.974
q90								
-	cons	8901.985	1417.022	6.28	0.000	5971.	962	11832.01

3 Comments and cautions

The qreg command does not give the same result as the centile command when you have complete data. This is because the centile command uses one observation, while the qreg command uses a weighted combination of the observations. It will have somewhat shorter confidence intervals, but with large datasets, the difference will be small. A second caution is that comparing two medians can be tricky: the difference of two medians is not the median difference of the distributions. I have found it useful to use percentiles because there is a one-to-one relationship between percentiles if data are transformed. In our case, there is plentiful evidence that **price** is not normally distributed, so it would be good to look for a transformation and impute those values.

This method of using regression commands without an independent variable can provide estimates of quantities that otherwise would be difficult to obtain. For example, it is much faster than finding 20 imputed percentiles and then combining them with Rubin's rules, and it is much less onerous and prone to error.

4 Acknowledgment

This work was supported in part by a grant from the Cure JM Foundation.

References

Pagano, M., and K. Gauvreau. 2000. *Principles of Biostatistics*. 2nd ed. Belmont, CA: Duxbury.

Royston, P. 2004. Multiple imputation of missing values. Stata Journal 4: 227-241.

. 2005a. Multiple imputation of missing values: Update. *Stata Journal* 5: 188–201.

. 2005b. Multiple imputation of missing values: Update of ice. *Stata Journal* 5: 527–536.

——. 2007. Multiple imputation of missing values: Further update of ice, with an emphasis on interval censoring. *Stata Journal* 7: 445–464.

- Royston, P., J. B. Carlin, and I. R. White. 2009. Multiple imputation of missing values: New features for mim. Stata Journal 9: 252–264.
- StataCorp. 2009. Stata 11 Multiple-Imputation Reference Manual. College Station, TX: Stata Press.