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Fitting mixed logit models by using maximum simulated likelihood

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Abstract. This article describes the mixlogit Stata command for fitting mixed logit models by using maximum simulated likelihood.

Keywords: st0133, mixlogit, mixlpred, mixlcov, mixed logit, maximum simulated likelihood

1 Introduction

In a recent issue of the *Stata Journal* devoted to maximum simulated likelihood estimation, Haan and Uhlendorff (2006) showed how to implement a multinomial logit model with unobserved heterogeneity in Stata. This article describes the mixlogit Stata command, which can be used to fit models of the type considered by Haan and Uhlendorff, as well as other types of mixed logit models (Train 2003).

The article is organized as follows: section 2 gives a brief overview of the mixed logit model, section 3 describes the mixlogit syntax and options, and section 4 presents some examples.

2 Mixed logit model

Per Revelt and Train (1998), we assume a sample of N respondents with the choice of J alternatives on T choice occasions. The utility that individual n derives from choosing alternative j on choice occasion t is given by $U_{njt} = \beta'_n x_{njt} + \varepsilon_{njt}$, where β_n is a vector of individual-specific coefficients, x_{njt} is a vector of observed attributes relating to individual n and alternative j on choice occasion t, and ε_{njt} is a random term that is assumed to be an independently and identically distributed extreme value. The density for β is denoted as $f(\beta|\theta)$, where θ are the parameters of the distribution. Conditional on knowing β_n , the probability of respondent n choosing alternative i on choice occasion t is given by

$$L_{nit}(\beta_n) = \frac{\exp(\beta'_n x_{nit})}{\sum_{j=1}^{J} \exp(\beta'_n x_{njt})}$$

which is the conditional logit formula (McFadden 1974). The probability of the observed sequence of choices conditional on knowing β_n is given by

$$S_n(\beta_n) = \prod_{t=1}^{T} L_{ni(n,t)t}(\beta_n)$$

where i(n,t) denotes the alternative chosen by individual n on choice occasion t. The unconditional probability of the observed sequence of choices is the conditional probability integrated over the distribution of β :

$$P_n(\theta) = \int S_n(\beta) f(\beta|\theta) d\beta$$

The unconditional probability is thus a weighted average of a product of logit formulas evaluated at different values of β , with the weights given by the density f.

This specification is general because it allows fitting models with both individual-specific and alternative-specific explanatory variables. This is analogous to the way that the clogit command (see [R] clogit) can be used to fit multinomial logit models. In section 4, I show how mixlogit can fit various models, including the multinomial logit model with unobserved heterogeneity considered by Haan and Uhlendorff (2006).

The log likelihood for the model is given by $LL(\theta) = \sum_{n=1}^{N} \ln P_n(\theta)$. This expression cannot be solved analytically, and it is therefore approximated using simulation methods (see Train 2003). The simulated log likelihood is given by

$$SLL(\theta) = \sum_{n=1}^{N} \ln \left\{ \frac{1}{R} \sum_{r=1}^{R} S_n(\beta^r) \right\}$$

where R is the number of replications and β^r is the the rth draw from $f(\beta|\theta)$.

3 Commands

3.1 mixlogit

Syntax

```
mixlogit depvar [indepvars] [if] [in], group(varname) rand(varlist)
  [id(varname) ln(#) corr nrep(#) burn(#) level(#)
  constraints(numlist) maximize_options]
```

Description

mixlogit is implemented as a d0 ml evaluator. The command allows correlated and uncorrelated normal and lognormal distributions for the coefficients. The pseudorandom draws used in the estimation process are generated using the Mata function halton() (Drukker and Gates 2006).

Options

group(varname) is required and specifies a numeric identifier variable for the choice occasions.

rand(varlist) is required and specifies the independent variables whose coefficients are random. The random coefficients can be specified to be normally or lognormally distributed (see the ln() option). The variables immediately following the dependent variable in the syntax are specified to have fixed coefficients.

id(varname) specifies a numeric identifier variable for the decision makers. This option should be specified only when each individual performs several choices; i.e., the dataset is a panel.

ln(#) specifies that the last # variables in rand() have lognormally rather than normally distributed coefficients. The default is ln(0).

corr specifies that the random coefficients are correlated. The default is that they are independent. When the corr option is specified, the estimated parameters are the means of the (fixed and random) coefficients plus the elements of the lower-triangular matrix **L**, where the covariance matrix for the random coefficients is given by **V** = **LL**'. The estimated parameters are reported in the following order: the means of the fixed coefficients, the means of the random coefficients, and the elements of the **L** matrix. The mixlcov command can be used postestimation to obtain the elements in the **V** matrix along with their standard errors.

If the corr option is not specified, the estimated parameters are the means of the fixed coefficients and the means and standard deviations of the random coefficients, reported in that order. The sign of the estimated standard deviations is irrelevant. Although in practice the estimates may be negative, interpret them as being positive.

The sequence of the parameters is important to bear in mind when specifying starting values

nrep(#) specifies the number of Halton draws used for the simulation. The default is nrep(50).

burn(#) specifies the number of initial sequence elements to drop when creating the Halton sequences. The default is burn(15). Specifying this option helps reduce the correlation between the sequences in each dimension. Train (2003, 230) recommends that # should be at least as large as the prime number used to generate the sequences. If there are K random coefficients, mixlogit uses the first K primes to generate the Halton draws.

level(#); see [R] estimation options.

constraints (numlist); see [R] estimation options.

maximize_options: difficult, technique(algorithm_spec), iterate(#), trace,
 gradient, showstep, hessian, tolerance(#), ltolerance(#), gtolerance(#),
 nrtolerance(#), from(init_specs); see [R] maximize. technique(bhhh) is not
 allowed.

3.2 mixlpred

Syntax

```
mixlpred newvarname [if] [in] [nrep(#) burn(#)]
```

Description

The command mixlpred can be used following mixlogit to obtain predicted probabilities. The predictions are available both in and out of sample; type mixlpred ... if e(sample) ... if predictions are wanted for the estimation sample only.

Options

nrep(#) specifies the number of Halton draws used for the simulation. The default is nrep(50).

burn(#) specifies the number of initial sequence elements to drop when creating the Halton sequences. The default is burn(15).

3.3 mixlcov

Syntax

```
mixlcov [, sd]
```

Description

The command mixlcov can be used following mixlogit to obtain the elements in the coefficient covariance matrix along with their standard errors. This command is relevant only when the coefficients are specified to be correlated; see the corr option above. mixlcov is a wrapper for nlcom (see [R] nlcom).

Option

sd reports the standard deviations of the correlated coefficients instead of the covariance matrix.

4 Examples

To show how the mixlogit command can fit mixed logit models with alternative-specific explanatory variables, we use part of the data from Huber and Train (2001) on house-holds' choice of electricity supplier. A sample of residential electricity customers were presented with four alternative electricity suppliers. The suppliers differed in the following characteristics: price per kilowatt-hour, length of contract, whether the company is local, and whether it is well known. Depending on the experiment, the price is either fixed or a variable rate that depends on the time of day or the season. The following explanatory variables enter the model:

- Price in cents per kilowatt-hour if fixed price, 0 if time-of-day or seasonal rates
- Contract length in years
- Whether company is local (0–1 dummy)
- Whether company is well known (0–1 dummy)
- Time-of-day rates (0-1 dummy)
- Seasonal rates (0–1 dummy)

The data setup for mixlogit is identical to that required by clogit. To give an impression of how the data are structured, I list the first 12 observations below. Each observation corresponds to an alternative, and the dependent variable y is 1 for the chosen alternative in each choice situation and 0 otherwise. gid identifies the alternatives in a choice situation, pid identifies the choice situations faced by a given individual, and the remaining variables are the alternative attributes described earlier. In the listed data, the same individual faces three choice situations.

^{1.} You can download the dataset from Kenneth Train's web site as part of his excellent distance-learning course on discrete-choice methods (http://elsa.berkeley.edu/~train/).

- . use traindata
- . list in 1/12, sepby(gid)

	у	price	contract	local	wknown	tod	seasonal	gid	pid
1.	0	7	5	0	1	0	0	1	1
2.	0	9	1	1	0	0	0	1	1
3.	0	0	0	0	0	0	1	1	1
4.	1	0	5	0	1	1	0	1	1
5.	0	7	0	0	1	0	0	2	1
6.	0	9	5	0	1	0	0	2	1
7.	1	0	1	1	0	1	0	2	1
8.	0	0	5	0	0	0	1	2	1
9.	0	9	5	0	0	0	0	3	1
10.	0	7	1	0	1	0	0	3	1
11.	0	0	0	0	1	1	0	3	1
12.	1	0	0	1	0	0	1	3	1

We begin by fitting a model in which the coefficient for price is fixed and the remaining coefficients are normally distributed. mixlogit uses the coefficients from a conditional logit model fitted using the same data as starting values for the means of the coefficients and sets the starting values for the standard deviations to 0.1. The model is fitted using 50 Halton draws. Whereas the accuracy of the results increases with the number of draws, so does the estimation time; the choice of draws therefore represents a tradeoff between the two. One possible strategy is to use a relatively small number of draws (say, 50) when doing the specification search and a larger number (say, 500) for the final model. Train (2003), Cappellari and Jenkins (2006), and Haan and Uhlendorff (2006) discuss the issue of accuracy in greater detail.

^{2.} The fitted models have no alternative-specific constants. This is common practice when the data come from so-called unlabeled choice experiments, where the alternatives have no utility beyond the characteristics attributed to them in the experiment.

```
. global randvars "contract local wknown tod seasonal"
. mixlogit y price, rand($randvars) group(gid) id(pid) nrep(50)
Iteration 0: log likelihood = -1320.2214 (not concave)
  (output omitted)
Iteration 8: log likelihood = -1137.7962
```

Log likelihood = -1137.7962

Mixed logit model

Number of obs	=	4780
LR chi2(5)	=	437.18
Prob > chi2	=	0.0000

у	Coef.	Std. Err.	z	P> z	[95% Conf.	Interval]
Mean						
price	8714238	.0587205	-14.84	0.000	9865138	7563338
contract	2337225	.0362325	-6.45	0.000	304737	162708
local	1.939449	.1736134	11.17	0.000	1.599173	2.279725
wknown	1.480568	.1427072	10.37	0.000	1.200867	1.760269
tod	-8.334529	.5066987	-16.45	0.000	-9.32764	-7.341418
seasonal	-8.449152	.5167853	-16.35	0.000	-9.462032	-7.436271
SD						
contract	.2959921	.0305113	9.70	0.000	.236191	.3557931
local	1.798179	.2129429	8.44	0.000	1.380819	2.21554
wknown	1.114257	.2248278	4.96	0.000	.6736025	1.554911
tod	1.560564	.1666314	9.37	0.000	1.233973	1.887156
seasonal	1.684004	.1799347	9.36	0.000	1.331338	2.036669

^{. *}Save coefficients for later use

On average, consumers prefer lower costs, shorter contract length, a local and well-known provider, and fixed rather than variable rates. Further, there is significant preference heterogeneity for all the attributes. From the magnitudes of the standard deviations relative to the mean coefficients, whereas practically all consumers prefer fixed to variable rates, 21% prefer longer contracts, 14% prefer a provider that is not local, and 9% prefer a provider that is not well known. These figures are given by $100 \times \Phi(-b_k/s_k)$, where Φ is the cumulative standard normal distribution and b_k and s_k are the mean and standard deviation, respectively, of the kth coefficient.

A likelihood-ratio test for the joint significance of the standard deviations is reported in the upper-right corner of the table. The associated p-value is small, implying rejection of the null hypothesis that all the standard deviations are equal to zero.

Restricting the sign of the coefficients to be either positive or negative for all individuals may sometimes be desirable. If so, the lognormal distribution provides an alternative to the normal distribution. Whereas specifying a coefficient to be lognormally distributed implies that it is positive for all individuals, negative coefficients can be accommodated by entering the attribute multiplied by -1 in the model. The following example demonstrates this by specifying the price coefficient to be lognormally distributed:

[.] matrix b = e(b)

```
. gen mprice=-1*price
. global lnrandv "contract local wknown tod seasonal mprice"
. mixlogit y, rand($lnrandv) group(gid) id(pid) ln(1) nrep(50)
Iteration 0: \log likelihood = -1277.6348 (not concave)
  (output omitted)
Iteration 7: log likelihood = -1130.7054
Mixed logit model
                                                                             4780
                                                    Number of obs
                                                    LR chi2(6)
                                                                           451.36
Log likelihood = -1130.7054
                                                    Prob > chi2
                                                                           0.0000
                     Coef.
                             Std. Err.
                                                  P>|z|
                                                            [95% Conf. Interval]
Mean
    contract
                 -.2464903
                             .0357441
                                         -6.90
                                                 0.000
                                                           -.3165473
                                                                       -.1764332
       local
                   2.19609
                             .2192702
                                         10.02
                                                  0.000
                                                            1.766328
                                                                        2.625852
                   1.47136
                             .1279781
                                         11.50
                                                  0.000
                                                            1.220528
                                                                        1.722193
      wknown
                                                                       -7.611781
                 -8.604945
         tod
                             .5067256
                                        -16.98
                                                 0.000
                                                           -9.598109
                 -8.903156
                             .5259955
                                        -16.93
                                                  0.000
                                                           -9.934089
                                                                       -7.872224
    seasonal
      mprice
                -.0695898
                             .0681756
                                         -1.02
                                                 0.307
                                                           -.2032115
                                                                         .0640319
                  .2791737
                             .0294739
                                          9.47
                                                 0.000
                                                             .221406
                                                                         .3369415
    contract
                  1.656503
                             .2948766
                                                  0.000
                                                            1.078556
                                                                         2.234451
       local
      wknown
                   .673231
                             .1638918
                                          4.11
                                                  0.000
                                                             .352009
                                                                         .9944531
         tod
                  .8999244
                             .2082437
                                          4.32
                                                  0.000
                                                            .4917742
                                                                         1.308075
                  1.102238
                             .2370826
                                          4.65
                                                  0.000
                                                            .6375645
                                                                         1.566911
    seasonal
```

The estimated price parameters in the above model are the mean (b_p) and standard deviation (s_p) of the natural logarithm of the price coefficient. The median, mean, and standard deviation of the coefficient itself are given by $\exp(b_p)$, $\exp(b_p+s_p^2/2)$, and $\exp(b_p+s_p^2/2)\times\sqrt{\exp(s_p^2)-1}$, respectively (Train 2003). The standard errors of the mean, median, and standard deviation of the coefficient can be conveniently calculated using nlcom:

9.22

0.000

.1864395

.287152

.0256924

mprice

.2367957

у	Coef.	Std. Err.	z	P> z	[95% Conf.	Interval]
mean_price	9592978	.0634784	-15.11	0.000	-1.083713	8348824
med_price	9327763	.0635926	-14.67	0.000	-1.057415	8081372
sd_price	.2303795	.0258277	8.92	0.000	.1797582	.2810008

The mean and median estimates have been multiplied by -1 to undo the sign change introduced in the estimation process.

The next example demonstrates how mixlogit can fit a model with correlated normally distributed coefficients. Here the from() option is used to specify the starting values, which are taken from the model with uncorrelated normal coefficients. The final 15 coefficients are the elements of the lower-triangular matrix \mathbf{L} , where the covariance matrix for the random coefficients is given by $\mathbf{V} = \mathbf{L}\mathbf{L}'$ (the \mathbf{L} matrix is the Cholesky factorization of the covariance matrix \mathbf{V}).

```
. *Starting values
. matrix b = b[1,1..7],0,0,0,0,b[1,8],0,0,0,b[1,9],0,0,b[1,10],0,b[1,11]
. mixlogit y price, rand($randvars) group(gid) id(pid) nrep(50) corr
Iteration 0: log likelihood = -1137.7962 (not concave)
  (output omitted)
Iteration 11: log likelihood = -1060.8267
Mixed logit model
                                                                               4780
                                                     Number of obs
                                                     LR chi2(15)
                                                                             591.12
Log likelihood = -1060.8267
                                                     Prob > chi2
                                                                             0.0000
                     Coef.
                             Std. Err.
                                                   P>|z|
                                                              [95% Conf. Interval]
       price
                 -.8886558
                              .0604113
                                         -14.71
                                                   0.000
                                                              -1.00706
                                                                         -.7702517
    contract
                  .2283449
                              .0354989
                                           -6.43
                                                   0.000
                                                             -.2979216
                                                                          -.1587683
                  2.526601
                              .2448635
                                           10.32
                                                   0.000
                                                              2.046677
                                                                           3.006524
       local
                              .1883359
      wknown
                  1.994449
                                          10.59
                                                   0.000
                                                              1.625318
                                                                           2.363581
         tod
                 -8.680891
                              .5628236
                                          -15.42
                                                   0.000
                                                             -9.784005
                                                                          -7.577777
                 -8.480598
                              .5405829
                                          -15.69
                                                   0.000
                                                             -9.540121
                                                                          -7.421075
    seasonal
        /111
                  .3242159
                              .0327134
                                           9.91
                                                   0.000
                                                              .2600988
                                                                            .388333
        /121
                  .5076903
                              .1918852
                                           2.65
                                                   0.008
                                                              .1316022
                                                                           .8837785
        /131
                  .5164185
                              .1574542
                                           3.28
                                                   0.001
                                                              .2078139
                                                                           .8250231
                              .2119886
                                           -2.65
                                                   0.008
                                                             -.9777527
                                                                          - . 1467725
        /141
                 -.5622626
        /151
                   .2008204
                               .193612
                                           1.04
                                                   0.300
                                                             -.1786521
                                                                           .5802928
        /122
                  2.638329
                              .2709843
                                           9.74
                                                   0.000
                                                               2.10721
                                                                           3.169449
                              .2366775
        /132
                   1.69457
                                           7.16
                                                   0.000
                                                               1,23069
                                                                           2.158449
                                                                           .9701178
        /142
                  .5041138
                              .2377615
                                           2.12
                                                   0.034
                                                              .0381099
                  .6190068
                                           3.06
                                                   0.002
        /152
                              .2024403
                                                              .2222311
                                                                           1.015782
        /133
                  .4146707
                              .1683532
                                           2.46
                                                   0.014
                                                              .0847044
                                                                            .744637
```

The joint significance of the off-diagonal elements of the covariance matrix can be tested using a likelihood-ratio test. The test statistic, which is chi-squared distributed with 10 degrees of freedom under the null of uncorrelated coefficients, is given by $2 \times (1,137.7962-1,060.8267) = 153.939$, implying rejection of the null hypothesis.

4.45

1.62

8.25

6.27

8.48

0.000

0.105

0.000

0.000

0.000

.6351367

-.080985

1.527443

.9258694

1.211233

1.635384

.8519056

2,478879

1.767388

1.939127

.2551698

.2379867

.2427176

.2146771

.1856905

/143

/153

/144

/154

/155

1.13526

.3854603

2.003161

1.346629

1.57518

The covariance matrix and standard deviations of the random coefficients can conveniently be calculated using mixlcov:

. mixlcov
 (output omitted)

у	Coef.	Std. Err.	z	P> z	[95% Conf.	Interval]
v11	.1051159	.0212124	4.96	0.000	.0635404	.1466915
v21	.1646013	.0664459	2.48	0.013	.0343696	.2948329
v31	.1674311	.055532	3.02	0.003	.0585903	.2762718
v41	1822945	.0772516	-2.36	0.018	3337048	0308841
v51	.0651091	.0622506	1.05	0.296	0568998	.1871181
v22	7.218532	1.40776	5.13	0.000	4.459373	9.977691
v32	4.733013	1.031262	4.59	0.000	2.711778	6.754249
v42	1.044563	.6297305	1.66	0.097	1896861	2.278812
v52	1.735098	.5491026	3.16	0.002	.658877	2.81132
v33	3.310206	.8129714	4.07	0.000	1.716811	4.903601
v43	1.034652	.4864574	2.13	0.033	.0812134	1.988091
v53	1.312496	.3707537	3.54	0.000	.5858326	2.03916
v44	5.871741	1.390635	4.22	0.000	3.146145	8.597336
v54	3.334249	.8074509	4.13	0.000	1.751674	4.916823
v55	4.866679	.9491078	5.13	0.000	3.006462	6.726896

. mixlcov, sd
 (output omitted)

у	Coef.	Std. Err.	z	P> z	[95% Conf.	Interval]
contract	.3242159	.0327134	9.91	0.000	.2600988	.388333
local	2.686733	.2619837	10.26	0.000	2.173254	3.200211
wknown	1.819397	.2234178	8.14	0.000	1.381506	2.257288
tod	2.423167	.2869458	8.44	0.000	1.860764	2.985571
seasonal	2.206055	.2151143	10.26	0.000	1.784439	2.627671

To show how the mixlogit command can fit a multinomial logit model with unobserved heterogeneity, we use the data from Haan and Uhlendorff (2006) on teachers' ratings of pupils' behavior. The first step is to rearrange the data so that they are in the form required by mixlogit. This is analogous to the example in Long and Freese (2006), section 7.2.4, which shows how clogit can fit a multinomial logit model. I list the first 4 observations in the dataset below:

- . use jspmix, clear
- . list scy3 id tby sex in 1/4

	scy3	id	tby	sex
1.	1	280	1	0
2.	1	281	2	1
3.	1	282	1	0
4.	1	283	1	1

The next step is to expand the data. Because there are three alternatives (low, medium, and high performance), we create three duplicate records with the expand 3 command. Then we create variable alt, which identifies the alternatives and is used to generate alternative-specific constants, as well as interactions with the gender variable:

```
. expand 3
(2626 observations created)
. by id, sort: gen alt = _n
. gen mid = (alt == 2)
. gen low = (alt == 3)
. gen sex_mid = sex*mid
. gen sex_low = sex*low
```

Finally, we generate the new dependent variable choice that equals 1 if tby == alt and 0 otherwise:

```
. gen choice = (tby == alt)
```

The observations corresponding to the first four records in the original dataset are below:

. sort scy3 id alt
. list scy3 id choice mid low sex_mid sex_low in 1/12, sepby(id)

	scy3	id	choice	mid	low	sex_mid	sex_low
1.	1	280	1	0	0	0	0
2.	1	280	0	1	0	0	0
3.	1	280	0	0	1	0	0
4.	1	281	0	0	0	0	0
5.	1	281	1	1	0	1	0
6.	1	281	0	0	1	0	1
7.	1	282	1	0	0	0	0
8.	1	282	0	1	0	0	0
9.	1	282	0	0	1	0	0
10.	1	283	1	0	0	0	0
11.	1	283	0	1	0	1	0
12.	1	283	0	0	1	0	1

To replicate the results from Haan and Uhlendorff (2006), we begin by fitting a model with random but uncorrelated intercepts:

	choice	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Mean							
	sex_mid	.4797341	.1419879	3.38	0.001	.201443	.7580252
	sex_low	1.019557	.1699843	6.00	0.000	.6863943	1.352721
	mid	.531875	.1143518	4.65	0.000	.3077496	.7560004
	low	6773663	.1503376	-4.51	0.000	9720225	3827101
SD							
	mid	.514833	.1095759	4.70	0.000	.3000681	.7295979
	low	.5778384	.1126083	5.13	0.000	.3571303	.7985466

. matrix b = e(b)

The next step is to use the coefficients from the above model as starting values for the final model specification with correlated intercepts:

```
. matrix b = b[1,1...5], 0, b[1,6]
. mixlogit choice sex_mid sex_low, group(id) id(scy3) rand(mid low) corr
> nrep(5 0) from(b, copy)
Iteration 0:
              log\ likelihood = -1315.5573
  (output omitted)
Iteration 5: log likelihood = -1300.1117
Mixed logit model
                                                     Number of obs
                                                                               3939
                                                                              63.62
                                                     LR chi2(3)
Log likelihood = -1300.1117
                                                     Prob > chi2
                                                                             0.0000
                             Std. Err.
                                                              [95% Conf. Interval]
      choice
                     Coef.
                                                   P>|z|
                                              z
                  .5494836
     sex_mid
                              .1456751
                                           3.77
                                                   0.000
                                                              .2639657
                                                   0.000
     sex_low
                  1.101967
                              .1747535
                                           6.31
                                                              .7594559
                                                                           1.444477
                  .6278598
                              .1425238
                                           4.41
                                                   0.000
                                                              .3485182
                                                                           .9072013
         {\tt mid}
         low
                 -.5204487
                              .1806557
                                           -2.88
                                                   0.004
                                                             -.8745274
                                                                            -.16637
        /111
                  .7321527
                               .119431
                                           6.13
                                                   0.000
                                                              .4980721
                                                                           .9662332
        /121
                  .8096981
                              .1564731
                                           5.17
                                                   0.000
                                                              .5030165
                                                                           1.11638
        /122
                  -.346577
                              .1106231
                                           -3.13
                                                   0.002
                                                             -.5633942
                                                                          -.1297597
```

The results are similar, but not identical, to those reported by Haan and Uhlendorff. The Halton draws are generated differently in the two applications: whereas Haan and Uhlendorff base their draws on primes 7 and 11, mixlogit uses primes 2 and 3 (see Drukker and Gates [2006] for a description of how Halton draws are generated). Simulation-based estimators will generally produce slightly different results unless the draws are generated in the same way.

As before, the covariance matrix and standard deviations of the random coefficients can conveniently be calculated using mixlcov:

. mixlcov
 (output omitted)

choice	Coef.	Std. Err.	z	P> z	[95% Conf.	Interval]
v11 v21	.5360475	.1748835	3.07 3.14	0.002	.1932821	.8788129 .9631548
v21 v22	.7757266	.2540111	3.05	0.002	.2778739	1.273579

. mixlcov, sd
 (output omitted)

choice	Coef.	Std. Err.	z	P> z	[95% Conf	. Interval]
mic lov				0.000	.4980721 .5981245	.9662332 1.163382

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