Identifying individual discount rates and valuing public open space with stated preference models

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ABSTRACT. *An individual's rate of time preference is an important consideration for individuals deciding whether to support a public good since the benefits of a public good often come in the future. Our study finds individual discount rates from a contingent valuation method (CVM) question where the time frame of the payment schedule is varied across surveys. We find discount rates similar to the rates found in the recent revealed preference and experimental literature of around 30%. Our CVM question addresses the preservation of additional open space adjacent to a large regional park at the urban fringe of Portland, Oregon.* (JEL H43, Q51, Q15)

2

I. INTRODUCTION

Since the benefits and costs of a public good are often spread over time, discount rates are necessary for the calculation of the present value of those future streams to evaluate whether to create a public good. We determine a household's individual discount rate with the contingent valuation method (CVM) using payment schedules that extend for different lengths of time.

A rate of time preference, or individual discount rate, is a subjective interpretation of how a person compares value in their future to value available to them today, presumably by discounting.

The discount rates popularly used in welfare analysis, similar to market discount rates, (roughly between 3 percent and 10 percent) are much lower than the individual discount rates typically found in the literature. Although no completely satisfying explanation exists for the discrepancy between market and individual discount rates, a common explanation is transaction costs. The transaction costs of borrowing money at market rates for sporadic every day purchases is too high to equalize market and individual discount rates. For instance, American consumers often pay credit card companies far in excess of the market rate return (Ausubel 1991).

The purpose of this paper is to find individual discount rates in a stated preference framework with a double-bounded contingent valuation question. Knowledge of how respondents discount future benefits in a stated preference framework will help researchers better understand the value of non-market commodities.

Rates of time preference have been identified by revealed preference (Hausman 1979; Gately 1980; Ruderman, Levine, and McMahon 1986), experimental (Thaler 1981; Benzion, Rapoport, and Yagil 1989; Harrison, Lau, and William 2002), and stated preference techniques (Stevens, DeCoteau, and Willis 1997; Crocker and Shogren 1993). Hausman's (

1979) study of consumer tradeoffs between the purchase price and delayed energy payments for air conditioners found a rate of about 25 percent. Gately (1980) and also Ruderman et al. (1986) compute rates of time preference for different appliances such as space and water heater, air conditioners, and refrigerators and freezers. The discount rates depend heavily on the kind of appliance ranging from 17 percent for air conditioners to 243 percent for electric water heaters. More recently, Ausubel (1991) notes that nearly three quarters of people do not pay their credit card balances on time, and finds that the finance charges from not paying off the credit card balances translate into a 19 percent discount rate. Also, Warner et al. (2001) find that enlisted military personnel, offered voluntary separation options by a lump-sum payment or an annuity, had discount rates between 35 and 54 percent.

Thaler (1981) and Benzion et al. (1989) use experiments to ask respondents to decide between taking money now or waiting until later to receive a larger amount. The discount rate is shown to depend on the length of the wait and the magnitude of the money to be received, both result in lower discount rates. If the respondent is losing rather than receiving money, the discount rate is also lower. The discount rates from these experiments largely range from 20 to 35 percent. Most recently, Harrison (2002) uses surveys and experiments to estimate individual discount rates in Denmark. Discount rates, which range mostly from 25 to 30 percent, are shown to depend on demographic characteristics of the respondent and to a lesser extent on the length of the time horizon.

Crocker and Shogren (1993) uses CVM to elicit discount rates from willingness to pay questions regarding the length of wait times at ski resorts. Their paper is a first attempt at finding a rate of time preference for an environmental good, but the two-step approach of first finding willingness to pay (WTP) and next identifying the discount rate from those WTPs does not require respondents to think about the benefits of an environmental good over time. Stevens et al. (1997) finds discount rates from willingness to pay questions for salmon

restoration and weekly movie passes. Their similar two step process is problematic since discount rate are inferred from statistical WTPs as opposed to directly from questions in the survey. Discount rates from their question about salmon restoration range from 50 to 270 percent.

Our study uses a double-bounded dichotomous choice WTP question where, in addition to variation in bids across surveys, there is variation in length of the payment schedule across surveys. Since respondents confront a payment schedule in the bid offer for a public good, their rate of time preference is directly used in their mental calculation of whether to accept or reject the bid offer in a way similar to the choices respondents make in the revealed preference and experimental literature. We show that the discount rate depends on the length of the payment schedule the respondent answers for the WTP question. The shorter the length of the payment schedule the higher the discount rate. When information from all the payment schedules is used, discount rates of around 30 percent are found.

Since the WTP question is double-bounded dichotomous choice, we estimate several models of WTP responses to account for shift, anchoring, and framing effects (Herriges and Shogren 1996; Alberini, Kanninen, and Carson 1997; Whitehead 2002; DeShazo 2002; Flachaire and Hollard 2006). We find there is some sensitivity of the discount rate to these different models of WTP responses with the model better specified when accounting for the shift, anchoring and framing effects.

Our CVM question is designed for the measurement of the value of additional public open space in Portland, Oregon. We propose an increase in the size, by 100 acres, of a prominent regional park at the city boundary of Portland by purchasing land adjacent to the park which would be made available to the public. Since the land adjacent to the park is currently proposed for development, the policy scenario is timely and credible for the residents of Portland receiving the survey.

A handful studies use stated preference techniques to find the value of general open space in urban areas. Breffle et al. (1998) use CVM to estimate the value of 5.5 acre parcel of undeveloped land in Boulder, Colorado. They find a median WTP of $234 to preserve the parcel where the WTP is increasing in income and decreasing in distance. Lindsey and Knapp (1999) assess the value of maintaining a section of a greenway in Indianapolis. The mean WTP for residents in the county as a whole ranges from $30-$35. Tyrväinen and Vaananen (1998) use CVM to find the WTP to prevent the development of small forested areas in Finland. The mean WTP each year for three years ranges from $44-$47 where the WTP is shown to depend significantly on the use and view of the forested areas.

Our study examines the WTP for an expansion of preserved public open space at the urban fringe. There is very little understanding of the value people attach to open space at the urban fringe although this a controversial policy issue. We find that the median WTP for an additional 100 acres in Portland, Oregon is around $165 in comparison to the median WTP of $234 found for a 5.5 acre parcel in Boulder, Colorado. One explanation of this significant discrepancy is the concern raised by respondents about the need for additional open space nearby an already large 570 acre regional park. Also, in the Breffle et al. (1998) study, a strong advocacy group was behind the preservation of the open space.

We find, similar to previous studies, that median WTP positively depends on income, but surprisingly the distance and travel time of the respondent from the new open space do not significantly explain WTP. We speculate that for a prominent regional park the public in all parts of the city feel that changes in the park affect them, even if use of the park is never intended, indicating that existence or bequest values may be a significant portion of the WTP. Another possibility is that, since all the respondents live in the Portland-area, there may be inadequate variation in the distance and travel time of the respondents to the new open space to obtain a significant relationship with WTP. The strongest explanatory factors of WTP are

the education of the respondent, the size of their family, the number of weekly hours at work, the average amount of time spent on-site at regional parks in Portland, and the perception of the quality of the hiking trails. These findings suggest that educated outdoor enthusiasts represent the principal supporters of regional parks in an urban area.

We conclude the paper by illustrating the importance of individual discount rates for policy decisions. The level of the discount rate is shown to influence the finding of the full WTP for additional open space. In particular, a low monthly WTP and low discount rate results in a much higher full WTP than a high monthly WTP and a high discount rate. The individual discount rate is found to be sensitive to two demographic characteristics of the respondents, in particular, the age of the respondent and the presence of young children living in the same household as the respondent.

Both those demographics are shown to have higher discount rates than the rest of the population, concerning the creation of additional open space. Cropper et al. (1994) find that those same demographic characteristics influence, in the same way, the discount rates for lives saved implicit in comparisons of life saving programs. Perhaps, for all public goods, those particular demographics have higher discount rates than the rest of the population. Policy makers should be aware of which demographics have higher discount rates (for what public goods) and thus, all else equal, less full benefits from a policy decision.

II. THEORETICAL MODEL

The true WTP for each period, W_{0i}, by individual i for a public good providing an infinite stream of benefits is revealed by their response to two valuation questions. The WTP for answering valuation question j is, W_{ji}, $j = 1, 2$. The follow-up question is incentive compatible if $W_{2i} = W_{1i}$, (i.e. the WTP of the follow-up question, W_{2i}, neither shifts nor is

anchored to the initial starting-point bid amount). Assuming incentive compatibility, follow-up questions reduces the variance of the WTP estimate without bias.

The bid amount for the jth valuation question, $B_{ji}(r,T_i)$, is the net present value of a finite stream of bids lasting T_i periods, where the bid for each period is b_{ji}, prior to discounting by the rate of time preference, r. A ``yes'' response to the $j$th valuation question is observed if $\dfrac{W_{ji}}{r} \geq B_{ji}(r,T_i)$, and a ``no'' response is observed if $\dfrac{W_{ji}}{r} < B_{ji}(r,T_i)$.

Payment Schedules

The form of the bid for the public good is a payment schedule represented by a finite stream of bids, b_{ji}, beginning next period and lasting T_i periods. Since the stream of bids occurs in the future, the individual discounts the b_{ji} to the present according to their rate of time preference, r. The net present value of the finite stream of bids from the payment schedule is the bid amount $B_{ji}(r,T_i)$.

The bid amount $B_{ji}(r,T_i)$ is a special case of an annuity represented by,

$$
\begin{aligned}
B_{ji}(r,T_i) &= b_{ji}\left(\frac{1}{(1+r)}+\frac{1}{(1+r)^2}+\cdots+\frac{1}{(1+r)^{T_i}}\right) \\
&= b_{ji}\left(\frac{1}{r}\left(1-\frac{1}{(1+r)^{T_i}}\right)\right) \\
&= b_{ji}\phi(r,T_i),
\end{aligned}
\tag{1}
$$

where $\phi(r,T_i)=\left(\dfrac{1}{r}\left(1-\dfrac{1}{(1+r)^{T_i}}\right)\right)$.

Incentive compatibility

The literature has developed several methods to control for violations of the assumption

8

of incentive compatibility (Herriges and Shogren 1996; Alberini, Kanninen, and Carson 1997; Whitehead 2002; DeShazo 2002; Flachaire and Hollard 2006). These methods include controlling for shift, anchoring, and framing effects, along with any combination of these effects, occurring in double-bounded stated preference questions. The shift, anchoring, and framing effects of WTP are defined by,

$$
\begin{aligned}
Shift: \quad & W_{1i} = W_{0i} \ \ and \ \ W_{2i} = W_{1i} + \delta \\
Anchoring: \quad & W_{1i} = W_{0i} \ \ and \ \ W_{2i} = (1-\gamma)W_{1i} + \gamma b_{1i} \\
Framing: \quad & W_{1i} = W_{0i} \ \ and \ \ W_{2i} = W_{0i} \ \ if \ \ r_{1i} = 0,
\end{aligned}
\tag{2}
$$

where δ is the parameter for the shift, $0 \le \gamma \le 1$ is the parameter for the anchoring, and $r_{1i} = 0$ if the individual's response to the first bid amount is ``no''.

A shift effect (Alberini, Kanninen, and Carson 1997) has different interpretations depending on the sign of δ. A negative value for δ indicates ``nea-saying'' behavior where an individual reduces their WTP because, when presented with a higher bid amount, they feel they are being asked to pay more unnecessarily for a public good, or, when presented with a lower bid amount, they feel they are being asked to pay for a lower quality public good. A positive value for δ indicates ``yea-saying'' behavior where an individual increases their WTP to acknowledge the proposition of the stated preference question.

An anchoring effect (Herriges and Shogren 1996) exists if an individual's WTP to the follow-up question is a weighted combination of their original WTP and the first bid amount. The value of γ ranges from 0, which means no anchoring, to 1, which means that the individual completely ignores their original WTP and replaces it with the first bid amount.

The framing effect (DeShazo 2002) contends that the violations of incentive compatibility occur only in ascending follow-up questions. The remedy is thus simply not to use the ascending follow-up questions. Flaschaire and Hollard (2006) suggest a model to bring back the information from ascending follow-up questions. See Flaschaire and Hollard

9

(2006) for details about the estimation and more description of shift, anchoring, and framing effects.

III. EMPIRICAL MODEL

Suppose, once the public good is provided, the individual receives a benefit each period from the public good equal to their true willingness to pay per period for the public good, W_{0i}. Further suppose that the benefit an individual receives each period is constant over time, and an individual receives the benefit each period for an infinite number of periods. If each period is short, the assumption of an infinite time horizon is reasonable for a finite lived individual receiving the benefits. The assumption that the benefit is constant over time is also reasonable if any decay that does occur only takes places far off in the future. The full benefit, and willingness to pay, the individual receives from the public good under these assumptions is $\frac{W_{0i}}{r}$.

The yes/no response to a valuation question depends on whether the full willingness to pay exceeds the bid amount,

$$Y_{ji} = \begin{cases} 1 & if \quad \dfrac{W_{ji}}{r} \geq B_{ji}(r,T_i) \\ 0 & otherwise. \end{cases}$$

The full willingness to pay differs across valuation questions for individual i if shift, anchoring, or framing effects are present. Assuming that all the effects are present, for $j = 1,2$ the empirical form of the full willingness to pay is,

$$\begin{aligned}
\frac{W_{ji}}{r} + \varepsilon_{ji} &= X_i \frac{\beta}{r} - \gamma X_i \frac{\beta}{r} D_j r_{1i} + \frac{\gamma}{r} B_{1i}(r,T_i) D_j r_{1i} + \frac{\delta}{r} D_j r_{1i} + \varepsilon_{ji} \\
&= (1 - \gamma D_j r_{1i}) X_i \frac{\beta}{r} + \frac{\gamma}{r} B_{1i}(r,T_i) D_j r_{1i} + \frac{\delta}{r} D_j r_{1i} + \varepsilon_{ji}
\end{aligned} \tag{3}$$

10

where $D_1 = 0$, $D_2 = 1$ (for the valuation question j the respondent answers), X_i is vector of covariates explaining an individual's willingness to pay, $r_{1i} = 0$ if the individual's response to the first bid amount is ``no", the parameters $\delta, \gamma, r, and\ T_i$ are defined in the discussion of incentive compatibility, and ε_{ji} is an error term reflecting that there is error in the measurement of willingness to pay.

Since each individual answers two valuation questions, the error term, $\varepsilon_{ji} = \mu_i + v_{ji}$, is separated into an error component common to the individual, μ_i, and a random error component, v_{ji}. The error common to the individual, μ_i, accounts for the willingness to pay due to unobservable characteristics of the individual, which we assume for the analysis is normally distributed. The random error component, v_{ji}, is a transitory normally distributed shock different for each valuation question $j = 1, 2$ that individual i answers. The correlation coefficient, $\rho = \sigma_\mu^2 / (\sigma_\mu^2 + \sigma_v^2)$, is the ratio of the variance of the individual error component to the total variance. A large ρ suggests that the unobservable characteristics of the individual represents a significant component of the total variance, and a random effects model of the error term is appropriate (Alberini, Kanninen, and Carson 1997).

Implementation of (3) is based on a random effects probit model, where the probability individual i responds ``yes" to the jth question, $j = 1, 2$, is:

$$
\begin{aligned}
Pr(Y_{ji} = 1) &= Pr\left(\frac{W_{ji}/r - B_{ji}(r, T_i)}{\sigma} \geq -\frac{\varepsilon_{ji}}{\sigma} \right) \\
&= \Phi\left(\frac{W_{ji}/r - B_{ji}(r, T_i)}{\sigma} \right) \\
&= \Phi\left(\frac{W_{ji}/r - b_{ji}\phi(r, T_i)}{\sigma} \right)
\end{aligned}
\tag{4}
$$

where σ is the scale parameter for the total variance.

Typically, by varying bid amounts across respondents, the scale parameter is directly identified from the coefficient on the bid amount. However, since the bid amount is the net present value of a finite stream of bids discounted by an unknown rate of time preference, r, the direct identification of either the scale parameter or the rate of time preference is not possible since both are lumped together into the coefficient, $-\frac{\phi(r,T_i)}{\sigma}$, on the per period bid amount b_{ji}. Nonetheless, with additional variation in the length of the payment schedule, T_i, across respondents, both the scale parameter and the rate of time preference can be identified.

To illustrate the identification method, suppose there is variation in the length of the payment schedules, such that the payment schedules last for $\hat{T}, \tilde{T}$, and $\overline{T}$ periods. In that case, the coefficient on b_{ji} differs based upon the length of the payment schedule, $-\frac{\phi(r,\hat{T})}{\sigma}, -\frac{\phi(r,\tilde{T})}{\sigma}$ and $-\frac{\phi(r,\overline{T})}{\sigma}$. The ratio of any two of the coefficients results in the elimination of the scale parameter. For instance, for the payment schedules lasting $\tilde{T}$, and $\hat{T}$ periods, the ratio of the coefficients $-\frac{\phi(r,\tilde{T})}{\sigma}$ and $-\frac{\phi(r,\hat{T})}{\sigma}$ is, $\frac{\phi(r,\tilde{T})}{\phi(r,\hat{T})}$. To use the information contained in all the payment schedules, a ratio of coefficients is formed for a payment schedule of each different length, and the ratios are summed together, $\frac{\phi(r,\tilde{T})}{\phi(r,\hat{T})} + \frac{\phi(r,\overline{T})}{\phi(r,\hat{T})}$. The standard error of each ratio, or the sum of the ratios, is obtained from the asymptotic covariance matrix by the Delta method (Greene 1997).

While the coefficients on the bid amounts come directly from the estimation of the model (4), the determination of r from the ratio of the coefficients requires numerical techniques separate from the original estimation. Indeed, since the ratio of coefficients is a polynomial function of r, there are multiple solutions to the function, but nearly every solution is imaginary with the exception of a single real root. The real solution to the

polynomial is the value used for r. The standard error of r is then obtained by simulation methods using the Krinsky-Robb procedure (Haab and McConnell 2003).

The identification of the scale parameter, σ, along with the coefficients, β, γ, and δ is readily obtained once the rate of time preference r is known. Median willingness to pay is calculated from the estimates of the coefficients, β, at the mean of the independent variables, $\bar{X}$. The standard errors of the estimates of the parameters and the median willingness to pay are obtained by the Delta method (Greene 1997).

IV. DATA

The data for this analysis come from a stated preference question within a mail survey sent to single-family dwellings in Portland, Oregon to learn about the quality of and recreation at regional parks in the city. Portland has a population of about half a million people and is located in northern Oregon. The impressive natural features of the city include two major rivers, the Willamette and Columbia, and roughly 10,000 acres of parks located in places along ridges, plateaus, and volcanic peaks.

A random sample of 1,200 single-family dwellings selected from the 2001 Multnomah County Assessor's data was mailed a packet containing an eight-page survey, a cover letter, a map of the Portland-area highlighting seven regional parks, and a postage-paid return envelope. The earliest versions of the survey were shown to individuals with knowledge and expertise of Portland-area parks.[i] A focus group in Portland, three one-on-one sessions, and a pre-test of the survey were done to ensure that the questions were carefully worded and arranged. Of the 1141 deliverable surveys, 42% (479) were returned, and 88% (420) of those surveys were useable in the analysis of the stated preference question.

Before reaching the stated preference question, which concerns the creation of additional acreage for Powell Butte Park, a prominent regional park of Portland, the survey

asks questions about the quality and usage of the respondent's family of seven regional parks in Portland, including Powell Butte. These questions and the map of the Portland-area help the respondent to recall their experiences at Powell Butte. Although homes line the northern side of Powell Butte, near the south-eastern boundary of the city, Portland's Parks and Recreation Department is working to prevent additional development around the park. Also, Portland has passed open space bond measures in the recent past, one in 1995, and another one in November 2006 (Metro 2006).

The stated preference question initially describes the physical features and recreational opportunities Powell Butte currently offers, and a detailed map of Powell Butte is available for respondents to view. The proposal for additional park land at Powell Butte is as follows:

Several large parcels of land, totaling 100 acres, on the southeast side of Powell Butte eventually will be purchased by developers, rezoned, and used to construct new housing. Alternatively, the City could purchase these lands and create an addition to Powell Butte Nature Park. Doing so would increase the size of the Park by 100 acres, or 18%.

The payment vehicle described to the respondent is as follows:

One way to pay for these costs of enlarging Powell Butte Nature Park is to add temporary surcharge (i.e., an additional payment) to the monthly water utility bills of ALL businesses and households in Portland. The temporary surcharge would be in effect for _____ months.

The respondents were randomly assigned a payment schedule and a set of three bids values from four possible payment schedules, and, depending on the payment schedule, from a list of five sets of bid values shown in Table 1.[ii] The payment schedules differ in the length of time that the respondent makes payments for the public good, either 12 months, 48 months, 84 months, or 120 months. The first bid value in each set is the starting WTP bid for

14

the first question. If the respondent's answer to first question is `yes', the respondent is offered the second bid value in the set, while a `no' response means that the third bid value is offered.[iii]

At the bottom of the WTP question, respondents with a zero WTP were asked why their WTP was zero. A respondent was presented with four options, ``I do not receive any benefits from having a larger Powell Butte Park.'', ``I cannot afford to pay anything at this time.'', ``It is unfair to ask people to pay more for parks.'', and ``Other (please list your reason)''. Several respondents put a check next to the ``Other...'' option. Four wrote that water bills are too high, and one wrote that they did not like the water bill payment mechanism. The protest bids identified from this question about zero WTP were removed before conducting the analysis.

Hypothetical bias may affect the results, even though respondents are likely familiar and comfortable with open space issues in Portland. There is unfortunately no way to know in what direction the bias might exist unless there are unknown queues in the proposal for additional park land at Powell Butte. Hypothetical bias is unlikely to affect the estimates of the discount rate (unless the proposal somehow indicates the additional park land has less value in the future) since the discounts rates are estimated through the payment schedules, and the payment schedules have minimal description that might send unknown queues to the respondent.

The survey collects information in addition to the socioeconomic characteristics of the respondent useful for understanding the respondent's WTP for additional park land at Powell Butte. The extra information includes whether the respondent commutes, the number of hours the respondent works for pay in a week, whether the respondent intends to remain at that residence for the rest of their life, and the number of trips and average on-site time spent at Powell Butte. Travel times and distances to Powell Butte from each respondent's residence were determined using network analyst in GIS.[iv] The respondent's perception of the hiking

quality and cleanliness of the grounds at Powell Butte were obtained from nine-scale Likert-type questions.

Descriptive statistics of the sample and population are shown in Table 2. The sample has on average higher incomes and less family members, is more educated, and is more representative of females than the population. The sample is evenly spread across the four payment schedules since roughly a quarter of the sample responds to each payment schedule. The large variation in the hours spent working for pay by the respondent is because many of the respondents are homemakers.

V. EMPIRICAL RESULTS

We report the results from six models of willingness to pay responses. All models are estimated by random effects probit regressions except for the single bounded model that is estimated by a regular probit. The naive double-bounded models (Double and Shift) do not control for anchoring, and framing effects, while the most sophisticated double-bounded model (Fram, Anch & Shift) controls for all the effects.

In the estimation of the models, we pool the data from all the payment schedules. The coefficient on the bid amount should differ based upon the payment schedule that the respondent is answering since the annuity factor, $\phi(r, T_i)$, embedded in the coefficient, differs across payment schedules. Dummy variables for the 48, 84, and 120 month payment schedules interacted with the bid amount for those payment schedules allows the coefficient on the bid amount to differ across the payment schedules.

Table 3 has the coefficients on the bid amounts for each of the payment schedule lengths for the WTP models. Except for the single-bounded model, the coefficient on the 12 month bid amount is negative and significant at the 5% level. The insignificant coefficient on the 12 month bid amount for the single-bounded model makes us dubious of the value for the

16

discount rate we find for that model. In all the models, the coefficient on the bid amount for the 84 month payment schedules is more negative than the coefficient on the 12 month bid amount, with significance at the 5% level.

For the naive double-bounded models, there is no significant difference between the bid amount coefficients on the 12 and 48 month payment schedules, but there is a significant difference between the bid amount coefficients on 48 and 84 month payment schedules at the 10% level. For the more sophisticated double-bounded models, there is a significant difference between the bid amount coefficients on 12 and 48 month payment schedules at the 10% level, but there is no significant difference between the bid amount coefficients on the 48 and 84 month payment schedules (except for the model, Anchoring & Shift). In all the models, there is no significant difference between the bid amount coefficients on 84 and 120 month payment schedules, suggesting respondents do not distinguish between the seven and ten year payment schedules when considering whether to support the proposal.

The component of the error term attributable to individual effects, ρ, ranges from 0.52 to 0.73, where the lower values of ρ are found in the naive double-bounded models and the higher values of ρ are found in the models controlling for framing effects. Although individual effects have a larger role in the models controlling for violations of incentive compatibility, their presence is certain in all the double-bounded models.

Table 4 has the findings of the annualized rate of time preference (discount rate) for the models of willingness to pay response. The annualized discount rate is found using only the 12 and 48 month payment schedules, the 12 and 84 month payment schedules, the 12 and 120 month payment schedules, and all of the payment schedules. Other than the findings of the single-bounded model, the discount rate is the largest when only the 12 and 48 month payment schedules are used.

An explanation for the higher discount rates when only the 12 and 48 month payment

17

schedules are used comes from the studies utilizing experiments to find discount rates. Thaler (1981) and Benizon et al. (1989) find in experiments of tradeoffs between a payoff now versus later that extending the wait time for a payoff later results in a lower discount rate for participants. They also find that larger payoffs result in lower discount rates for the participants. We speculate that for the 84 and 120 month payment schedules, where a substantial proportion of the payments occur far off in the future, the respondents make their choices with a lower discount in mind in line with the findings of the experimental studies. The somewhat lower discount rate for the 84 versus 120 month payment schedules we attribute to the larger payments respondents see for the 84 month payment schedule.

In all the models, the discount rate found using only the 12 and 84 month payment schedules or only the 12 and 120 month payment schedules is close to the discount rate found using all the payment schedules. The discount rate for the single-bounded model is low at 0.144, but this finding is questionable since the coefficient on the 12 month bid amount is not significant for the single-bounded model. The discount rate for the naive double-bounded models is around 0.30 while the discount rate for the more sophisticated models is around 0.35. The distributions around the discount rates are corrected by trimming off the highest 2.5% of values since there is significant skewness in the upper tail. The standard errors of around 0.25 shown in Table 4 come from the distributions corrected for skewness.

With the discount rates found using all the payment schedules, estimates of the monthly WTP, scale, and follow-up question modifiers are shown in Table 5. The log-likelihood statistic is the criterion for the comparison of the WTP models. Unlike the shift parameter, the anchoring parameter improves the fit of the model significantly over the naive double-bounded model. Assuming that the anchoring effect only occurs in the ascending sequence of the follow-up questions further improves the fit of the model suggesting that only the ascending sequence of follow-up questions is not incentive incompatibile.

18

The monthly WTP ranges from near 3 for single-bounded and the naive double-bounded models to 4.5 for the models controlling for anchoring and framing effects. The more sophisticated double-bounded models have lower standard errors for monthly WTP although, in general, the standard errors across different random effects probit regressions are not possible to predict (Collett 1991).

The model with only a shift effect (Shift) finds that the shift parameter is nearly significant, but the models with both anchoring and shift effects (Anchoring & Shift, and Fram, Anch & Shift) find an insignificant shift parameter. The nearly significant shift parameter found in the model with only a shift effect is an artifact of the misspecification resulting from the exclusion of the anchoring parameter.

For all the models with an anchoring effect, the anchoring parameter is significant although small. The anchoring parameter is small since the representation of the anchoring in the WTP model is not on the monthly bid amount shown in the CVM question, which would make the anchoring parameter larger, but on the full bid amount. Comparing the WTP models, the anchoring parameter is larger if the WTP model only allows for the anchoring effect in the ascending sequence of the follow-up questions. The argument by DeShazo (2002) that violations of incentive compatibility are only present in the ascending sequence of follow-up questions is consistent with that finding. A WTP model, not shown in the tables, where the anchoring effect is only present in the descending sequence of the follow-up questions results in an anchoring parameter that is insignificant.

Tables 6 shows estimates of the coefficient vector β, the scale σ, the anchoring and shift parameters, γ and δ, for four WTP models. Aside from the single-bounded model shown for comparison, the three other WTP models chosen from the six models shown in Tables 3 to 6 are the models thought to best represent the WTP responses. If the anchoring effect occurs in both the descending and ascending sequences of the follow-up questions,

then Anchoring & Shift is the appropriate model of the WTP responses. However, comparison of the WTP models by the log-likelihood criterion suggests that anchoring, for the most part, is only present in the ascending sequence of the WTP responses. The model Framing is appropriate if the anchoring effect is significant enough that the ascending sequence of WTP responses offers no new information. However, if the anchoring effect is weak, the model Fram, Anch & Shift keeps the information in the ascending sequence of WTP responses. The standard errors of coefficient estimates are the lowest for the models Framing and Fram, Anch & Shift.

As expected, the more education (EDU) and income (INC) a respondent has the more their WTP for additional public open space. Also, we find that the more hours worked in a week (WRKHRS) and the larger the size of the family (FAMSIZE) of the respondent the lower their WTP. Since the additional open space is adjacent to Powell Butte, a large wilderness park, the major beneficiaries of the additional open space are the main users of Powell Butte, outdoor enthusiasts. Outdoor enthusiasts are typically educated professionals without children whose main constraint on recreation is their amount of leisure time.

Since outdoor enthusiasts usually spend a lot of time on-site at wilderness parks exploring the hiking trails, we find that on-site time (SITETIME) and the perception of the quality of the hiking trails (HIKING) increases WTP. The sign of the coefficient for the distance of the respondent's residence from Powell Butte (TRVLDIST) is the wrong sign but not significant, and the sign of the coefficient for the travel time to Powell Butte (TRVLTIME) is the expected sign but also not significant. Since all the respondents live in the Portland-area, there may be inadequate variation in TRVLDIST and TRVLTIME to obtain significant coefficients for those variables.

The respondent's WTP is not sensitive to the length of the payment schedule since none of the coefficients for the length of the payment schedule (PAYSCHY4, PAYSCHY7,

PAYSCHY10) are significant. However, since the coefficients for the length of the payment schedule are strongly correlated to the coefficient on the bid amount, the omission of the binary variables for the length of the payment schedule would result in bias of all the parameter estimates.

Table 7 shows the sensitivity of the monthly WTP and the full WTP for additional park land at Powell Butte to the choice of discount rate. The choice of the lower bound of the discount rate results in a lower monthly WTP but a higher full WTP, and the choice of the upper bound of the discount rate results in a higher monthly WTP but a lower full WTP. The interval of the discount rate is wide enough that the 95% confidence intervals of either the monthly or full WTPs rarely overlap. Comparing the WTP models, since the discount rate intervals are similar across models, the monthly and full WTP intervals are also similar. The full WTP is the most sensitive to the choice of discount rate since the full WTP is the net present value of a stream of monthly WTPs. If the median discount rate is chosen, the full WTP for an additional 100 acres of open space adjacent to Powell Butte is about $165 per household.

With information already available on discount rates, a CVM question could ask the WTP for a month of benefits rather than the WTP for a long time horizon of benefits, since the former question is much less mentally cumbersome. Combining information on the WTP for a month of benefits and the discount rate easily allows for a determination of the WTP for a long time horizon, assuming the monthly WTP does not change over time.

If the individual discount rate for public goods is much higher than the rates currently used in public investment decision making, the economic feasibility of a public investment is much more dependent on the ability to front-load the benefits of the public good rather than having most of the benefits received far off into the future.

Table 8 shows the influence of demographic characteristics on the implicit discount

rate. We stratify the sample by a demographic characteristic and see what the discount rate for each stratified segment is. The demographic characteristics examined are age, education, participation in an environmental organization, income, average number of work hours per week, and the presence of children 14 or younger living in the same household as the respondent.[v] Since Fram, Anch & Shift is the WTP model with the best fit, we use that model for determining the implicit discount rate of the stratified samples. The number of observations in each of the stratified samples is shown in the last column of Table 8.

A comparison of the discount rates across the stratified samples for each of the demographic characteristics reveals that most of the demographic characteristics do not statistically influence the discount rate. The 90% confidence intervals for discount rates stratified by a given demographic characteristic (in particular, education, participation in an environmental organization, income, and average number of work hours per week) overlap significantly suggesting that the discount rates are not statistically different from each other.

However, the age of the respondent and the presence of young children living in the same household as the respondent do appear to statistically influence the discount rate. Younger respondents have a lower discount rate than older respondents, and respondents with no children have a much lower discount rate than respondents with children. Selfish concerns unique to those demographics are a possible explanation for the findings.[vi]

Since older people are less likely to benefit from additional open space in the future than younger people, due to the frailty of old age and the higher chance mortality, older people would be expected to higher discount rates. Parents with young children want their children to enjoy the benefits of open space before their children turn into adults. Since parents of young children benefit less from open space in the distant future than people without children, parents with young children would be expected to have higher discount rates than people without children.

If the discount rate for public goods is dependent on demographics, public investment decision makers should pay attention to the demographics of the area where a public good is being created while considering how the benefits of the public good will be provided over time.

VI. CONCLUSION

Our CVM study finds both individual discount rates and the WTP for additional open space. Discount rates are found through variation across surveys in the length of the payment schedule for the public good, additional public open space; four different time frames are used. Discount rates are higher if the shorter time frame payment schedules are used. Discount rates show some sensitivity to the model of WTP responses, where the more sophisticated double-bounded models take into account shift, anchoring, and framing effects. If all the payment schedules are used for the more sophisticated models of WTP responses, discount rates of around 0.30 are found, similar to the rates found in revealed preference and experimental studies, and lower than the rates found in the prior CVM studies.

The WTP component of the CVM question is for additional public open space adjacent to a prominent regional park in Portland, Oregon. We find the median WTP is $165 per household for an additional 100 acres of park land, much lower than $234 for a 5.5 acre parcel in Boulder (Breffle, Morey, and Loder 1998). We speculate that the lower WTP in our study is because the additional land is adjacent to an already large regional park. The significant explanatory factors of WTP are education, income, hours worked per week, family size, amount of time spent at regional parks in Portland, and the perception of the hiking trails at Powell Butte. Respondents that are educated outdoor enthusiasts are the strongest supporters of open space preservation.

The full WTP for a public good is shown to be sensitive to the assumption of the

discount rate. Additional research might investigate whether the stream of benefits is stable over time and whether every future benefit goes into the mental calculation that produces the full WTP. The discounts rates are stratified by demographics, and the discount rate is shown to be sensitive to age of the respondent and presence of young children living in the same household as the respondent. Additional research might investigate whether other public goods are sensitive to the same demographics or whether this finding is unique to public open space. Also, research might look at how riskiness (perceived or actual) related to the provision of the public good influences the discount rate.

Public investment decision makers need to consider how the benefits of a public good are provided over time, in particular how to front-load more of the benefits in light of the finding that individual discount rates are higher than market rates. Also, policy makers should know the demographics of the area where the public good is created while considering how the benefits of the public good will be provided over time.

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Endnotes

[i] We thank Noelwah Netusil of Reed College, staff of the Metro's Regional Parks and Greenspaces Department, and staff of the Portland Parks and Recreation Department.

[ii] The bids used in each payment schedule were designed so that the present value of payments is the same across all treatments. They are based in each case on the present results for mean and standard error of monthly willingness to pay, adjusted by the difference in the annuity factors between each treatment and the pretest. Thus the bids for shorter treatments are higher than those for longer treatments.

[iii] The use of a follow-up WTP question is somewhat unusual for mail surveys, as it is more commonly used in telephone or in-person surveys. It is more accurately termed a random payment card approach, where the random variation in the category bounds helps mitigate concerns about framing effects that normally are expressed about payment card formats. (The explicit modeling of framing effects helps address this too.) Because the respondent can potentially see all three bids at once, it is analogous to asking a slightly more involved single bound WTP question. As the incentive compatibility properties of this format have not been studied carefully yet, some caution is needed in interpreting WTP estimates derived from it.

[iv] We thank Shawn Bucholtz of the Economic Research Service of the USDA for help with this data.

[v] The gender of the respondent was also considered, but the relatively low number of males that responded prevented estimation of the male segment of the sample.

[vi] Cropper et al. (1994) reach similar conclusions in their analysis of preferences for life saving programs.

TABLE 1

Payment schedules and bid value sets for additional open space in the CVM questionnaire

Bid value sets		Additional Open Space								
		Observations	yy	yn	ny	nn	yy%	yn%	ny%	nn%
One year payment schedule										
Set 1	(12,27,6)	19	2	6	3	8	10.5	31.6	15.8	42.1
Set 2	(21,36,12)	17	2	2	4	9	11.8	11.8	23.5	52.9
Set 3	(30,45,21)	21	3	2	6	10	14.3	9.5	28.6	47.6
Set 4	(39,54,30)	23	1	6	3	13	4.3	26.1	13.0	56.5
Set 5	(48,63,39)	12	2	0	1	9	16.7	0.0	8.3	75.0
Four year payment schedule										
Set 1	(6,14,3)	30	5	11	5	9	16.7	36.7	16.7	30.0
Set 2	(11,18,6)	17	3	1	6	7	17.6	5.9	35.3	41.2
Set 3	(15,23,11)	20	2	4	4	10	10.0	20.0	20.0	50.0
Set 4	(20,27,15)	17	2	1	3	11	11.8	5.9	17.6	64.7
Set 5	(24,32,20)	24	4	2	1	17	16.7	8.3	4.2	70.8
Seven year payment schedule										
Set 1	(5,11,2)	22	4	9	3	6	18.2	40.9	13.6	27.3
Set 2	(8,14,5)	27	5	8	3	11	18.5	29.6	11.1	40.7
Set 3	(12,18,8)	26	1	6	5	14	3.8	23.1	19.2	53.8
Set 4	(16,22,12)	22	3	1	4	14	13.6	4.5	18.2	63.6
Set 5	(19,25,16)	17	1	1	1	14	5.9	5.9	5.9	82.4
Ten year payment schedule										
Set 1	(4,10,2)	22	2	10	4	6	9.1	45.5	18.2	27.3
Set 2	(8,13,4)	32	6	8	4	14	18.8	25.0	12.5	43.8
Set 3	(11,17,8)	6	2	1	0	3	33.3	16.7	0.0	50.0
Set 4	(14,20,11)	18	1	2	4	11	5.6	11.1	22.2	61.1
Set 5	(18,23,14)	28	2	5	1	20	7.1	17.9	3.6	71.4

TABLE 2

Definitions and summary statistics of variables

Variables	Definition	Sample Mean	Sample Std. Dev.	2004 Population Mean[a]
SEX	=1 if the respondent is male	0.35	--	0.49
AGE	Age	40.43	10.27	37.2
EDU	Years of schooling	16.81	2.45	14.26
ENV	=1 if respondent has ever belonged to an environmental organization	0.61	--	--
INC	Annual family income	76184	44169	68305
WRKHRS	Hours respondent spends working for pay per week	32.62	17.29	--
COMMUTE	=1 if respondent commutes to work at least one day a week	0.78	--	--
FAMSIZE	Size of family living in the same household as the respondent	2.55	1.27	3.14
CHILD	Number of children in the family age fourteen or younger living in the same household as the respondent	0.61	0.93	0.42
RESTIME	=1 if the respondent expects to stay in their current residence for the rest of their life	0.23	--	--
TRVLDIST	Distance to Powell Butte using major roadways (miles)	8.19	3.75	--
TRVLTIME	Travel time to Powell Butte using major roadways (minutes)	11.53	4.44	--
SITETIME	The sum of the average on-site time spent per trip at five regional parks in the Portland-area[b]	200.59	158.74	--
HIKING	An index from 0 to 9 that measures the respondent's perception of the quality of Powell Butte's hiking trails	6.9	1.18	--
CLEAN	An index from 0 to 9 that measures the respondent's perception of the cleanliness of the grounds at Powell Butte	8.05	1.65	--
PAYSCHY4	=1 if respondent bids with a payment schedule lasting 48 months	0.26	--	--
PAYSCHY7	=1 if respondent bids with a payment schedule lasting 84 months	0.27	--	--
PAYSCHY10	=1 if respondent bids with a payment schedule lasting 120 months	0.25	--	--

[a] The total population of the Portland, Oregon is 524,944. The summary statistics of the population come from the *U.S. Census Bureau, 2004 American Community Survey.*

[b] The five regional parks are Forest Park, Mount Tabor Park, Tryon Creek State Park, Willamette Park, and Powell Butte Park.

TABLE 3

Bid coefficient estimates for models of WTP

Model	Bid Coefficients			
	One Year	Four Years	Seven Years	Ten Years
Single	-0.015 (0.013)	-0.045 (0.019)**	-0.105 (0.029)***	-0.078 (0.026)***
Double	-0.028 (0.015)**	-0.059 (0.026)**	-0.118 (0.039)***	-0.110 (0.037)***
Shift	-0.028 (0.014)**	-0.056 (0.025)**	-0.114 (0.038)***	-0.106 (0.035)***
Anchoring & Shift	-0.045 (0.021)**	-0.092 (0.037)**	-0.163 (0.053)***	-0.141 (0.049)***
Framing	-0.049 (0.024)**	-0.117 (0.045)***	-0.175 (0.062)***	-0.147 (0.056)***
Fram, Anch & Shift	-0.050 (0.026)**	-0.230 (0.048)***	-0.179 (0.066)***	-0.148 (0.057)***

Note: All models other than Single are estimated with random effects. Standard errors in parentheses. *,**,*** indicate significance at the 10%, 5%, and 1% levels.

TABLE 4

Annual implicit discount rates determined from the bid coefficient estimates

Model	Payment Schedules			
	One & Four Years	One & Seven Years	One & Ten Years	All Years
Single	0.069 (0.466)	-0.045 (0.209)	0.142 (0.274)	0.144 (0.266)
Double	0.504 (0.513)**	0.196 (0.241)*	0.284 (0.214)***	0.294 (0.277)***
Shift	0.503 (0.501)**	0.633 (0.519)*	0.301 (0.273)***	0.303 (0.306)***
Anchoring & Shift	0.519 (0.501)**	0.267 (0.228)***	0.375 (0.298)***	0.369 (0.247)***
Framing	0.714 (0.286)*	0.268 (0.278)***	0.389 (0.355)***	0.337 (0.318)***
Fram, Anch & Shift	0.389 (0.485)*	0.255 (0.262)**	0.397 (0.319)***	0.354 (0.300)***

Note: All models other than Single are estimated with random effects. Standard errors in parentheses. *,**,***

indicate significance at the 10%, 5%, and 1% levels.

TABLE 5

Mean, scale, and follow-up question modifiers of monthly WTPs

Model	μ	σ	γ	δ	r	LL
Single	2.70 (0.95)***	719.72 (199.68)	--	--	0.144 (0.266)	- 235.72
Double	2.59 (1.56)***	371.96 (117.97)***	--	--	0.294 (0.277)***	- 478.81
Shift	3.17 (1.37)**	381.86 (118.58)***	--	-1.44 (1.15)	0.303 (0.306)***	- 477.9
Anchoring & Shift	4.63 (1.19)***	225.29 (71.87)**	0.012 (0.005)**	2.22 (10.92)	0.367 (0.25)***	- 468.1
Framing	4.66 (1.07)***	211.19 (68.53)***	--	--	0.337 (0.318)***	- 382.9
Fram, Anch & Shift	4.79 (1.06)***	201.42 (66.61)***	0.039 (0.012)***	3.13 (15.88)	0.354 (0.300)***	- 458.7

Note: All models other than Single are estimated with random effects. Standard errors in parentheses.

*,**,*** indicate significance at the 10%, 5%, and 1% levels.

TABLE 6

Parameter estimates for the explanatory factors of WTP for additional public open
space

Variables	Single	Anchoring &Shift	Framing	Fram, Anch, & Shift
CONSTANT	-6.159	-6.808	-6.564	-6.571
	(8.209)	(10.279)	(8.871)	(8.700)
SEX	1.757	2.617	1.642	2.256
	(1.386)	(1.835)	(1.536)	(1.657)
AGE	-0.083	-0.104	-0.113	-0.111
	(0.069)	(0.092)	(0.078)	(0.076)
EDU	0.339	0.528	0.506	0.519
	(0.263)	(0.349)	(0.299)*	(0.293)*
ENV	1.162	1.747	2.034	2.178
	(1.294)	(1.731)	(1.478)	(1.463)
INC	3.81E-5	5.15E-5	4.00E-5	3.92E-5
	(1.76E-5)**	(2.21E-5)**	(1.80E-5)**	(1.78E-5)**
WRKHRS	-0.071	-0.106	-0.074	-0.079
	(0.039)*	(0.053)**	(0.044)*	(0.044)*
COMMUTE	-1.281	-1.231	-2.229	-2.283
	(1.561)	(2.079)	(1.826)	(1.822)
FAMSIZE	-0.994	-1.348	-1.131	-1.159
	(0.577)*	(0.749)*	(0.606)*	(0.599)*
CHILD	-0.347	-0.573	-0.329	-0.365
	(0.670)	(0.925)	(0.773)	(0.772)
RESTIME	-2.373	-3.029	-1.307	-1.161
	(1.736)	(2.248)	(1.782)	(1.757)
TRVLDIST	0.996	1.512	1.377	1.438
	(0.932)	(1.257)	(1.059)	(1.048)
TRVLTIME	-0.750	-1.129	-1.036	-1.091
	(0.779)	(1.053)	(0.888)	(0.876)
SITETIME	0.005	0.008	0.008	0.008
	(0.004)	(0.005)	(0.005)*	(0.005)*
HIKING	1.073	1.521	1.415	1.395
	(0.614)*	(0.797)*	(0.666)**	(0.652)**
CLEAN	-0.430	-0.577	-0.391	-0.362
	(0.395)	(0.529)	(0.454)	(0.446)
PAYSCHY4	2.974	1.665	2.637	2.699
	(4.495)	(4.259)	(4.138)	(4.076)
PAYSCHY7	8.105	5.830	4.171	4.158
	(5.751)	(4.761)	(4.442)	(4.386)
PAYSCHY10	5.556	4.209	2.015	1.849
	(5.001)	(4.518)	(4.215)	(4.138)
σ	719.724	225.285	211.192	201.421
	(199.676)***	(71.871)***	(65.528)***	(66.609)***
γ	--	0.012	--	0.039
		(0.005)**		(0.012)***
δ	--	2.222	--	3.125
		(10.917)		(15.867)
r	0.144	0.369	0.337	0.354
	(0.266)	(0.247)***	(0.318)***	(0.300)***

Note: All models other than Single are estimated with random effects. Standard errors in parentheses.

*,**,*** indicate significance at the 10%, 5%, and 1% levels.

TABLE 7

Sensitivity of the monthly WTP, μ, and the WTP, $\dfrac{\mu}{r/12}$, to the assumption of the discount rate

Model		Discount rate interval		
		2.5% Lower Bound	Median	2.5% Upper Bound
Anchoring & Shift	r	0.146	0.369	1.063
	μ	2.876	4.629	6.413
		(0.752)***	(1.192)***	(1.653)***
	$\dfrac{\mu}{r/12}$	235.69	150.80	72.06
		(61.61)***	(38.82)***	(18.57)***
Framing	r	0.100	0.337	1.303
	μ	2.341	4.655	6.976
		(0.554)***	(1.072)***	(1.649)***
	$\dfrac{\mu}{r/12}$	280.42	166.27	64.24
		(66.39)***	(38.27)***	(15.19)***
Fram, Anch & Shift	r	0.115	0.354	1.305
	μ	2.641	4.799	7.121
		(0.601)***	(1.058)***	(1.612)***
	$\dfrac{\mu}{r/12}$	276.37	165.51	65.51
		(62.83)***	(36.52)***	(14.83)***

Note: Standard errors in parentheses. *,**,*** indicate significance at the 10%, 5%, and 1% levels.

TABLE 8

Implicit annual discount rates stratified by demographics

Demographic characteristic	Discount Rate	Standard Error	90% Confidence Interval		Observations
All	0.354	0.300	0.167	0.832	840
Younger than forty	0.078	0.264	-0.074	0.501	478
Forty or older	0.790	0.564	0.447	1.761	362
College education	0.187	0.356	-0.011	0.705	454
Education beyond college	0.304	0.377	0.103	0.931	386
Do not belong to enviro-organization	0.315	0.389	0.082	0.992	324
Belong to enviro-organization	0.435	0.349	0.207	1.023	516
Lower middle income	0.085	0.243	-0.081	0.482	378
Upper middle income	0.483	0.462	0.224	1.297	372
Work less than 40 hrs per week	0.299	0.155	0.177	0.562	326
Work more than 40 hrs per week	0.302	0.148	0.186	0.547	514
No children	-0.235	0.189	-0.367	0.061	520
Have children	1.032	0.654	0.592	2.127	320

Note: Fram, Anch & Shift model is used to identify implicit discount rates.